

New Results on Muon Neutrino to Electron Neutrino Oscillations in MINOS



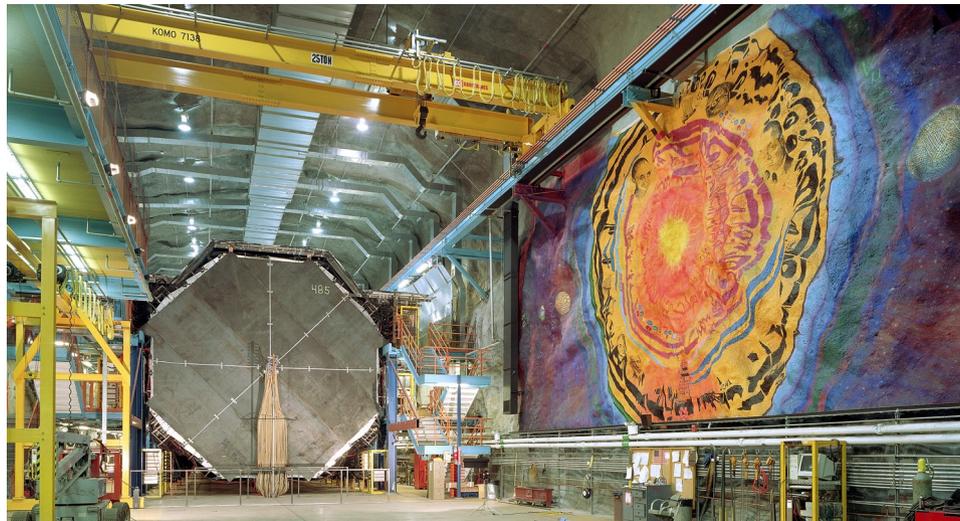
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On behalf of the MINOS Collaboration

BNL Particle Physics Seminar, August 11, 2011

Outline

- Formalism
- Description of MINOS
- Electron neutrino identification in MINOS
- Background prediction
- FD data distributions
- Results



Neutrino Mixing

if the flavor (ν_e, ν_μ, ν_τ) eigenstates of the neutrinos are not the same as the mass eigenstates ...

→ each flavor state is a mixture of the different mass states

$$\begin{pmatrix} \nu_\alpha \\ \nu_\beta \end{pmatrix} = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \end{pmatrix} \quad \begin{array}{l} \alpha, \beta = \text{flavor states} \\ 1, 2 = \text{mass states} \end{array}$$

The mixture changes as neutrinos propagate

$$|\nu_\alpha(L)\rangle = \cos \theta \exp\left(\frac{-i m_1^2 L}{2E}\right) |\nu_1\rangle + \sin \theta \exp\left(\frac{-i m_2^2 L}{2E}\right) |\nu_2\rangle$$

$t \approx L$, the distance traveled

Natural units
 $\hbar = c = 1$

Neutrino Oscillations

$$P(\nu_\alpha \rightarrow \nu_\alpha) = 1 - \sin^2(2\theta) \sin^2(1.27 \Delta m^2 L / E)$$

1.27 in units of $(\text{GeV}c^4)/(\text{eV}^2\text{km})$

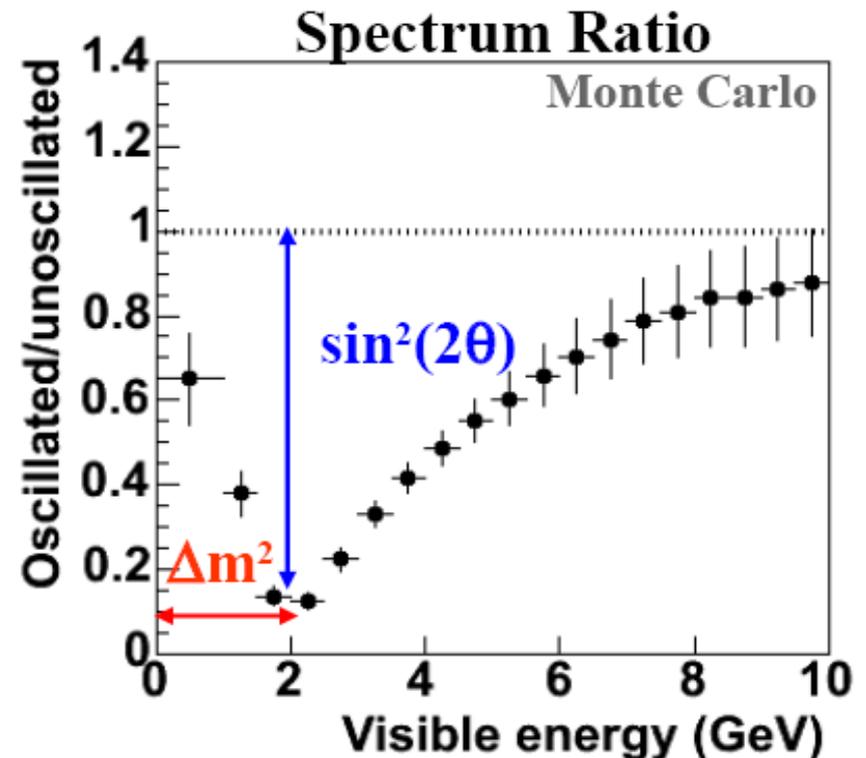
θ = mixing angle

L = flight distance

E = neutrino energy

$$\Delta m^2 = m_2^2 - m_1^2$$

Thus a neutrino created in one flavor state can be observed some time later in a different flavor state



The Full Picture

In the standard model of neutrinos, there are 3 light neutrinos

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = U_{PMNS} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

$$U_{PMNS} =$$

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix} \begin{pmatrix} \cos \theta_{13} & 0 & \sin \theta_{13} e^{-i\delta} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{i\delta} & 0 & \cos \theta_{13} \end{pmatrix} \begin{pmatrix} \cos \theta_{12} & \sin \theta_{12} & 0 \\ -\sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

Mixing can generally be represented by 3 mixing angles ($\theta_{12}, \theta_{23}, \theta_{13}$) and one phase (δ) *

(same as standard parameterization of the CKM matrix)

3 neutrinos \rightarrow 2 independent mass squared differences:

$$\Delta m_{21}^2, \Delta m_{32}^2 \quad \Delta m_{ij}^2 = m_i^2 - m_j^2$$

*If neutrinos are Majorana particles, there are two more phases, but they don't affect neutrino oscillations.

Experimental Status

from solar/reactor ν
(Kamland, SNO)

$$\Delta m_{sol}^2 = 8 \times 10^{-5} eV^2$$

$$\theta_{12} \approx 34^\circ$$

from atmospheric/ accelerator ν
(Super-Kamiokande, MINOS)

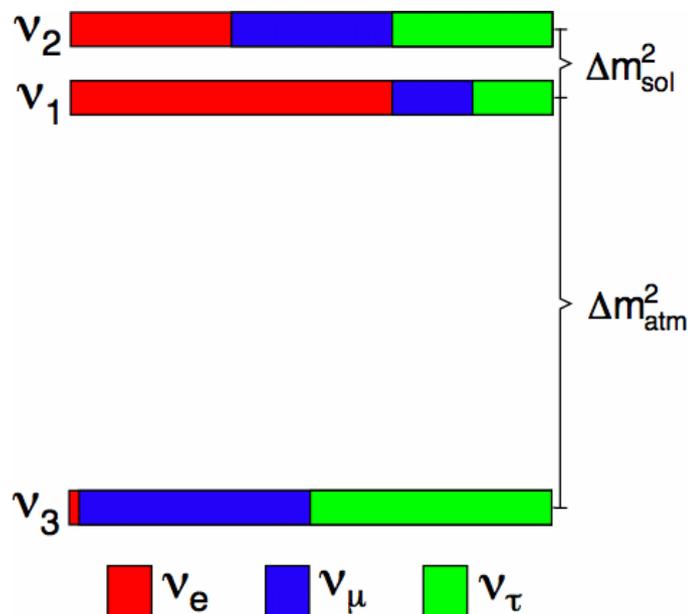
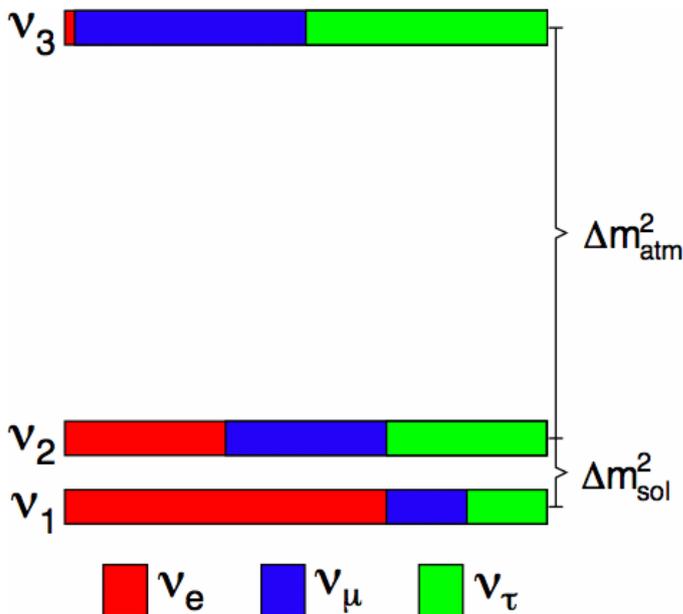
$$|\Delta m_{atm}^2| = 2.3 \times 10^{-3} eV^2$$

$$\theta_{23} \approx 45^\circ$$

Open questions:

Normal Hierarchy

or Inverted Hierarchy?



$$\delta = ?$$

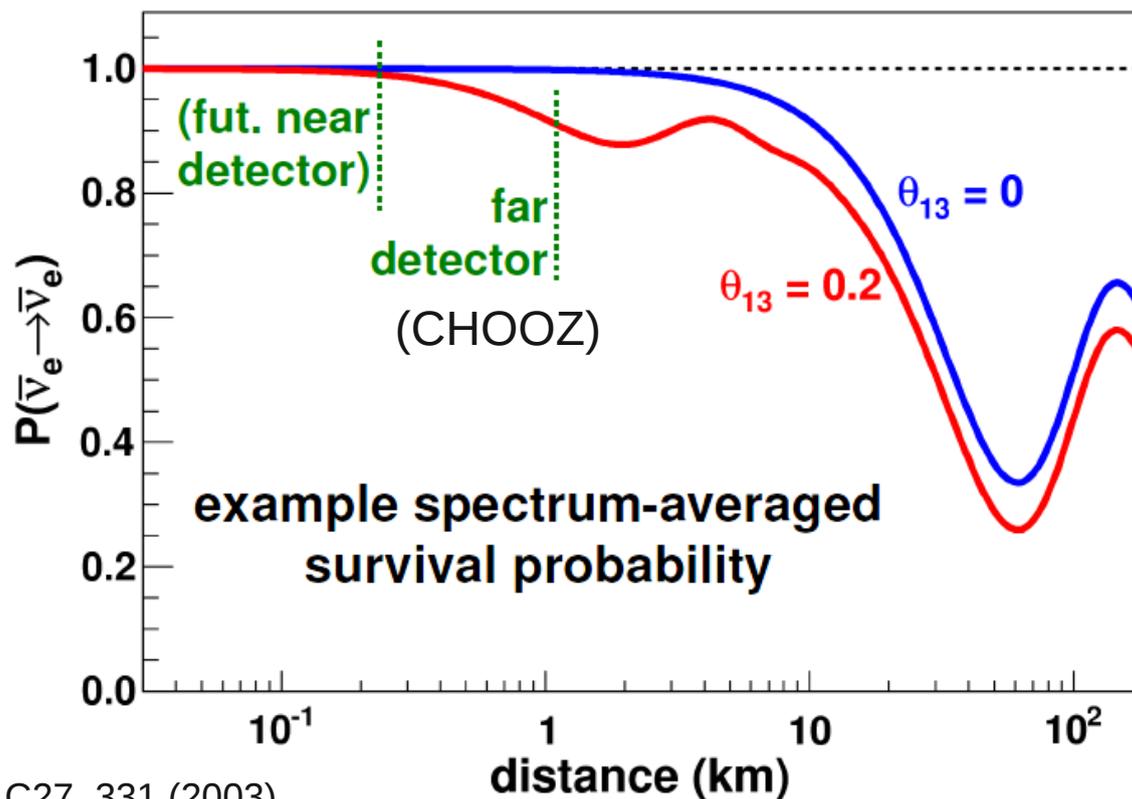
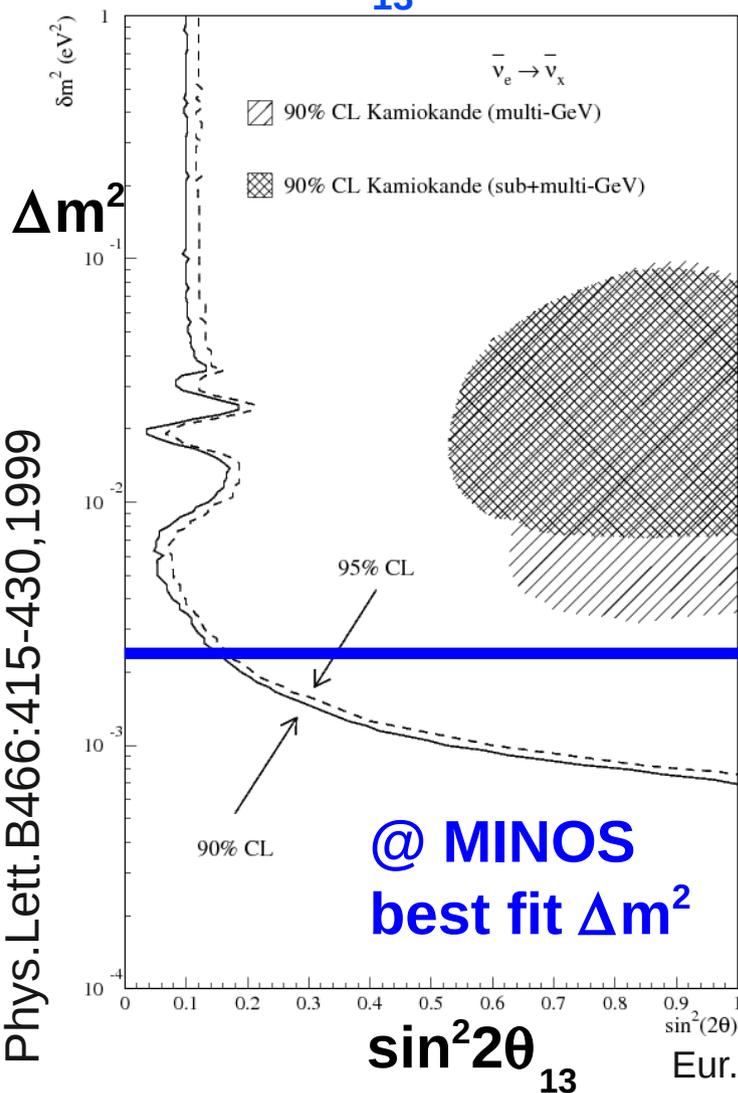
$$\theta_{13} = ?$$

Measuring θ_{13} with reactor ν 's

CHOOZ reactor
neutrino experiment:
 $\sin^2 2\theta_{13} < 0.16$

disappearance of $\bar{\nu}_e$ from a reactor

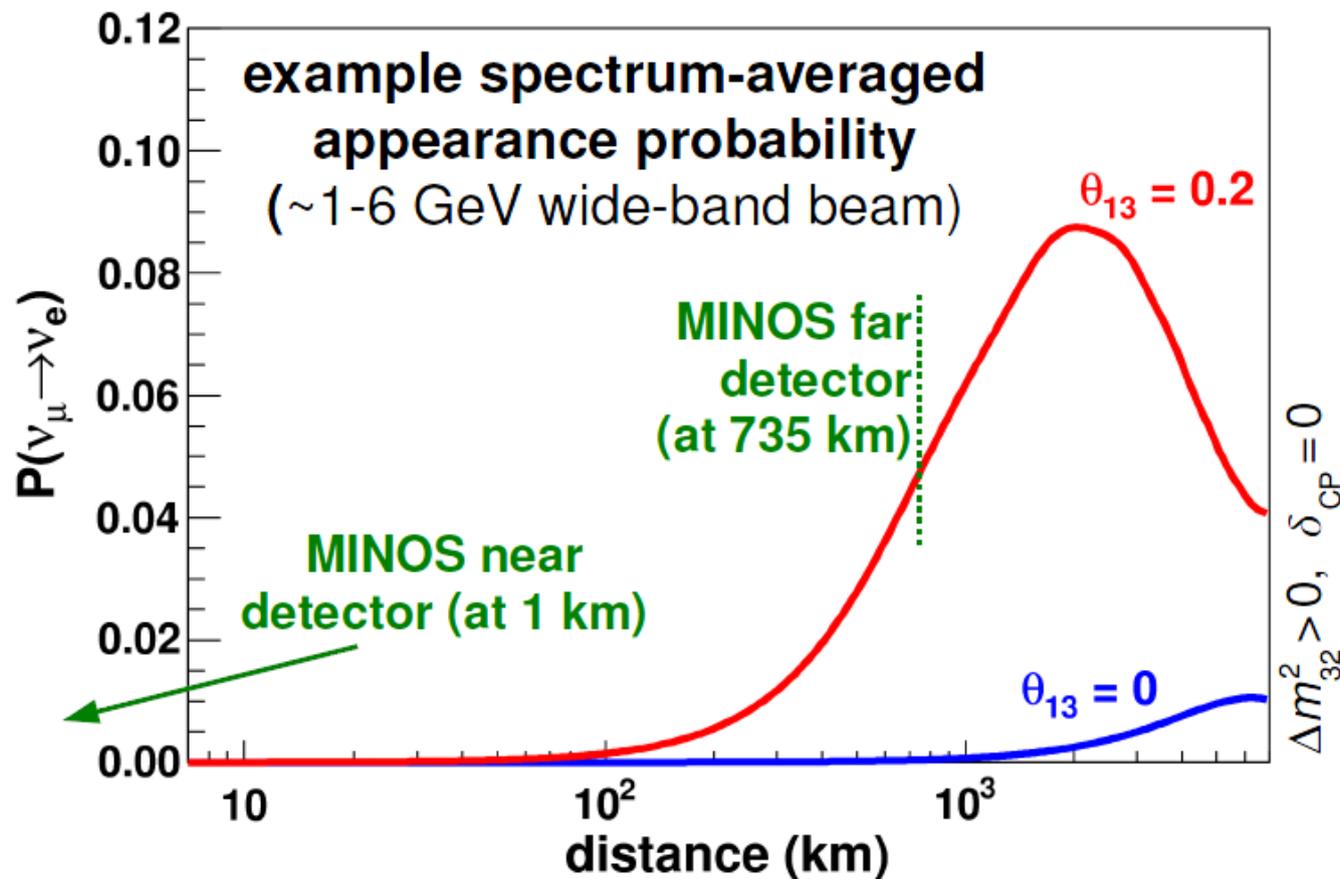
$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) \approx 1 - \sin^2 2\theta_{13} \sin^2(1.27 \Delta m_{atm}^2 L/E) - C_{13}^4 \sin^2 2\theta_{12} \sin^2(1.27 \Delta m_{sol}^2 L/E)$$



Measuring θ_{13} with accelerator ν 's

appearance of ν_e in a ν_μ beam

$$P(\nu_\mu \rightarrow \nu_e) \approx \sin^2(2\theta_{13}) \sin^2\theta_{23} \sin^2\left(\frac{\Delta m_{atm}^2 L}{4E}\right) \quad (\text{Dominant term})$$

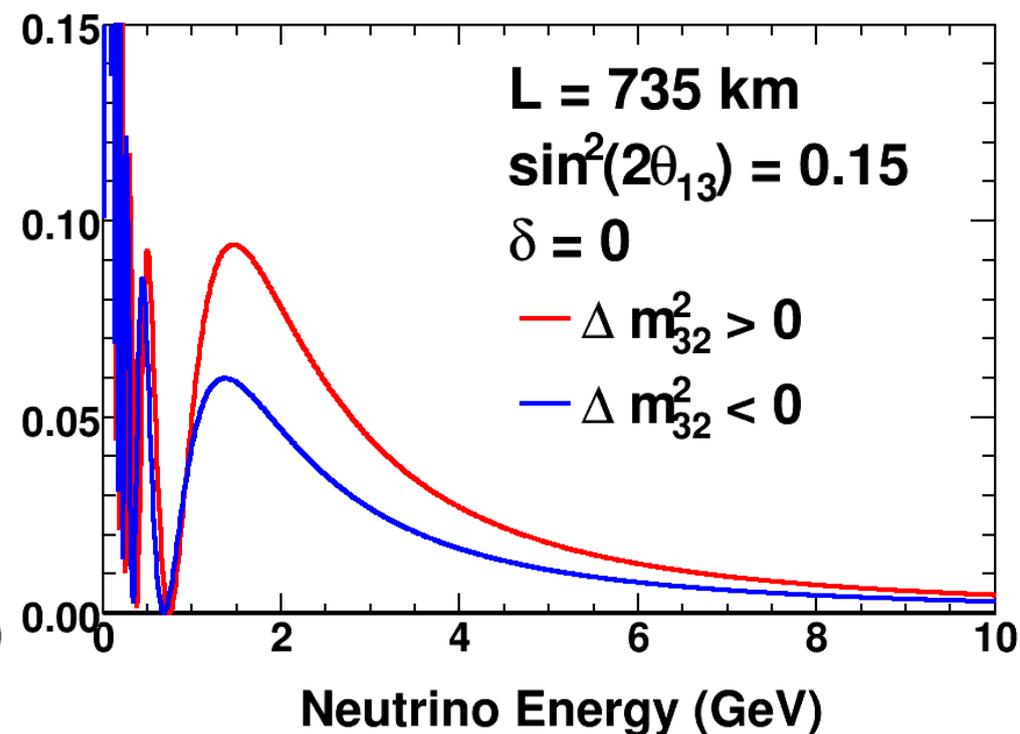
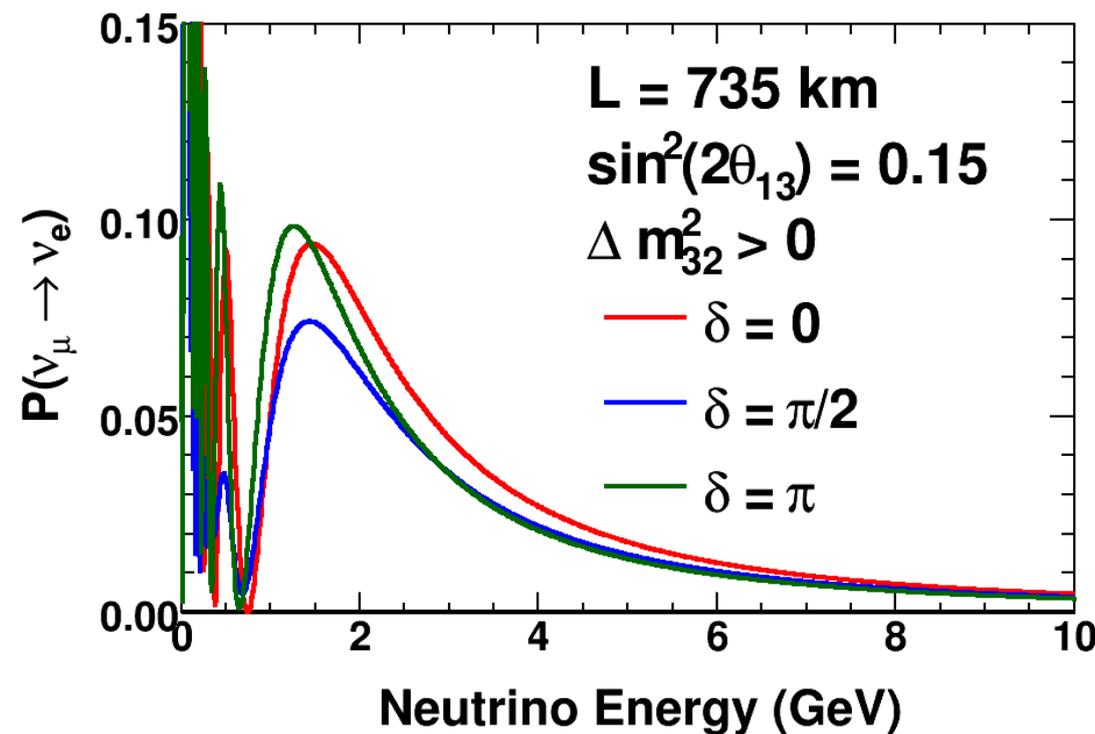


Measuring θ_{13} with accelerator ν 's

$P(\nu_{\mu} \rightarrow \nu_e)$ has higher order terms that depend on δ and the mass hierarchy

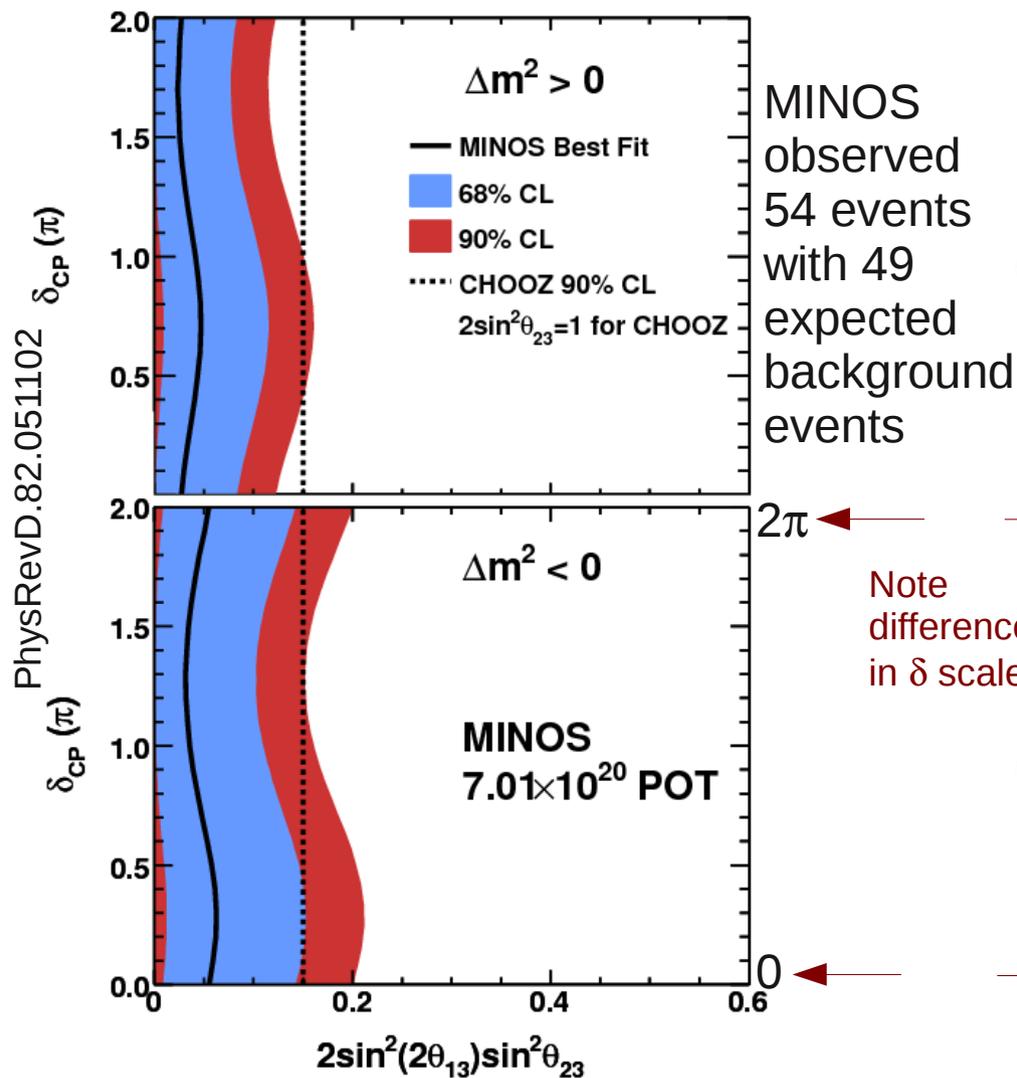
δ dependence

mass hierarchy dependence

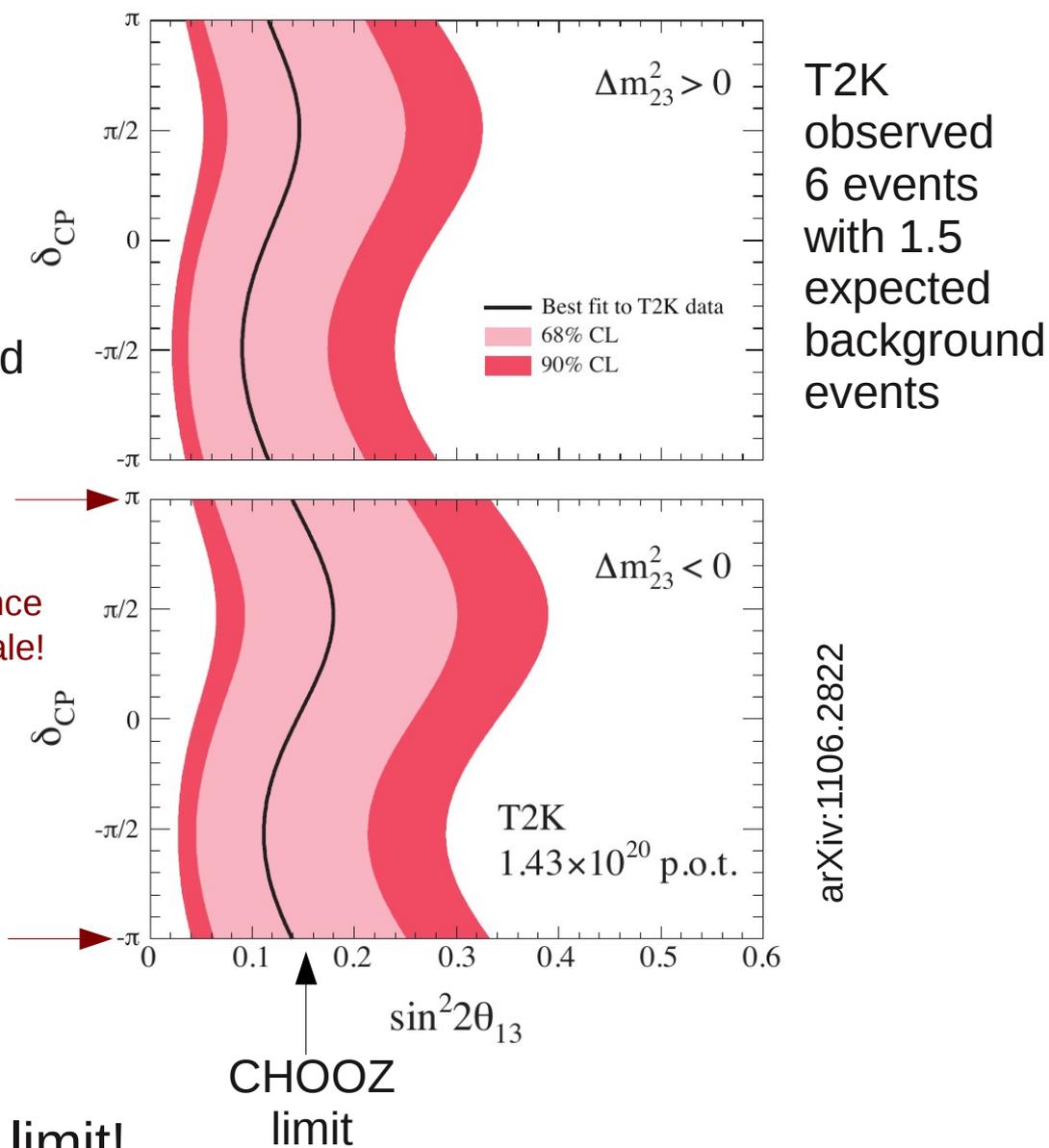


Measuring θ_{13} with accelerator ν 's

MINOS 2010



T2K 2011



MINOS was the first experiment with sensitivity to θ_{13} beyond the CHOOZ limit!

The MINOS Experiment

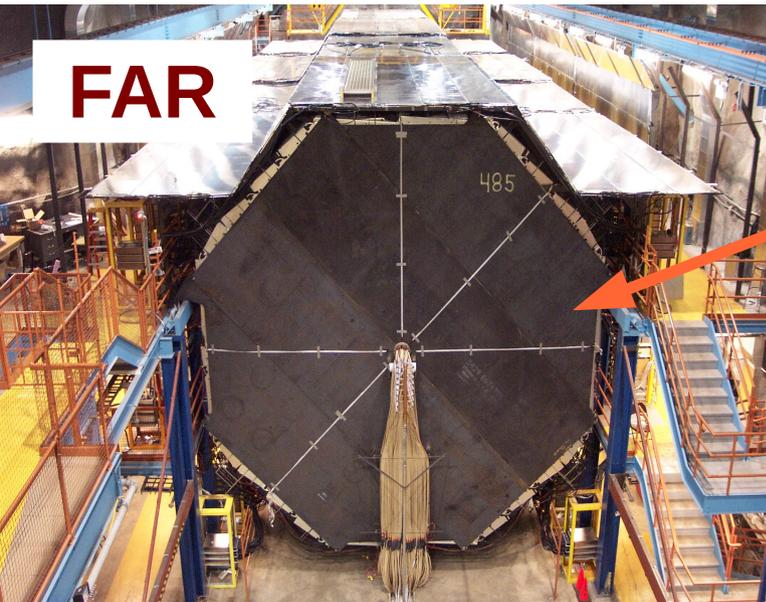


FERMILAB #98-765D



MINOS detectors

alternating layers of steel plates and scintillator strips in a
~1.3 T toroidal magnetic field



FAR

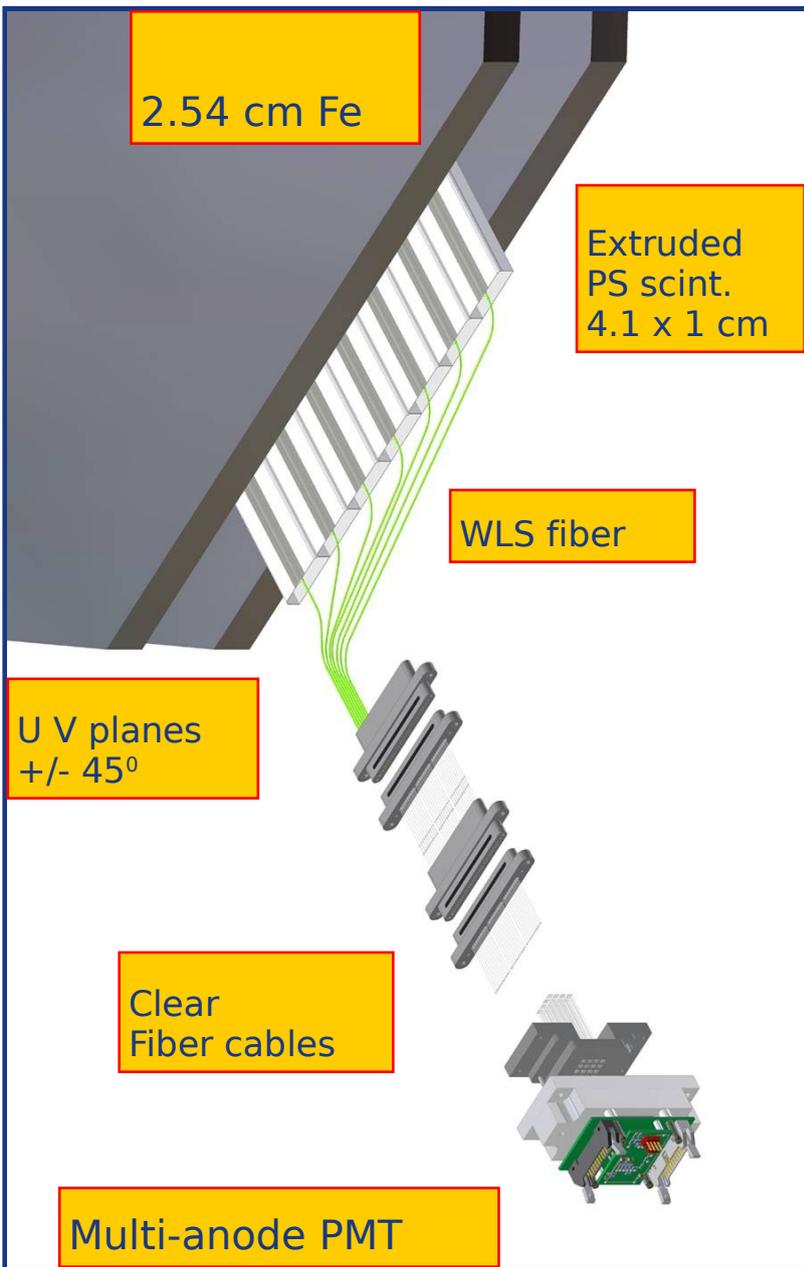


NEAR

735 km from the target
5.4 kilotons
8 m tall planes
486 planes (30 m)
700 m underground
Few ν interactions/day

1 km from the target
1 kiloton
~4 m tall planes
282 planes (15 m)
100 m underground
Few ν interactions/spill

MINOS detectors



Steel thickness: 2.54 cm (~ 1.4 radiation lengths)

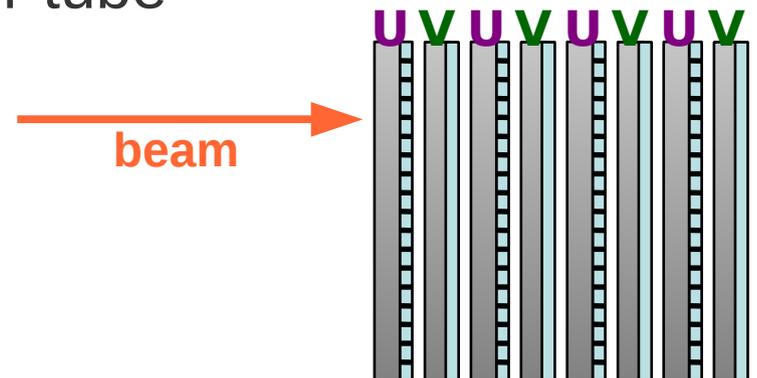
Strip width: 4.1cm

Moliere radius (radius of 90% containment of EM showers) ~ 3.7 cm

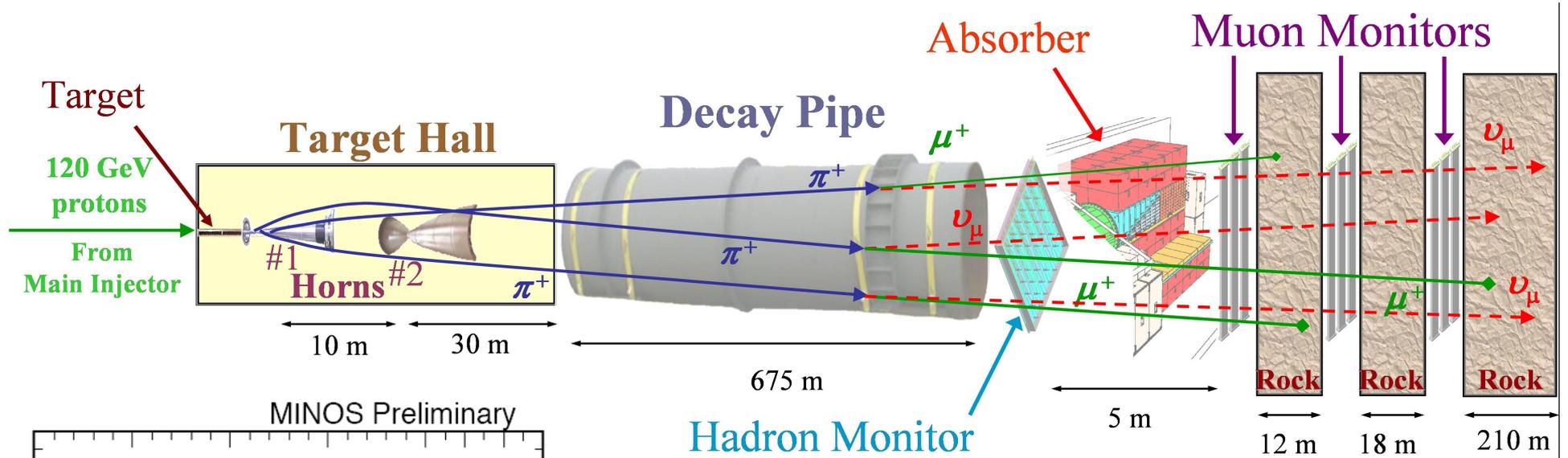
Strips in adjacent planes are oriented orthogonally enabling 3D reconstruction

Each strip is read out by a wavelength shifting fiber connected to a multi-anode photomultiplier tube

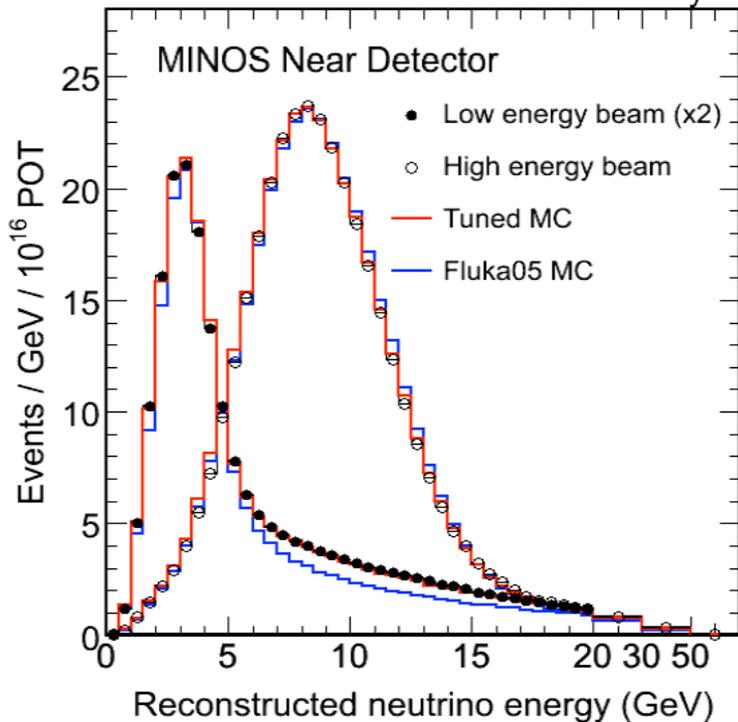
U/V strips oriented $\pm 45^\circ$ from vertical



NuMI Beam



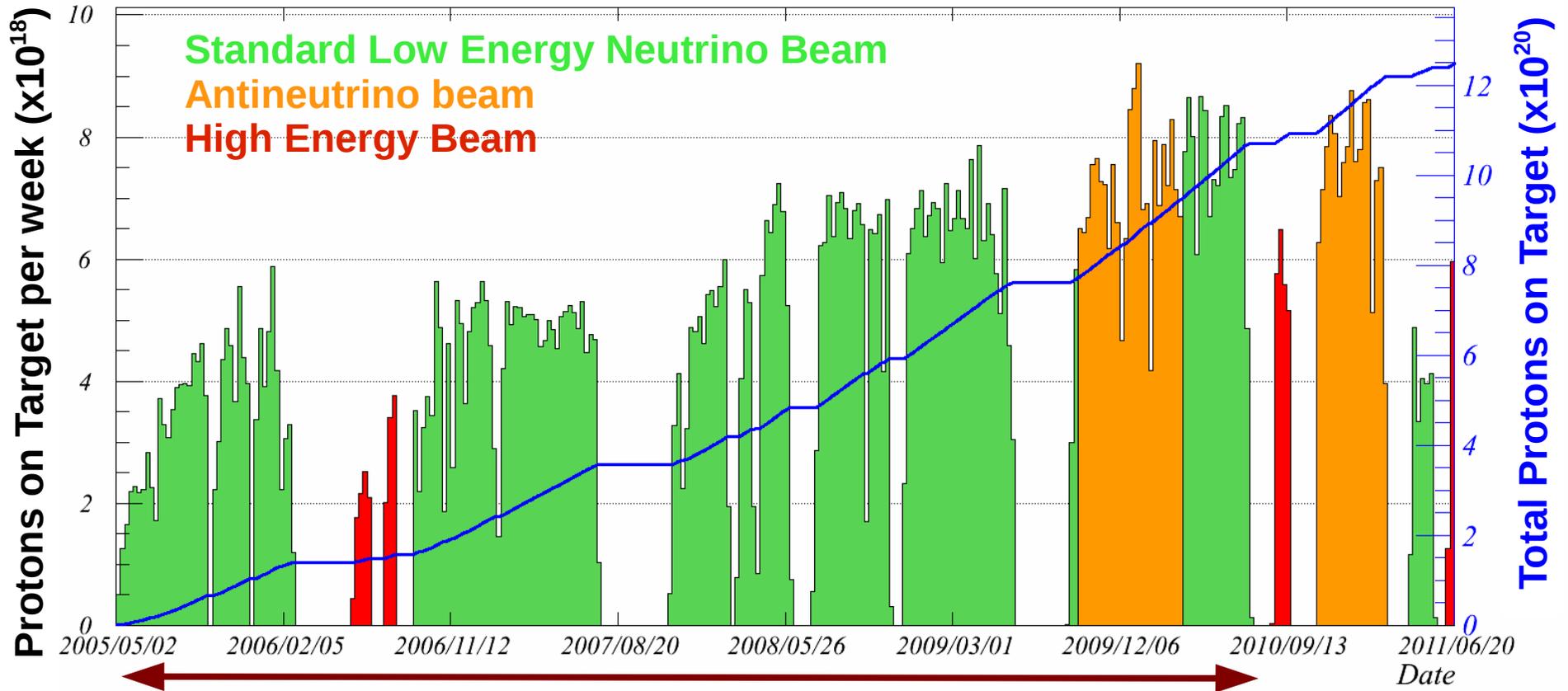
MINOS Preliminary



- 120 GeV protons hit a carbon target
- magnetic horns focus π^+
- $\pi^+ \rightarrow \mu^+ \nu_\mu$
- ν_e contamination (1.3%) from $\mu^+ \rightarrow e^+ \bar{\nu}_\mu \nu_e$
- Target position can be changed to tune the neutrino energy spectrum

Protons Delivered to Target

Total NuMI protons to 00:00 Monday 20 June 2011

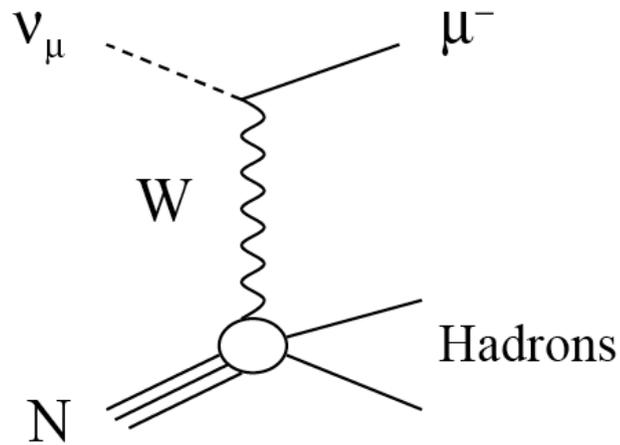
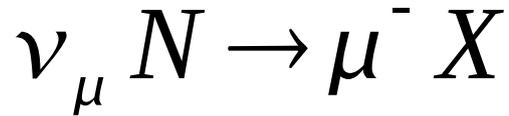


Today's result

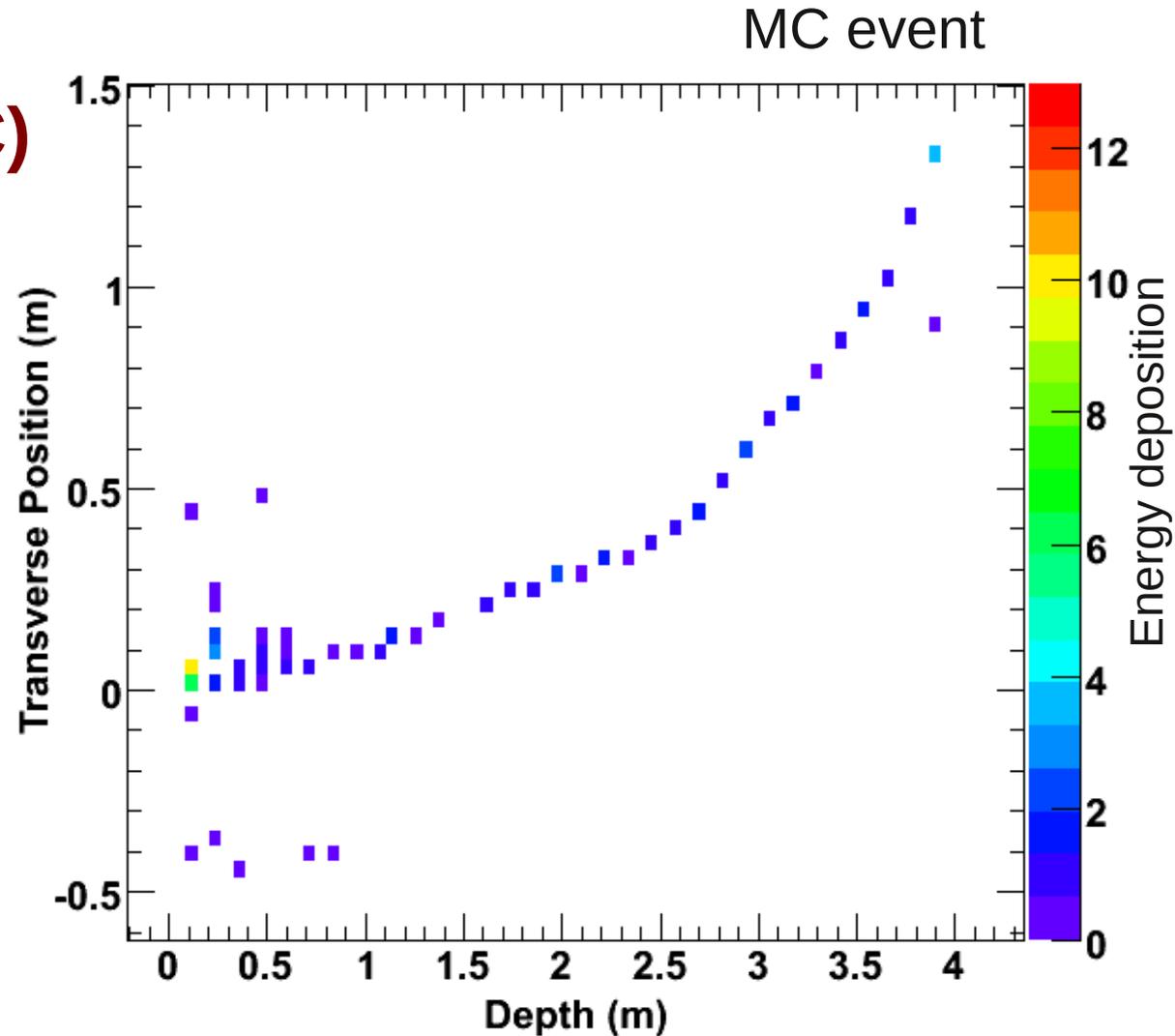
Only data from our standard low energy beam is used for the result. (only the green)

Neutrino Interactions at MINOS

ν_μ Charged Current (CC)



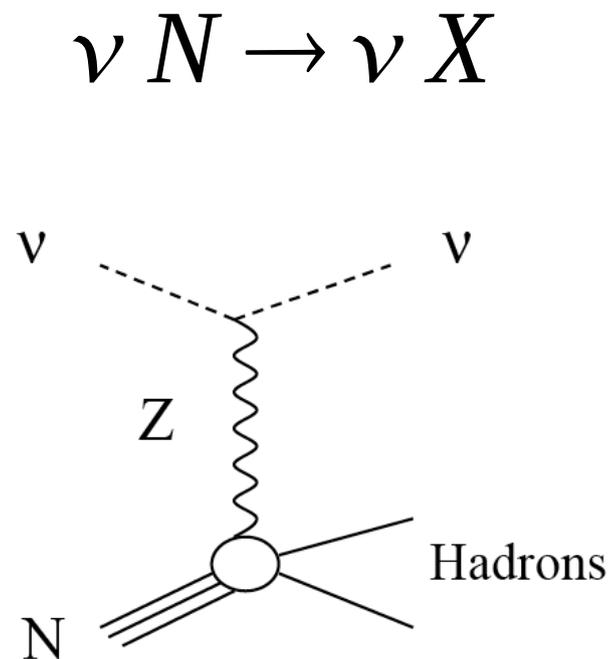
The outgoing muon and hadronic shower deposit energy in the detector.



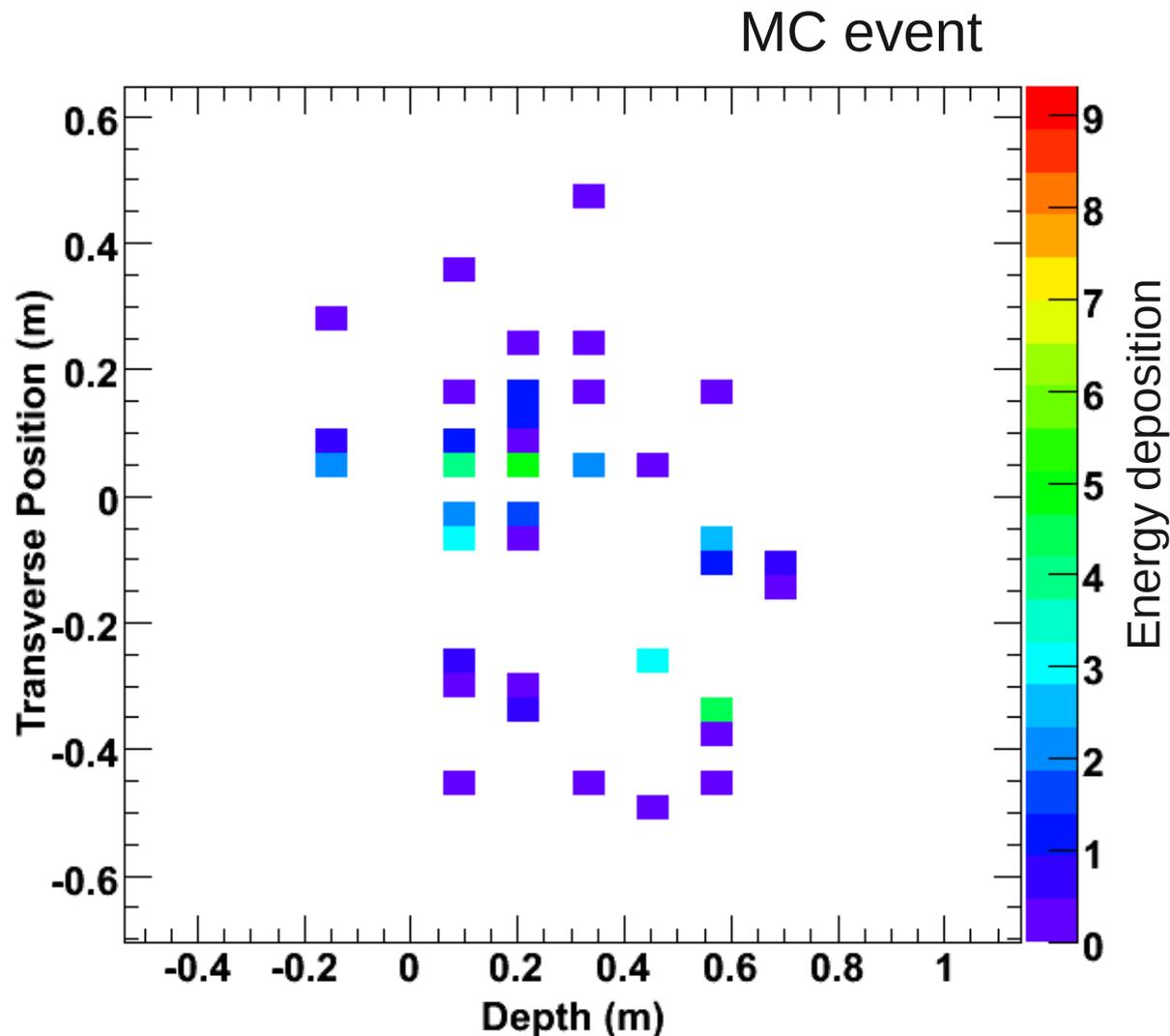
Long μ track with hadronic activity at vertex

Neutrino Interactions at MINOS

Neutral Current (NC)



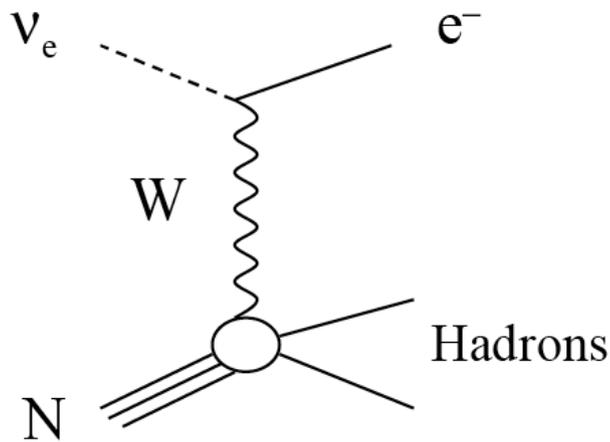
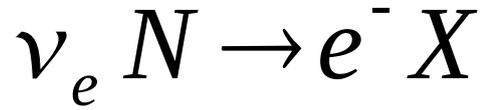
Only the hadronic shower deposits energy in the detector.



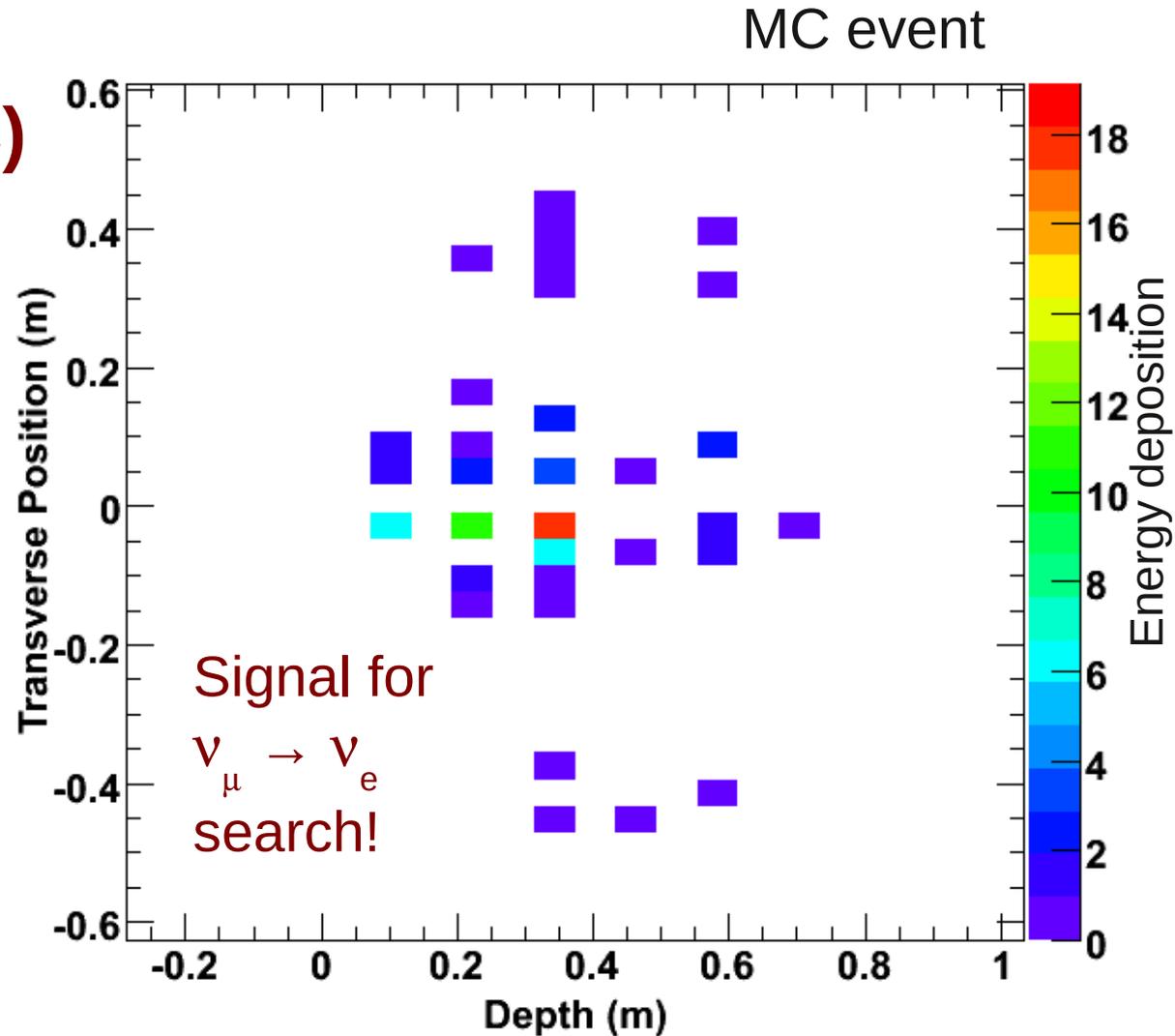
**short event,
often diffuse shower**

Neutrino Interactions at MINOS

ν_e Charged Current (CC)



The outgoing electron and hadronic shower deposit energy in the detector.

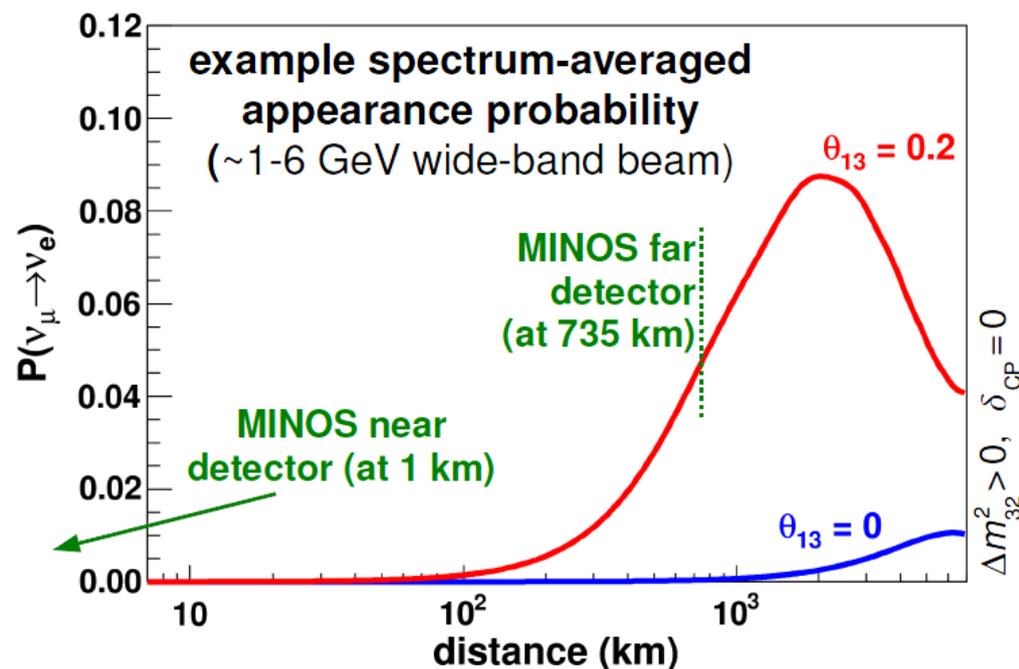
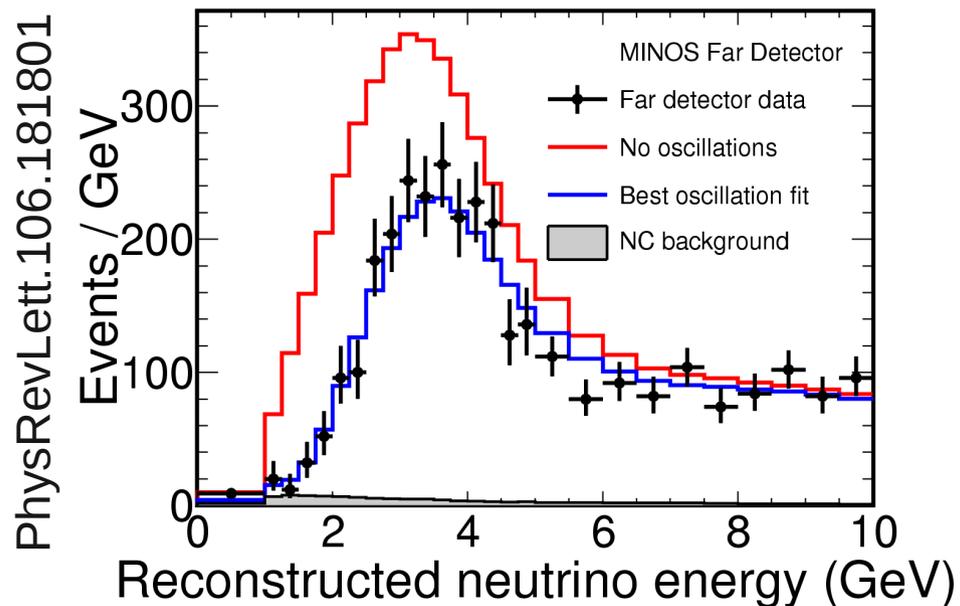


Short event, with compact shower profile

ν_e appearance in MINOS

MINOS measures ν_μ disappearance:

The probability for those missing ν_μ 's to become ν_e 's is at most a few percent!



Searching for ν_e appearance

- 1) Determine selection criteria for ν_e candidate events
- 2) Use ND data to make a background prediction for the FD
- 3) Is there an excess of ν_e -like events over the predicted background in the FD?

Projected Sensitivity

Sensitivity =

90% CL upper limit we would set if we observed exactly the background prediction.

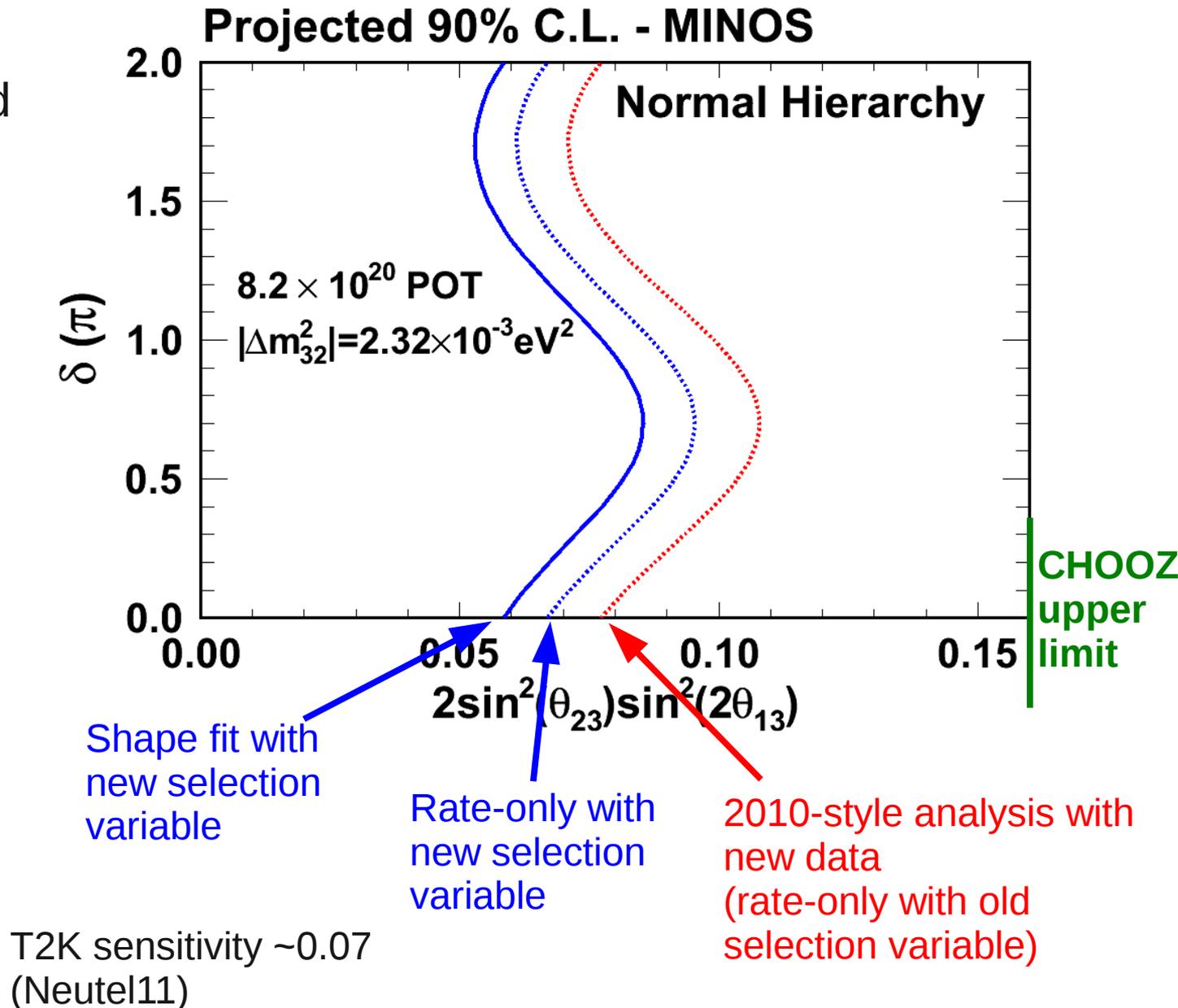
Since 2010 result:

Phys. Rev. D 82, 051102

- 1.2×10^{20} POT (17%) more data

- Improved event selection variable: 15% sensitivity gain

- Shape fit: 12% sensitivity gain



1) Determine selection criteria for ν_e candidate events

2) Use ND data to make a background prediction for the FD

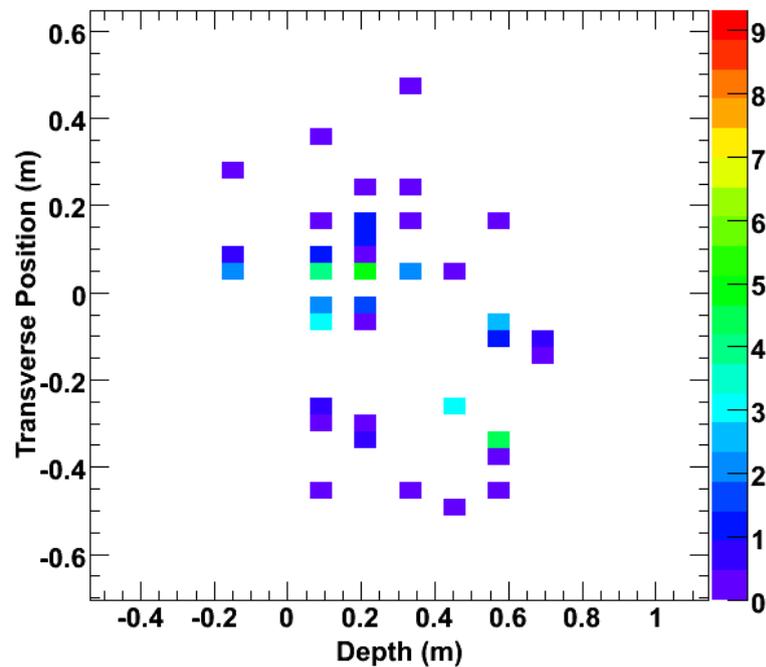
3) Is there an excess of ν_e -like events over the predicted background in the FD?

Selecting ν_e -like events

Preselection cuts to remove events that are obviously not signal:

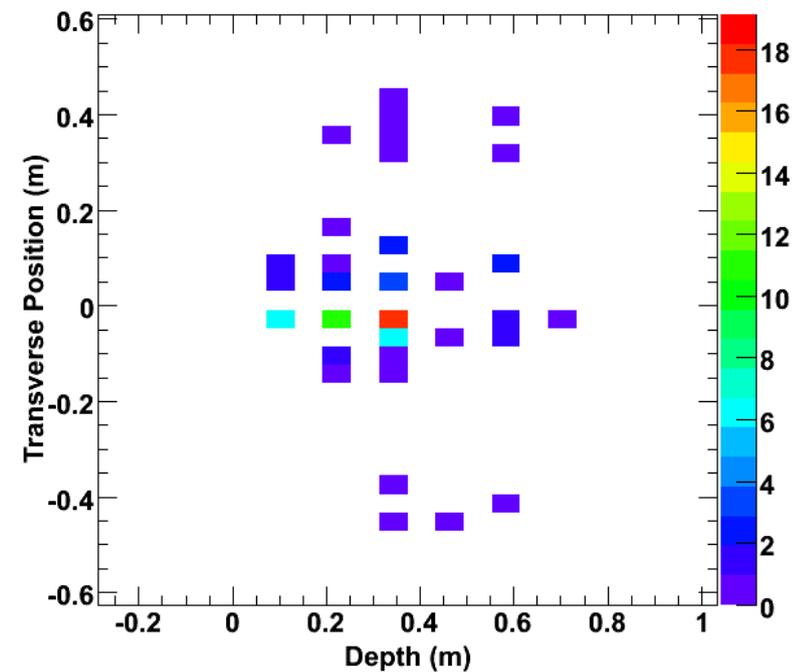
- No long tracks
- At least one well-formed shower
- With visible energy 1-8 GeV

After these cuts, background consists mostly of NC



(NC background)

Need to discriminate



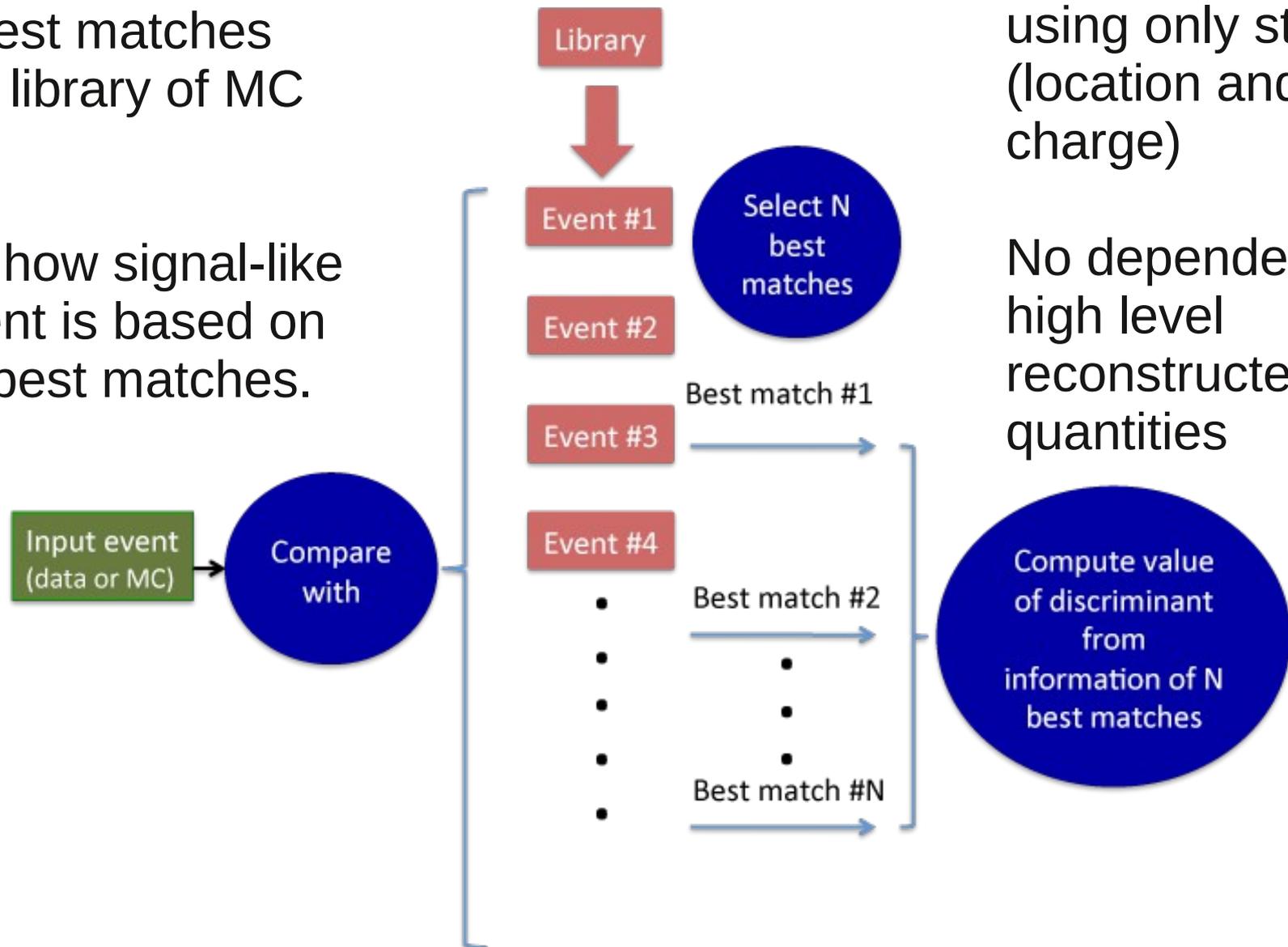
(signal)

Library Event Matching (LEM)

New selection variable!

Find best matches from a library of MC events

Judge how signal-like an event is based on those best matches.

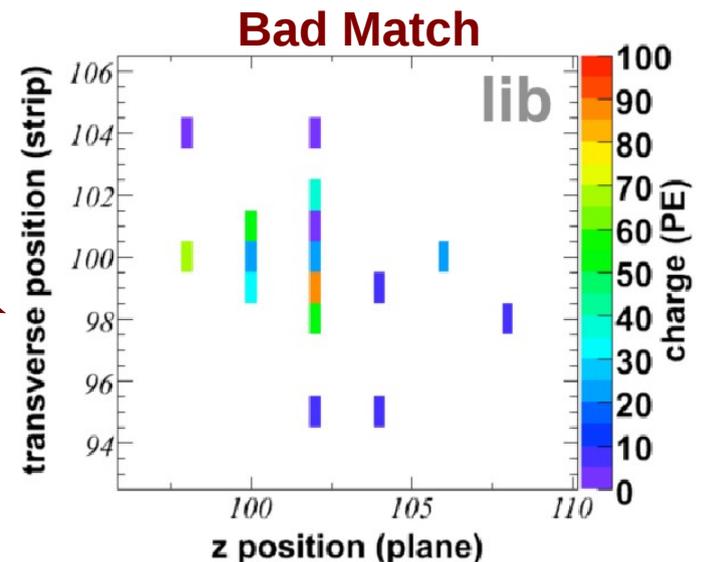
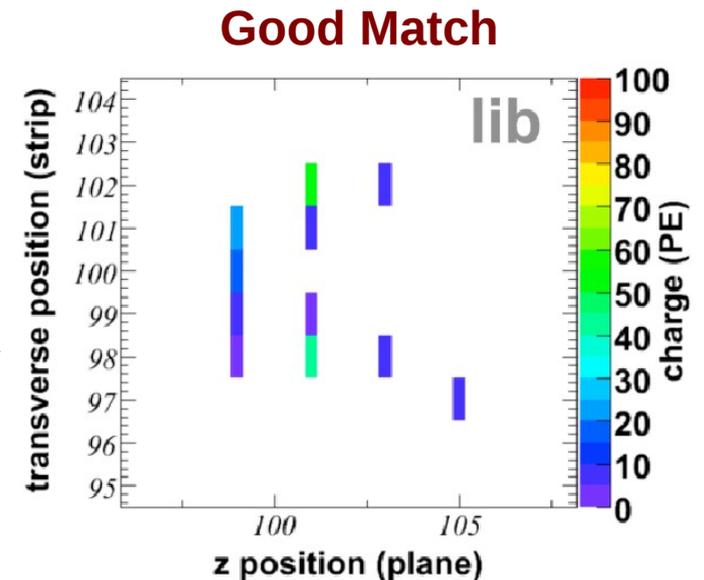
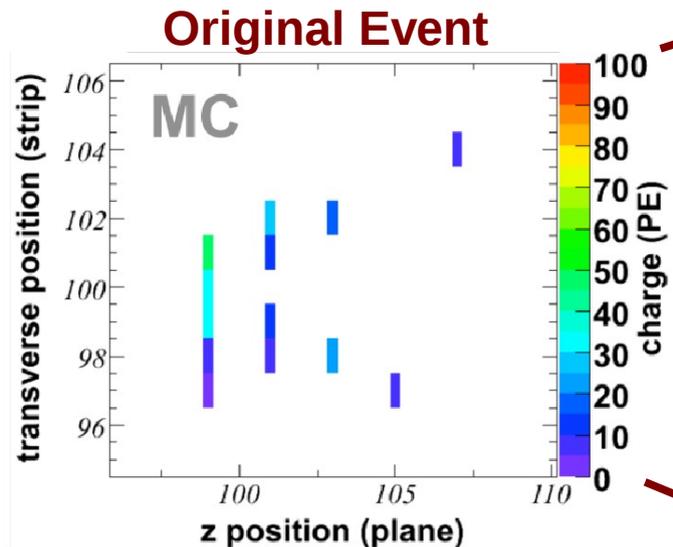


Matching is done using only strip info (location and charge)

No dependence on high level reconstructed quantities

Matching

Each input event is compared to the library events by calculating the likelihood that the photoelectrons in each event came from the same energy deposition.

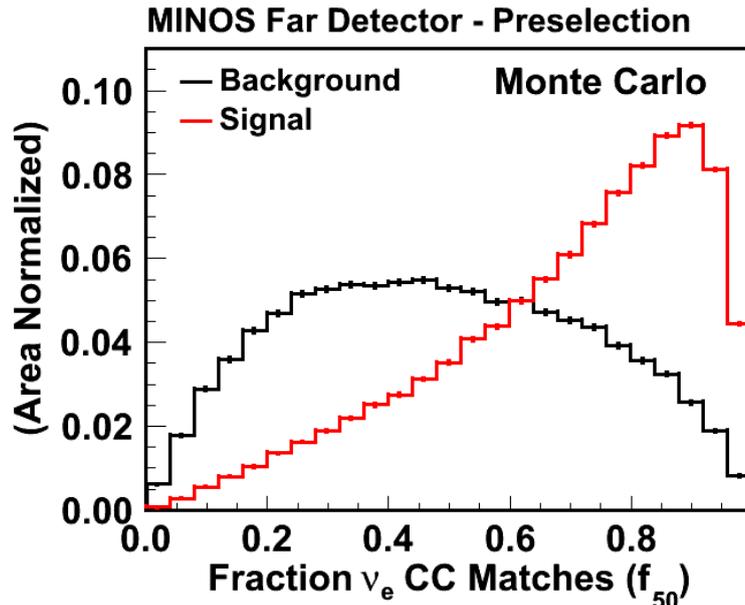


The library consists of:

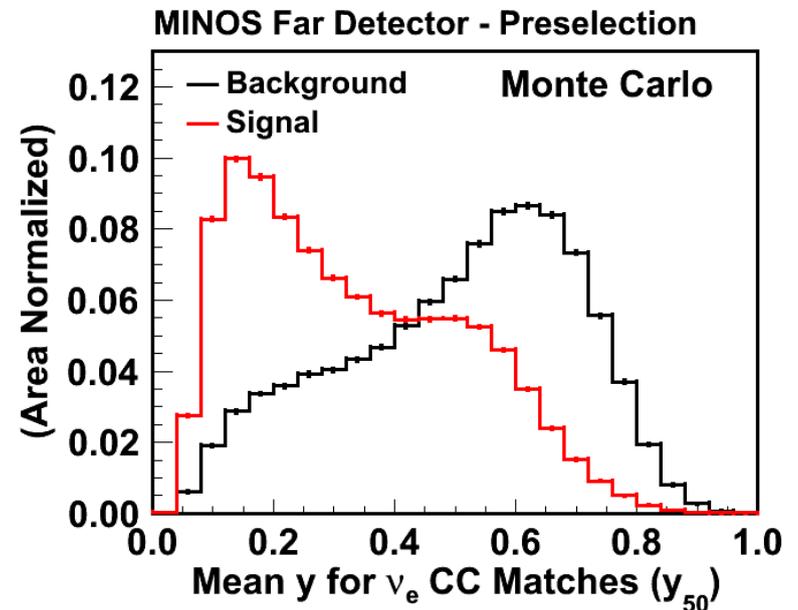
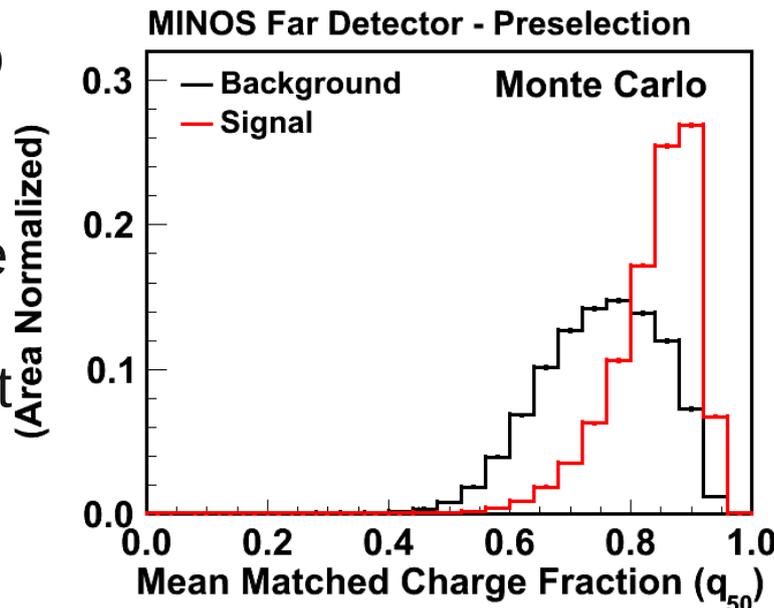
- 20 million signal events
- 30 million background (NC) events

Info from best matches

How many of the best matches are signal?



How well do the charges overlap between the input event and the best matches?



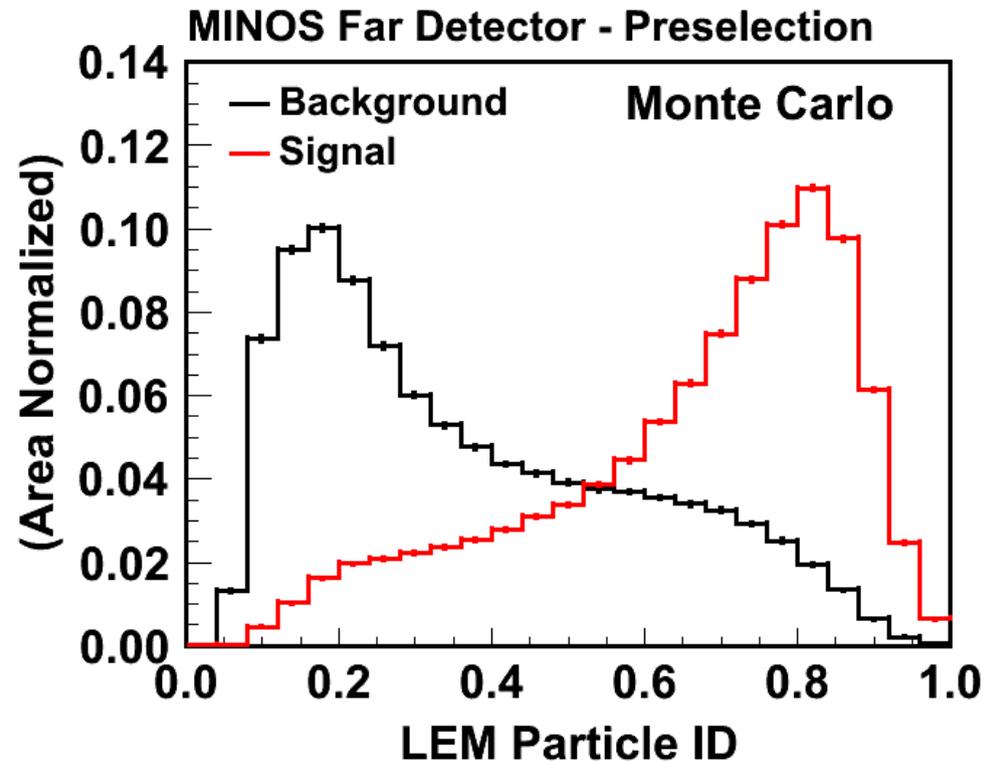
Average y of the ν_e CC matches?

(y = fraction of ν energy in the hadronic shower)

Library Event Matching (LEM)

3 variables +
reconstructed energy
used as inputs to a
neural net

Output of neural net
is the LEM selection
variable



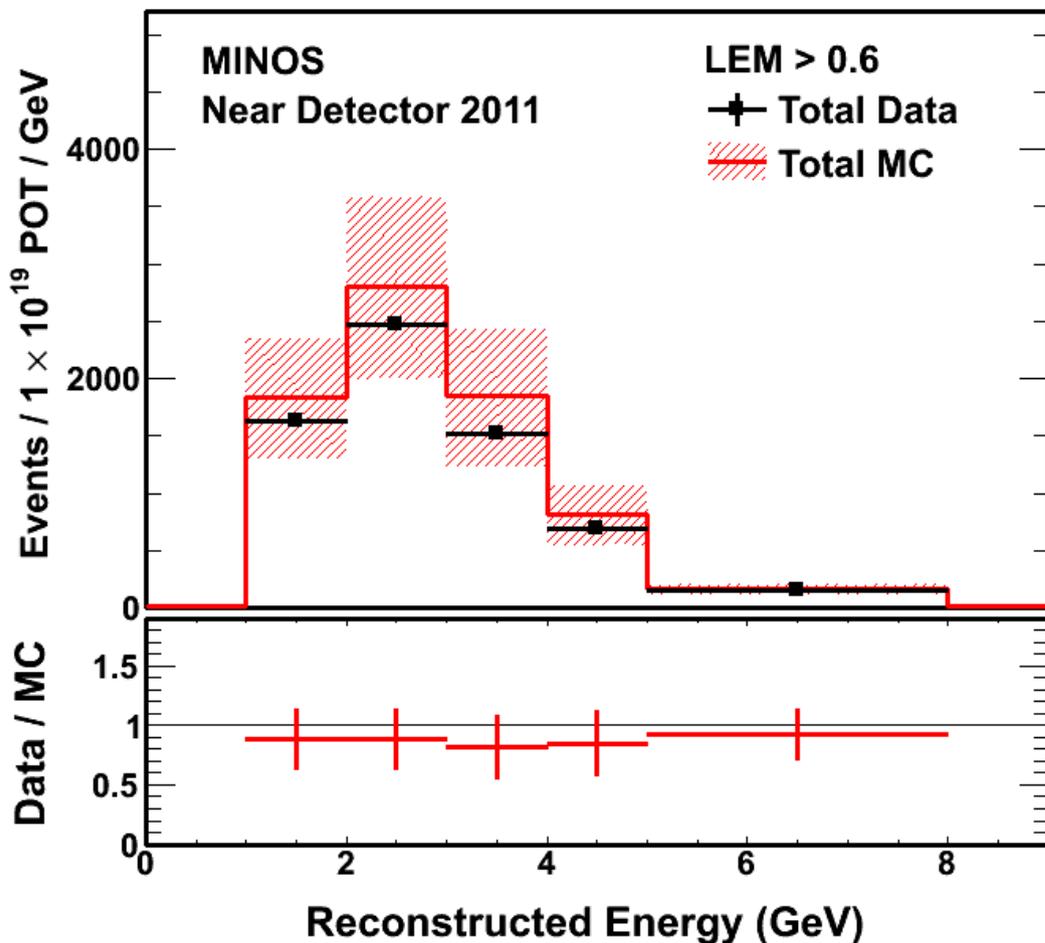
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Selected Near Detector Data

Apply the ν_e selection criteria to the ND data:



- Red shaded area is the systematic uncertainty on the MC simulation – dominated by uncertainties in modeling hadron production in ν interactions
- Having a near detector is essential – no need to rely solely on MC to predict the background in the far detector!

Background Extrapolation

Use ND measurement of NC, ν_{μ} CC, and beam ν_e CC backgrounds to predict FD background.

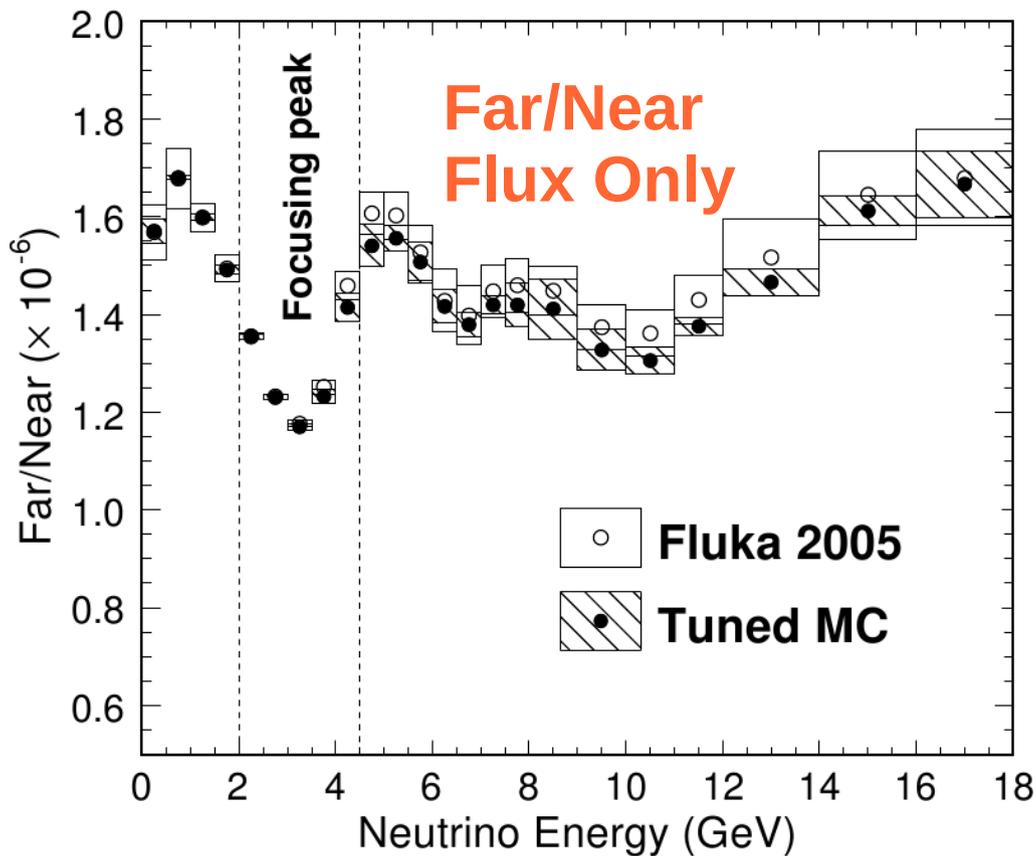
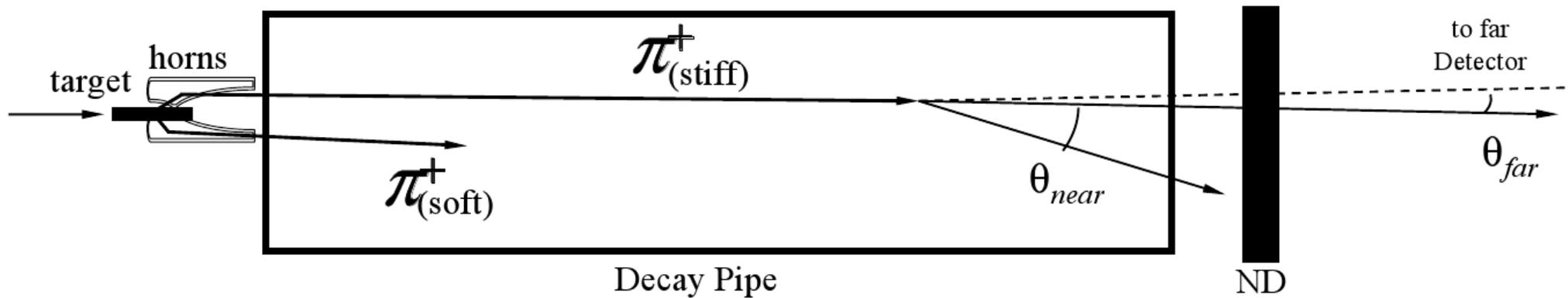
$$F_{\alpha,i} = N_{\alpha,i} \times R_{\alpha,i}^{F/N}$$

FD prediction
for component
 α in bin i

ND data for
component α
in bin i

Far/Near ratio:
Ratio of selected
events for
component α in
bin i using MC

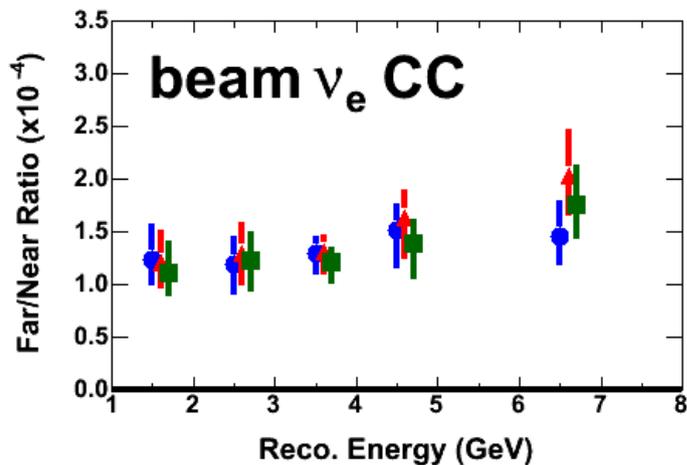
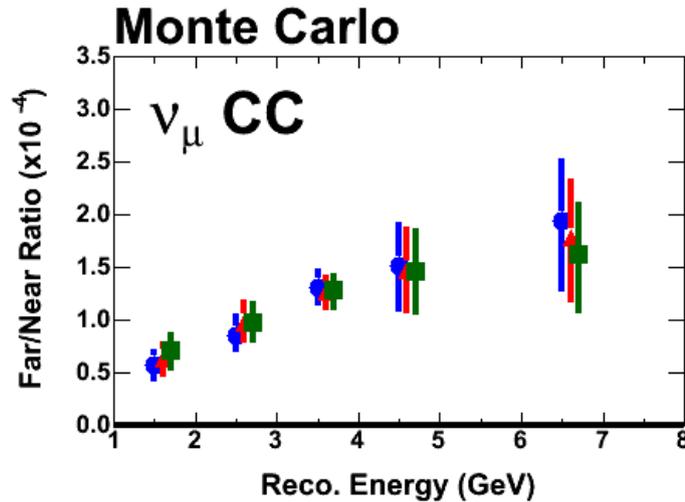
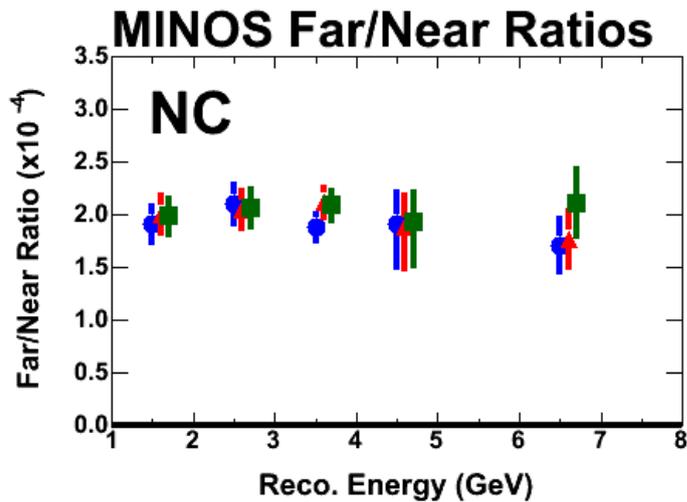
Far/Near Ratio



MC Far/Near ratio:

- Flux
 - $1/R^2$ fall-off
 - Point source vs line source (acceptance, decay kinematics, focusing...)

Far/Near Ratio



LEM > 0.7

- Run Period 1
- ▲ Run Period 2
- Run Period 3

MC Far/Near ratio:

- Flux
- Fiducial volume
- energy smearing
- ν_μ disappearance
- detector effects

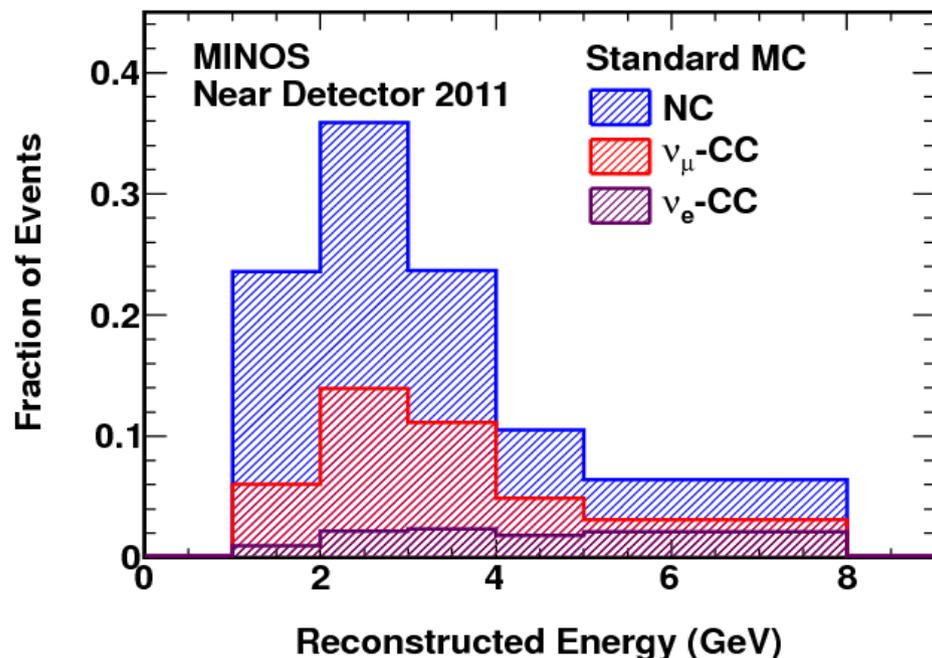
Error bars are systematic.

Near Detector Background

Oscillations affect each background component differently!

Need to know how much of each component in the ND data:

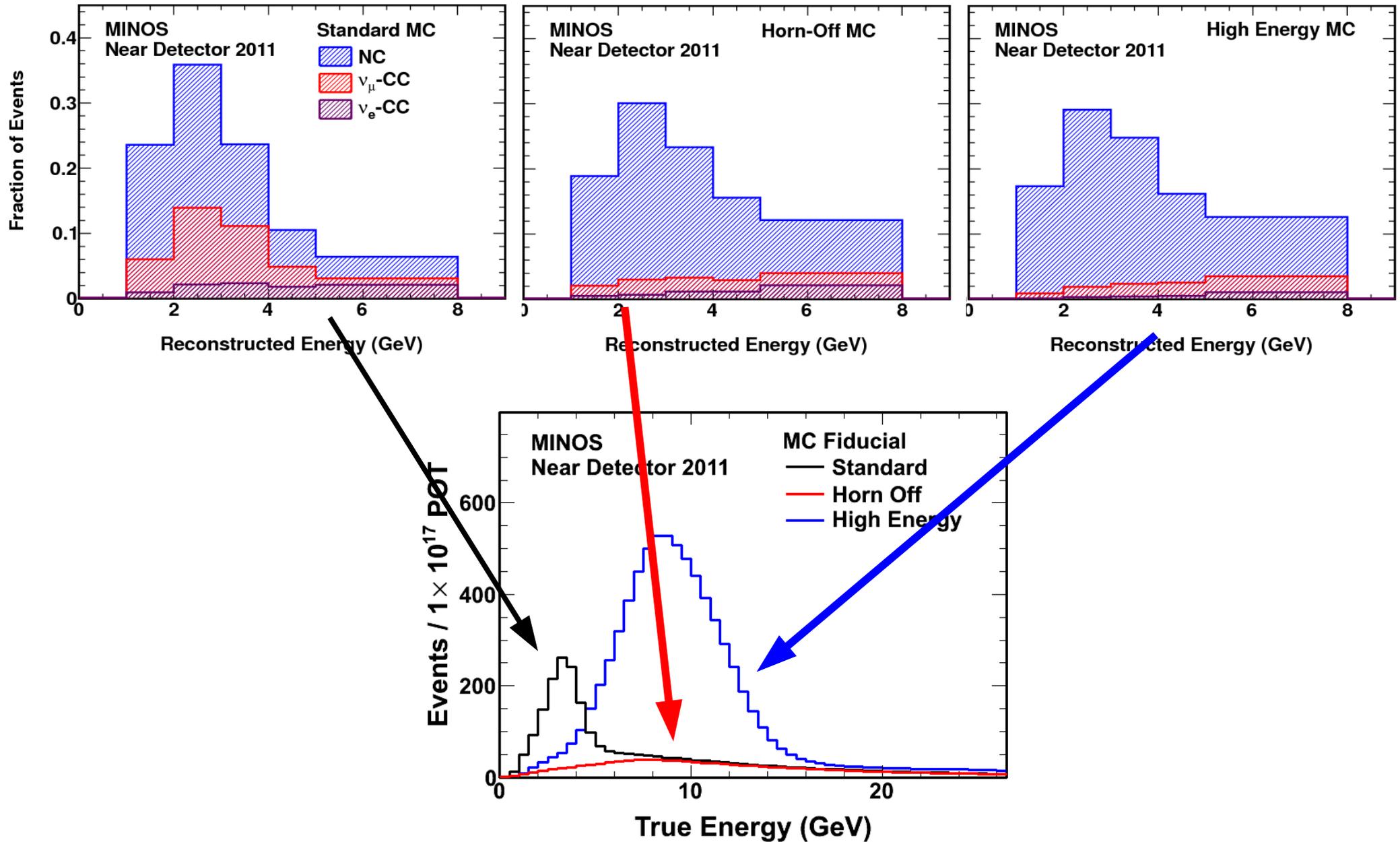
- **neutral current**
- **charged current ν_{μ}** ,
- **charged current ν_e (from beam contamination)**



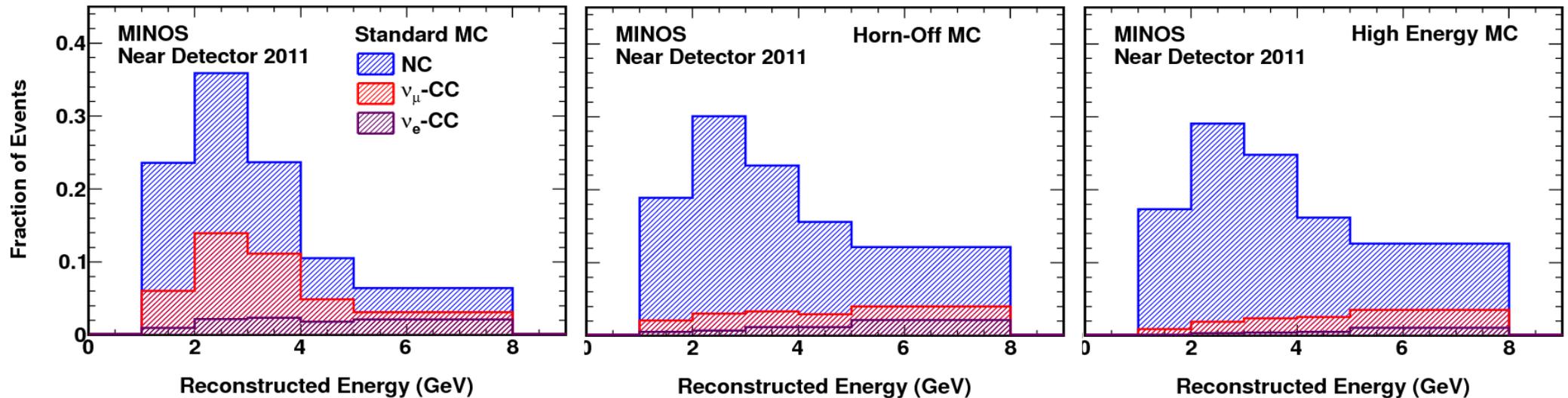
Extract it from the data – don't rely on the simulation

Due to the flexibility of our beam, we can use near detector data taken with different beam configurations to do this...

Different Beam Configurations



Data-Driven Background Separation



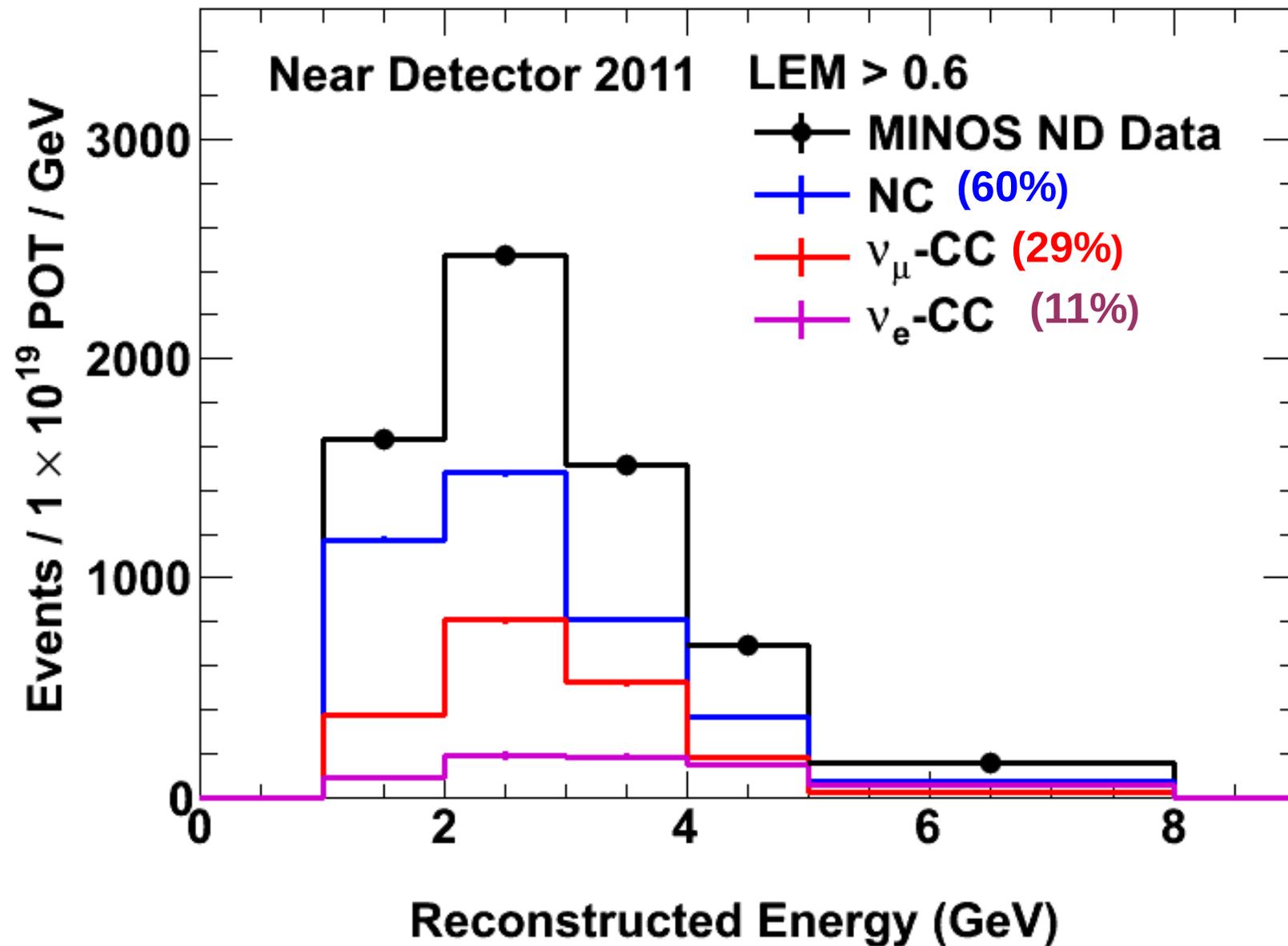
Use these 3 data sets to measure the 3 background components in the standard sample...

Using:

- Total measured rate in each beam configuration
- Relative interaction rates for each background component from the MC simulation

Can fit for the background components in the standard sample

Data-Driven Background Separation



Far Detector Prediction

For 8.2×10^{20} POT

Signal-enhanced
region
(LEM > 0.7)

$\delta = 0$

$\Delta m^2 = 2.32 \times 10^{-3} \text{ eV}^2$

$\theta_{23} = \pi/4$

$\sin^2 2\theta_{13} = 0.16$

Note bkgd
prediction is
dependent on θ_{13}

Component	# Events	
NC	34	
ν_{μ} CC	7	
beam ν_e CC	6	
ν_{τ} CC	2	
Total Bkgd	49	Predicted background and signal at CHOOZ limit
ν_e CC signal	30	

PRELIMINARY

Background Systematics

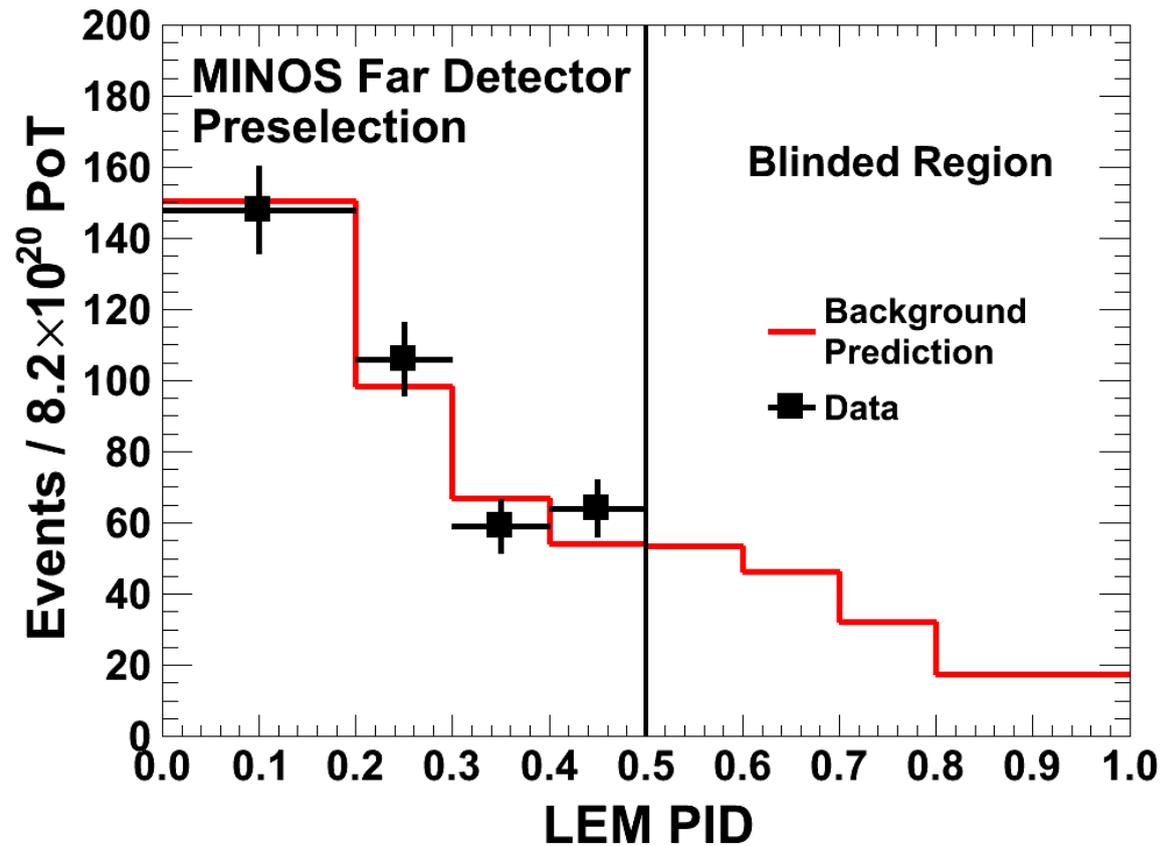
- 1) How well we know the composition of the **near detector background** (small)
- 2) How well we know the **Far/Near ratio**
 - **Calibration** - relative energy calibration, gains, absolute energy calibration, etc
 - **Relative Far/Near normalization**
 - **Hadronization model** - hadrons produced in the neutrino interaction
 - etc

Systematic Uncertainty 5.4%

On the background prediction in the signal-enhanced region ($LEM > 0.7$)

- 1) Determine selection criteria for ν_e candidate events
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Sideband: Outside the Signal Region



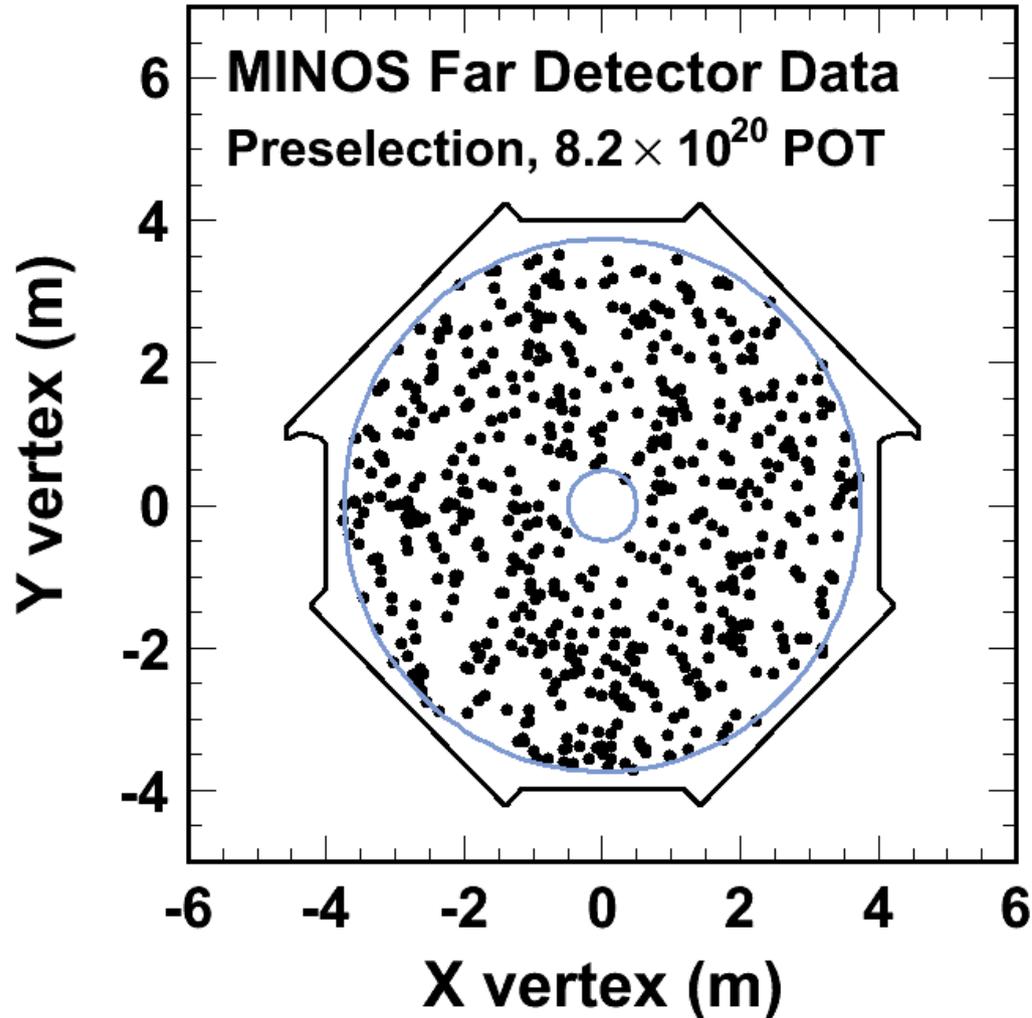
LEM < 0.5

observe 377 events

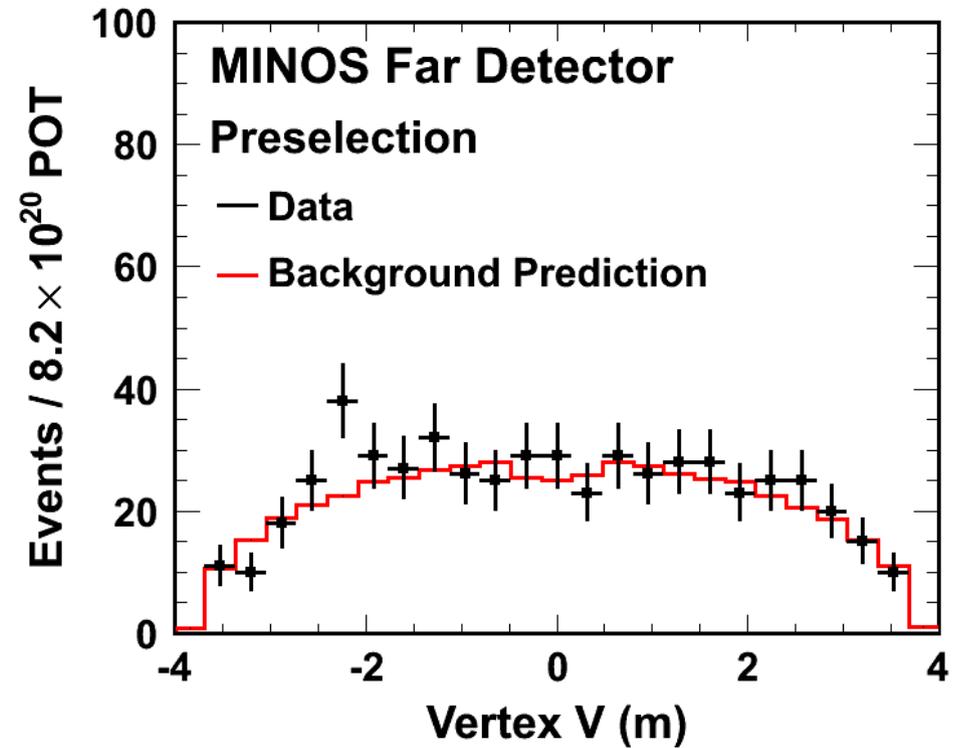
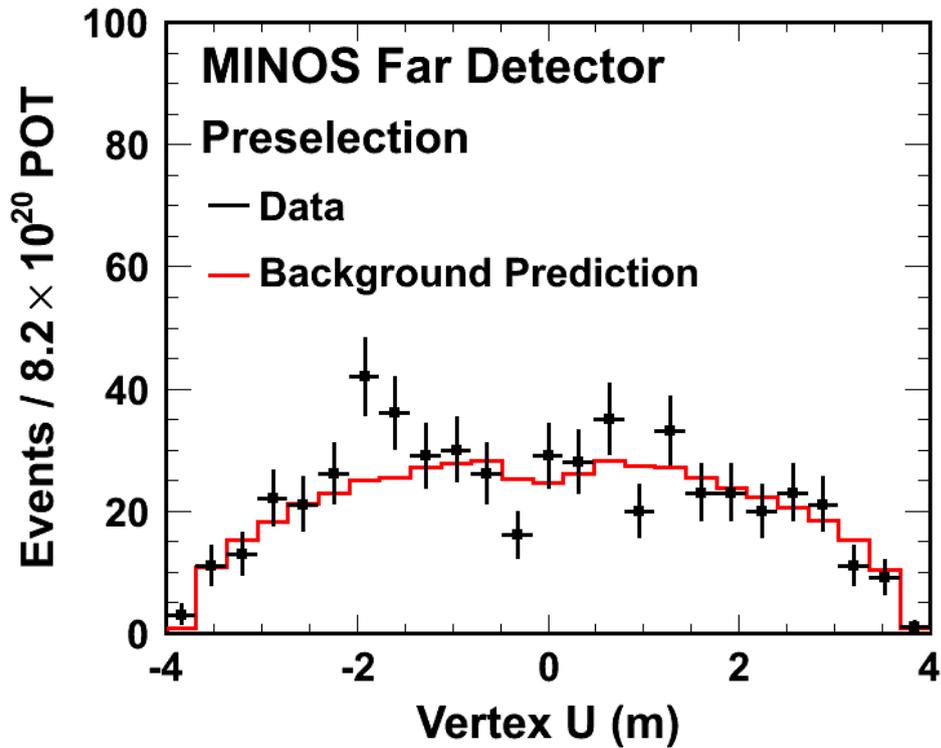
expect 370 \pm 19(stat) (@ $\theta_{13} = 0$)

Good test of entire analysis chain - background prediction and extrapolation to far detector.

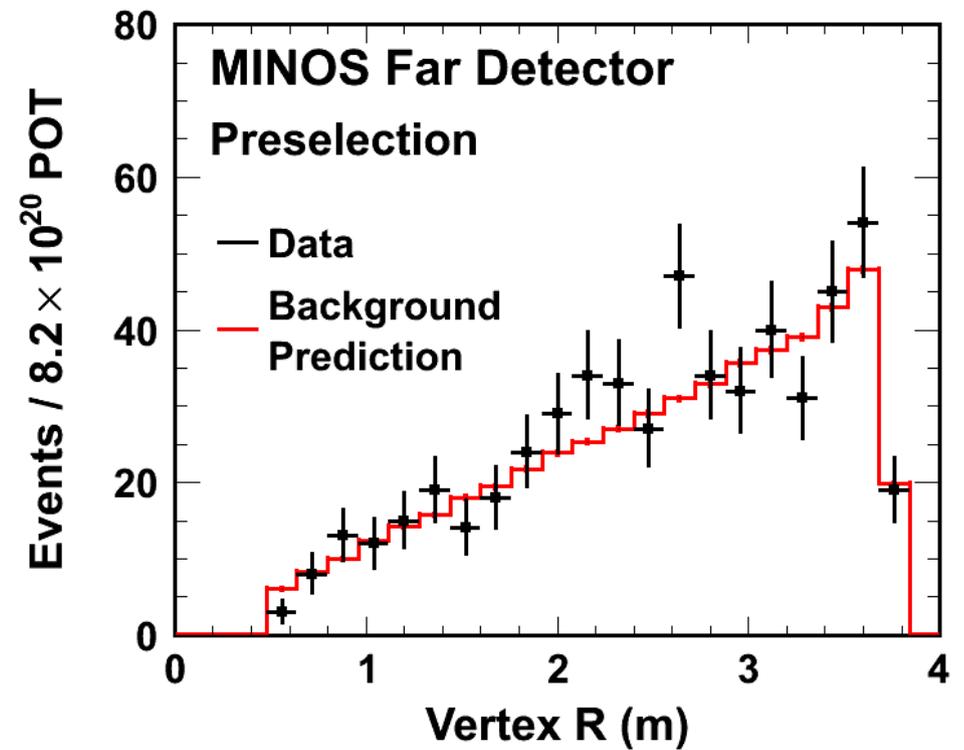
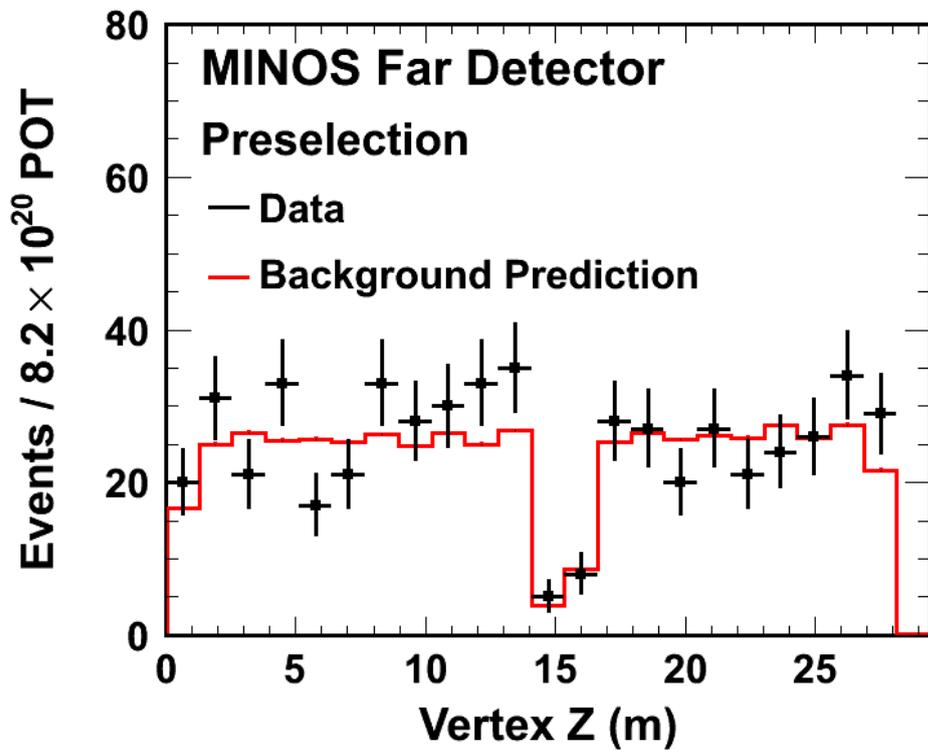
FD Vertex Distribution



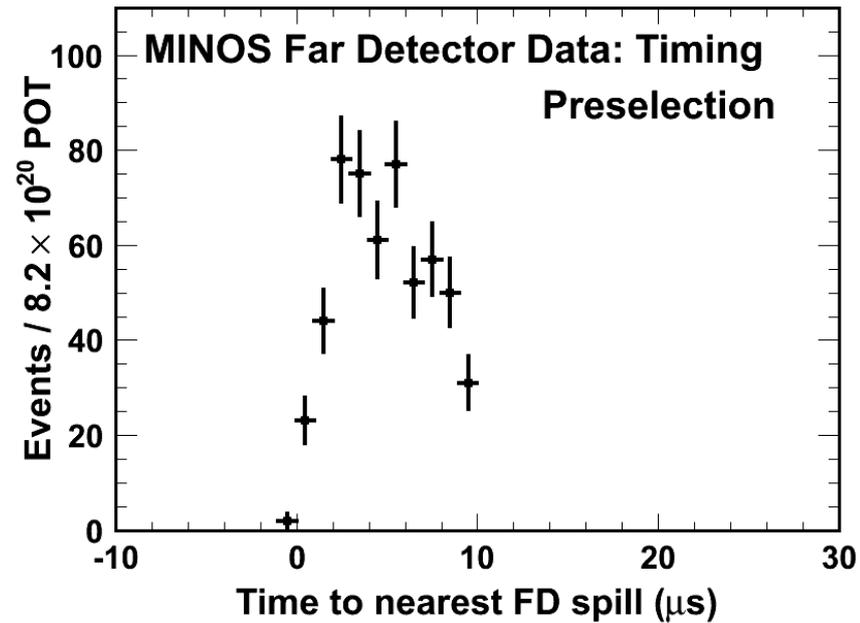
FD Vertex Distributions



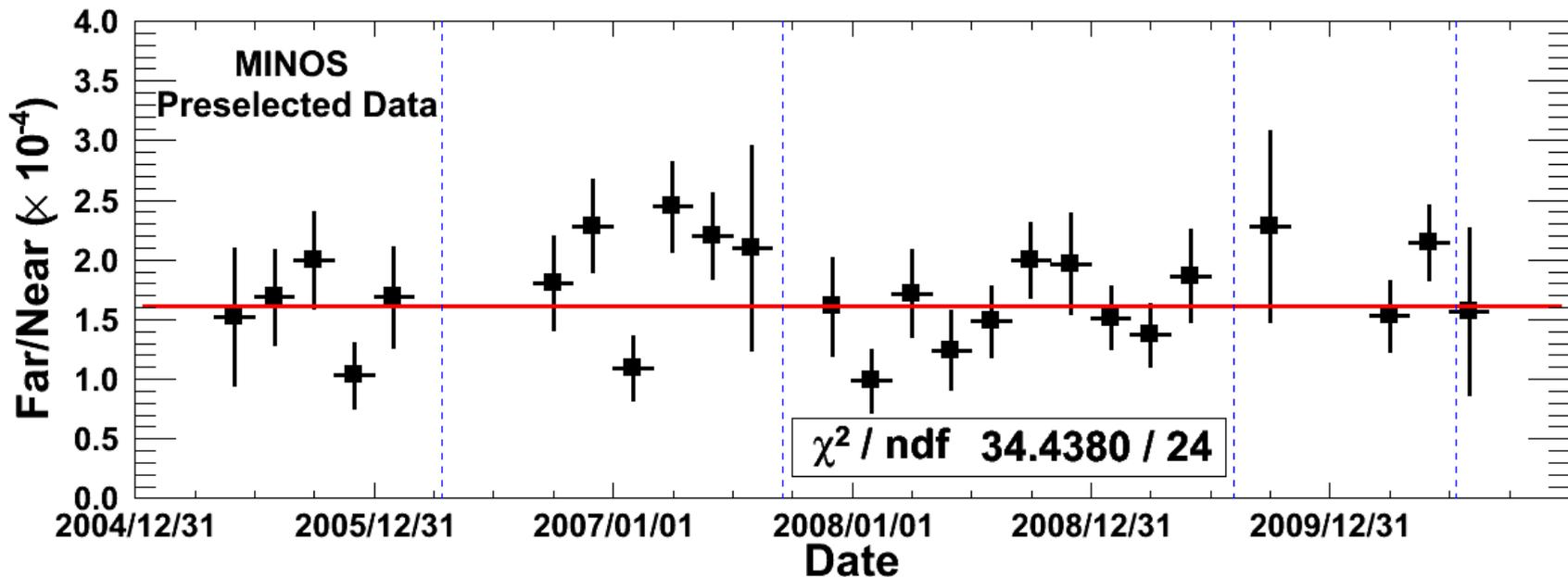
FD Vertex Distributions



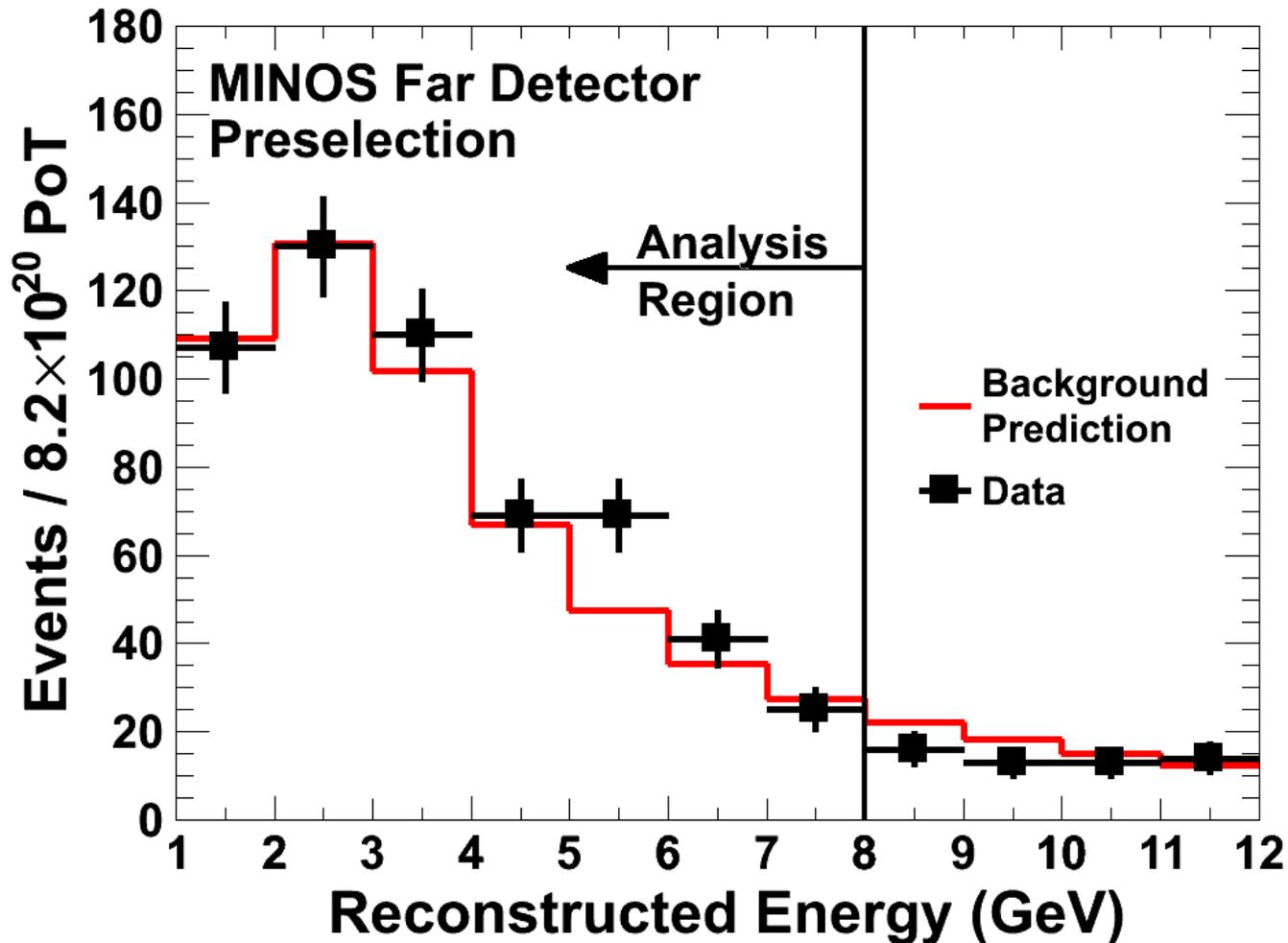
Event Time / Rate Vs Time



Ratio of FD
to ND
preselected
data



FD Energy Spectrum



2.7 σ (stat.) excess in the 5-6 GeV region

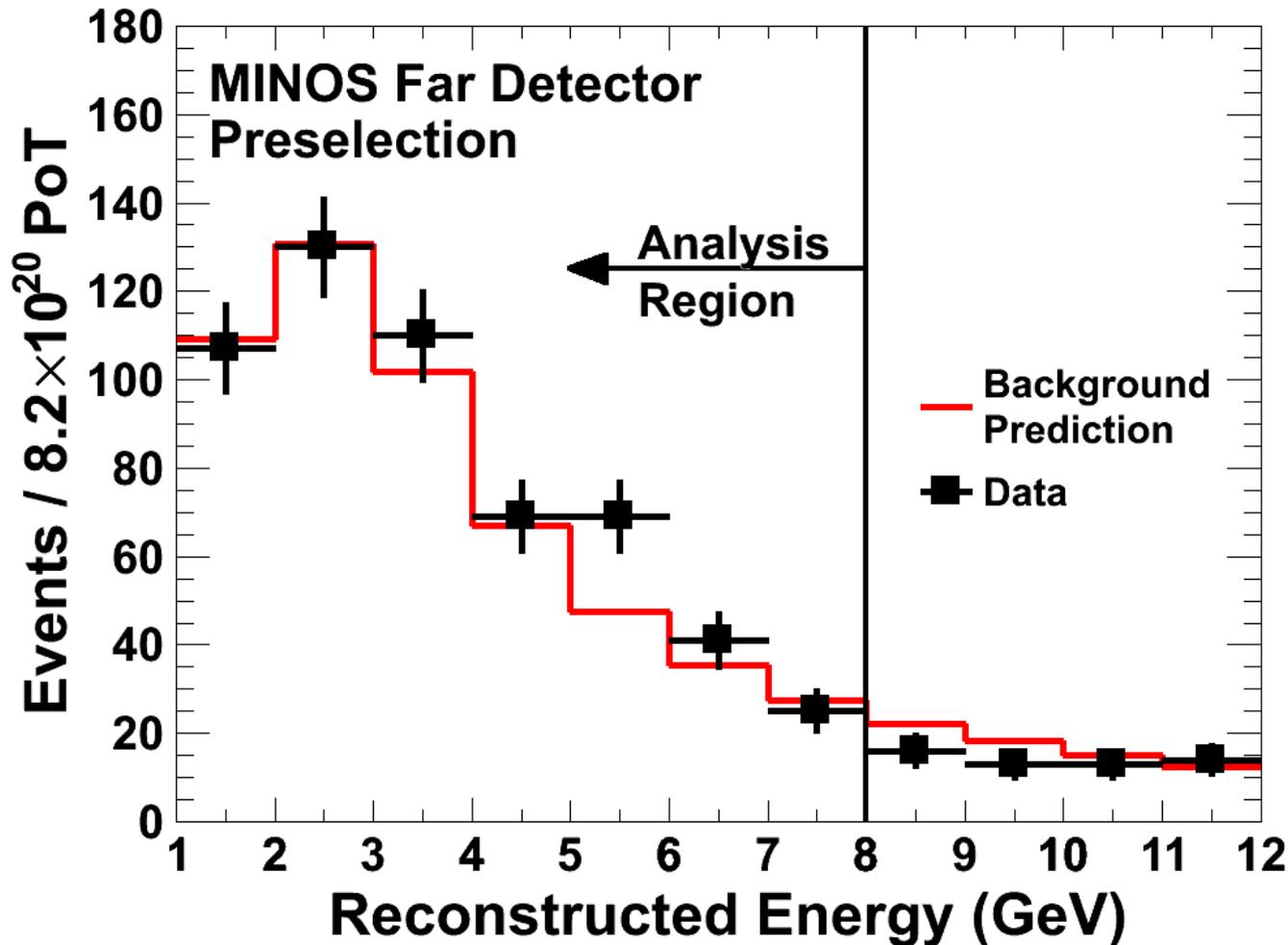
Possible sources?

- statistical fluctuation
- Hot strips, etc
- misclassified events
- actual appearance of shower like events

Investigation:

- Event scanning
- Distributions of basic variables
- Considered cosmics, rock neutrons
- is excess nue-like?

FD Energy Spectrum



Conclusion: excess is likely a statistical fluctuation.

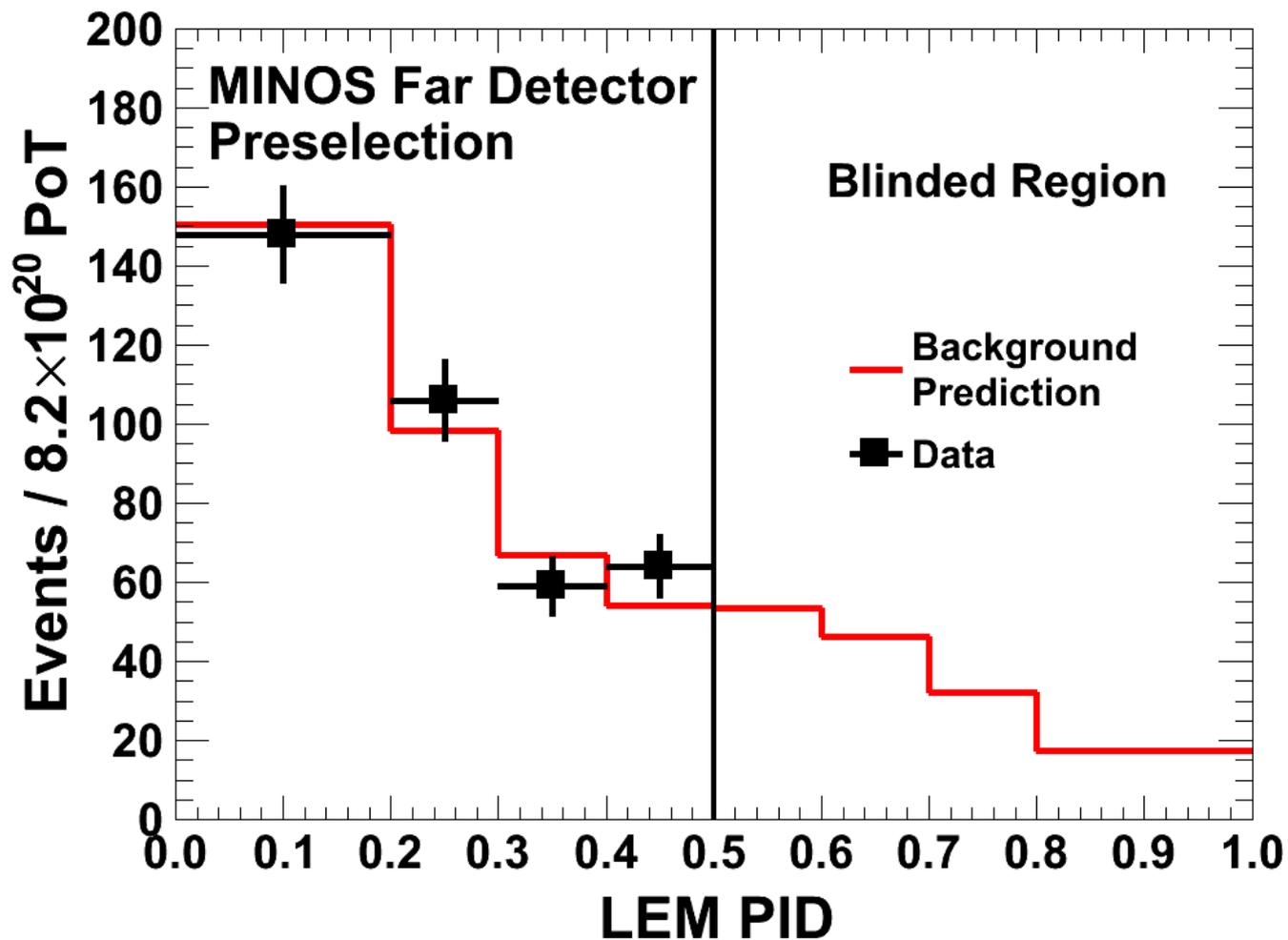
Initially planned to fit for θ_{13} to the LEM shape, integrated in energy

Official result is 2D fit in both energy and LEM shape

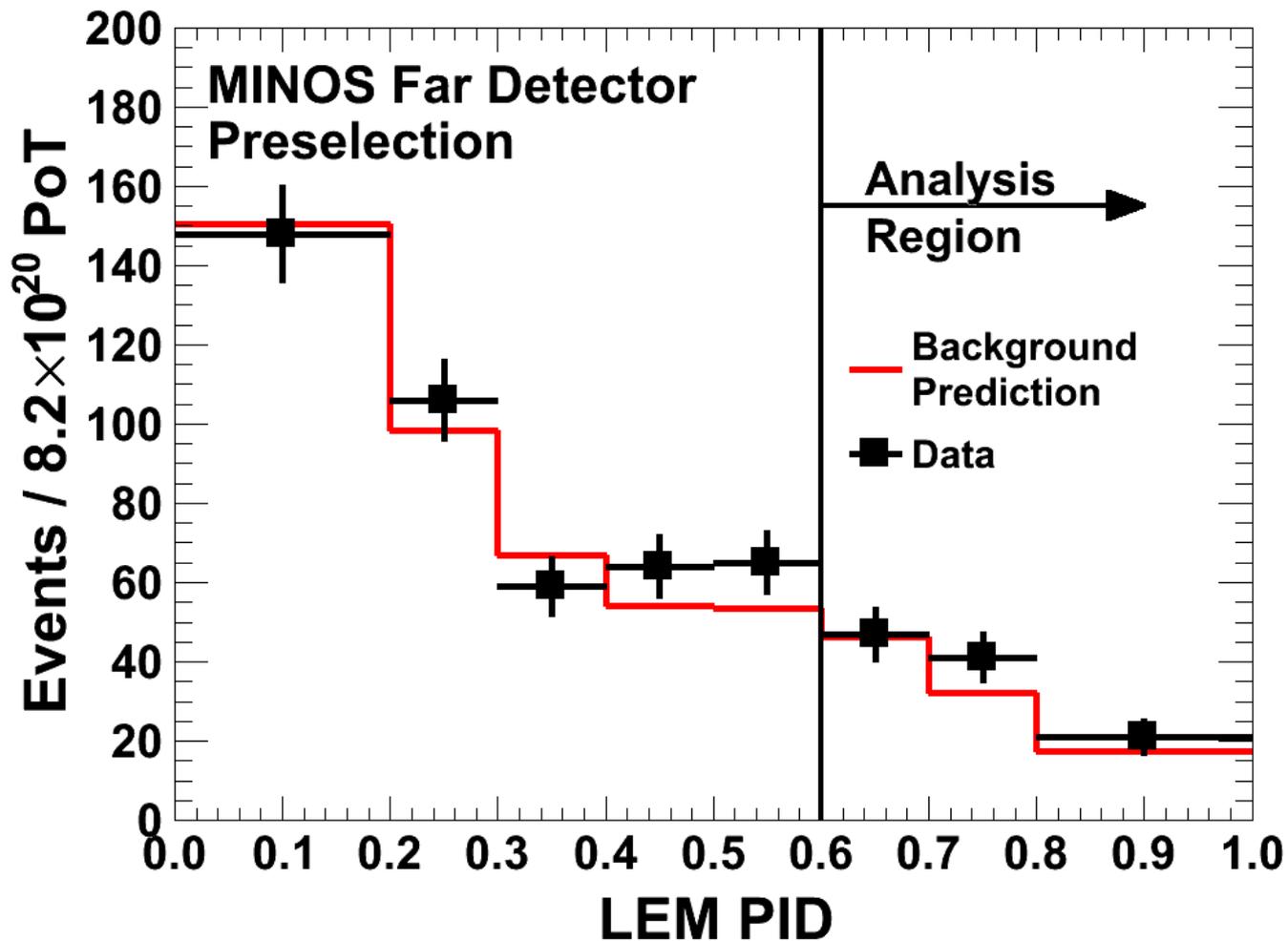
- Oscillations are an energy-dependent model: don't want a fluctuation to introduce a false signal
- BUT we don't want to cut data simply because it is statistically unlikely.

Data in the signal region....

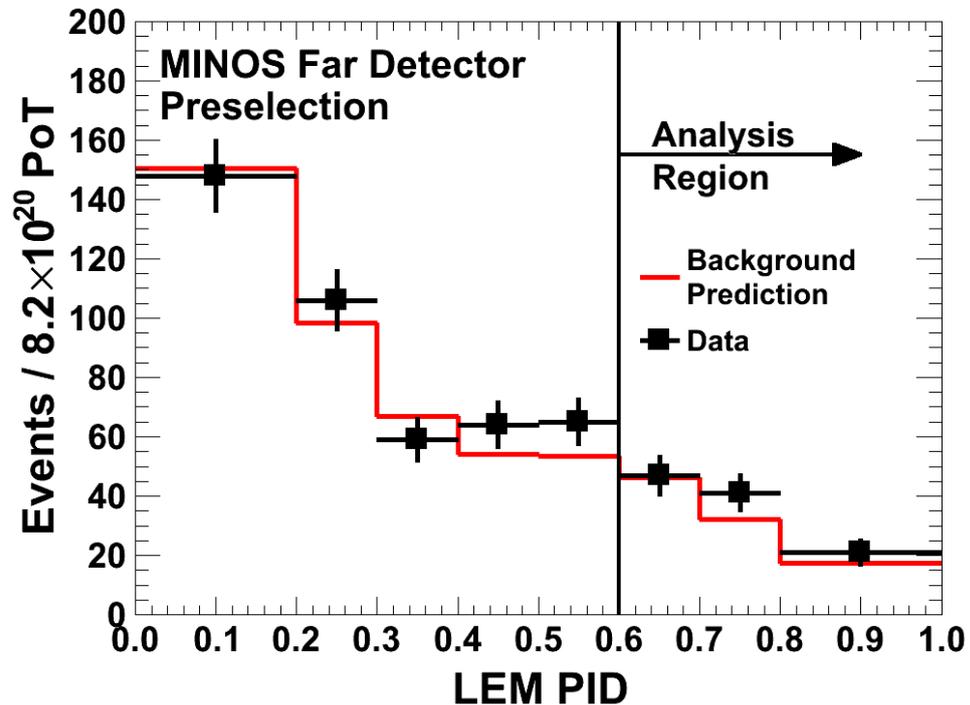
FD Preselected Data



FD Preselected Data



Event Count

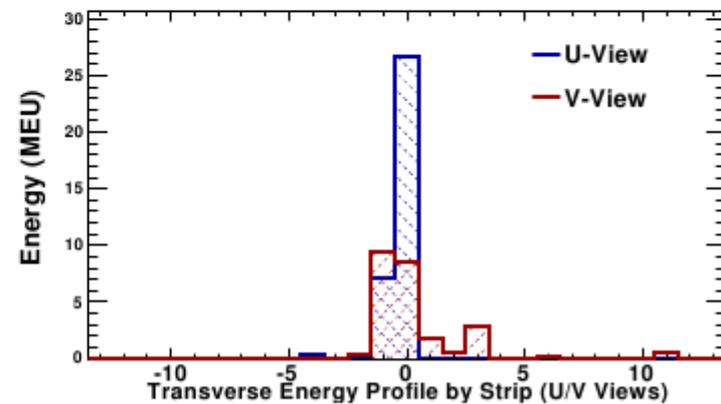
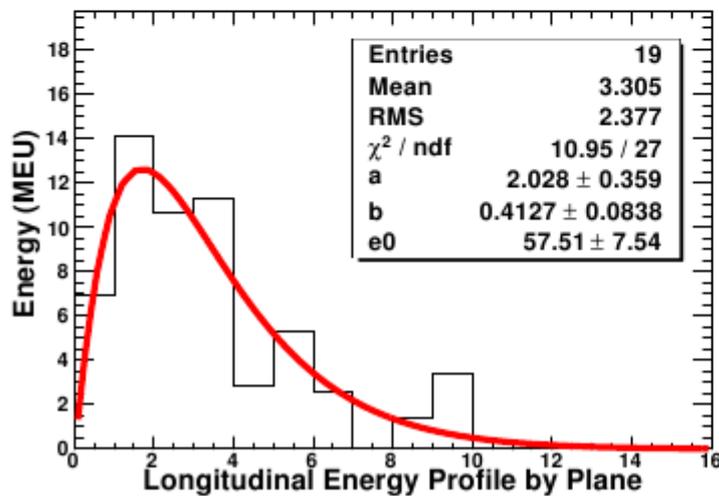
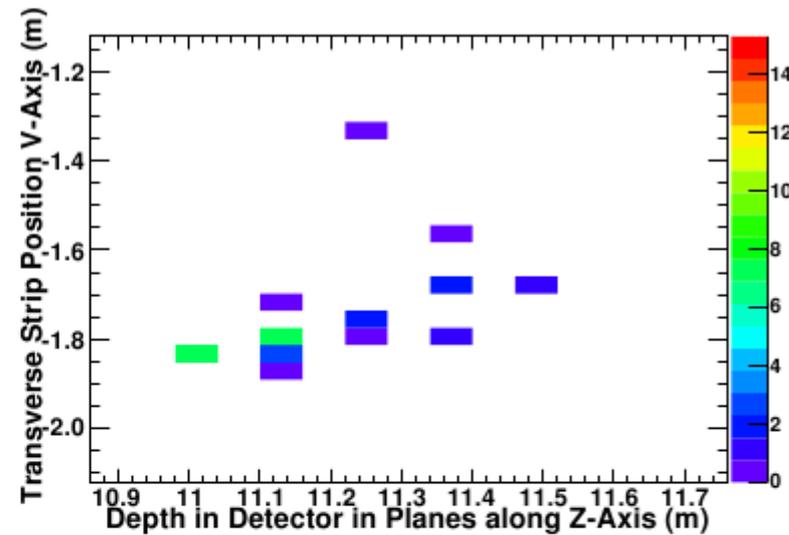
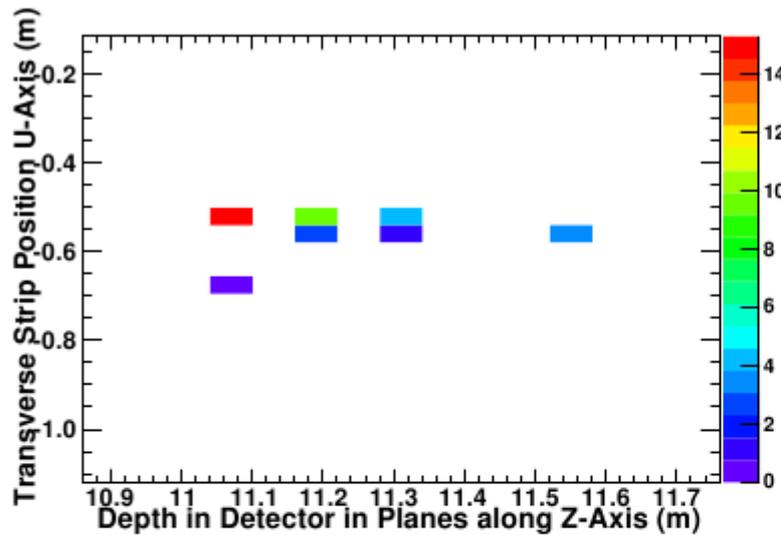


In signal-enhanced region
(LEM > 0.7):

Expected background ($\theta_{13} = 0$):
49.6 \pm 2.7 (syst) \pm 7.0 (stat)

Observed data:
62

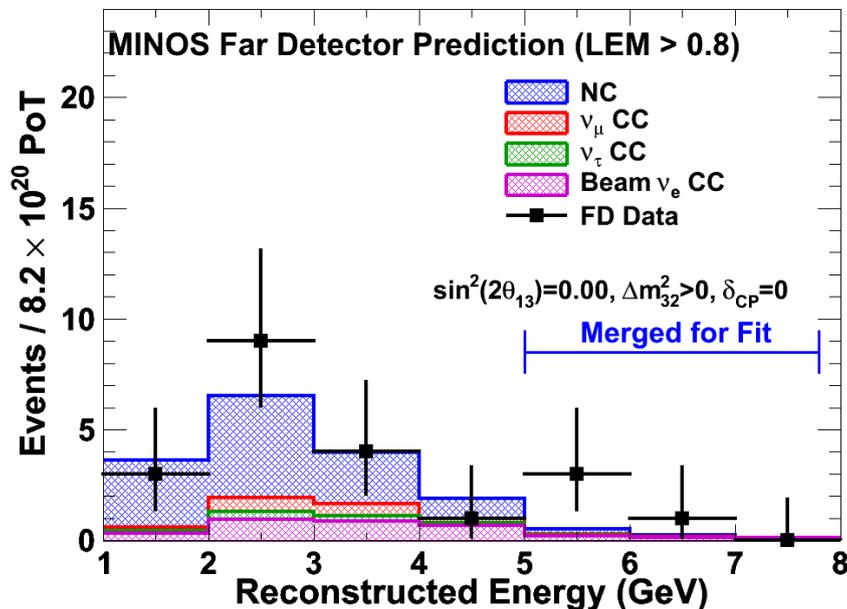
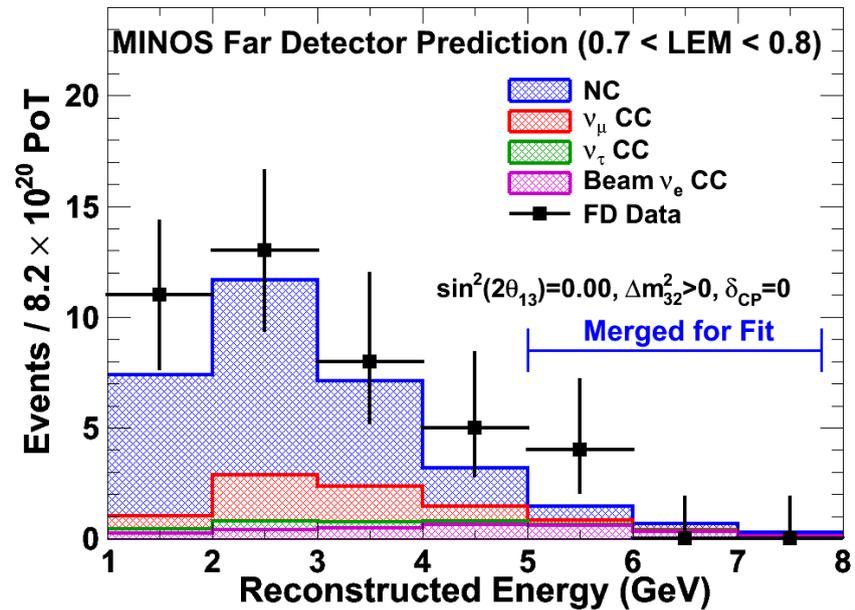
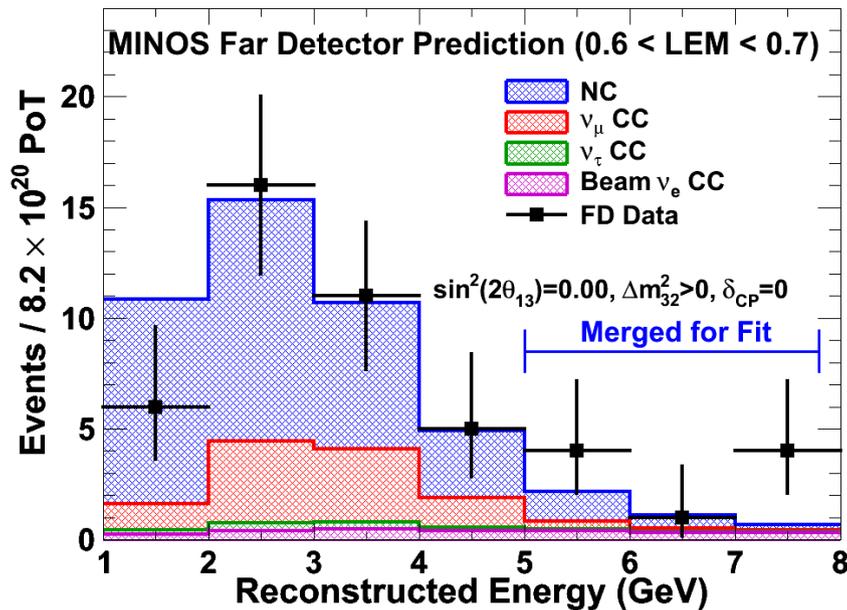
Example of a Selected Event



FD RUN = 37761
EVENT ID = 13602
Reco. Energy = 2.58 GeV

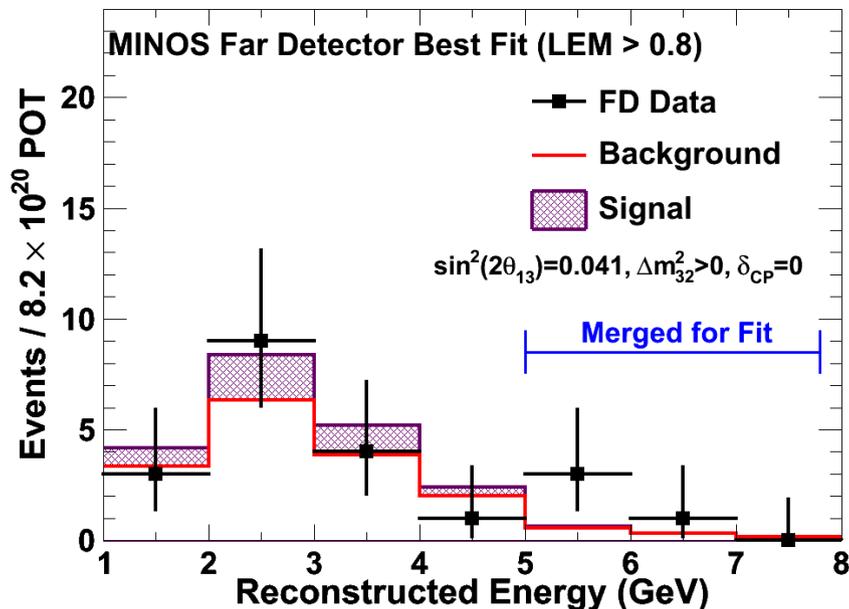
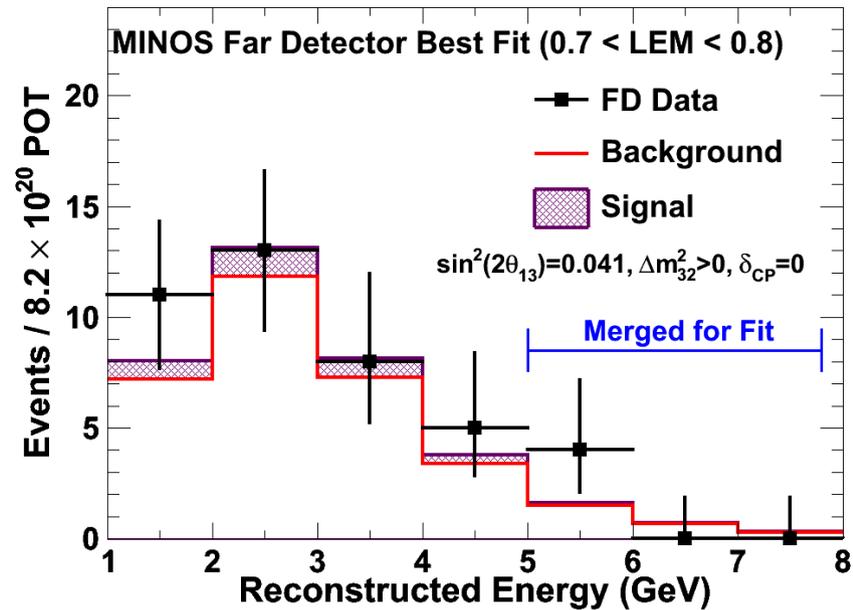
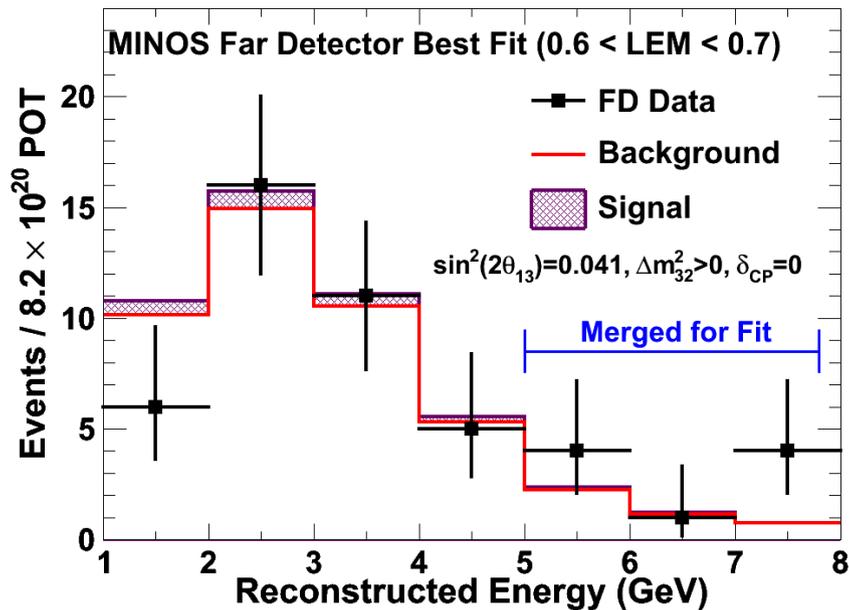
LEM PID = 0.91 *
ANN PID = 0.98 *

Fitting to Oscillations



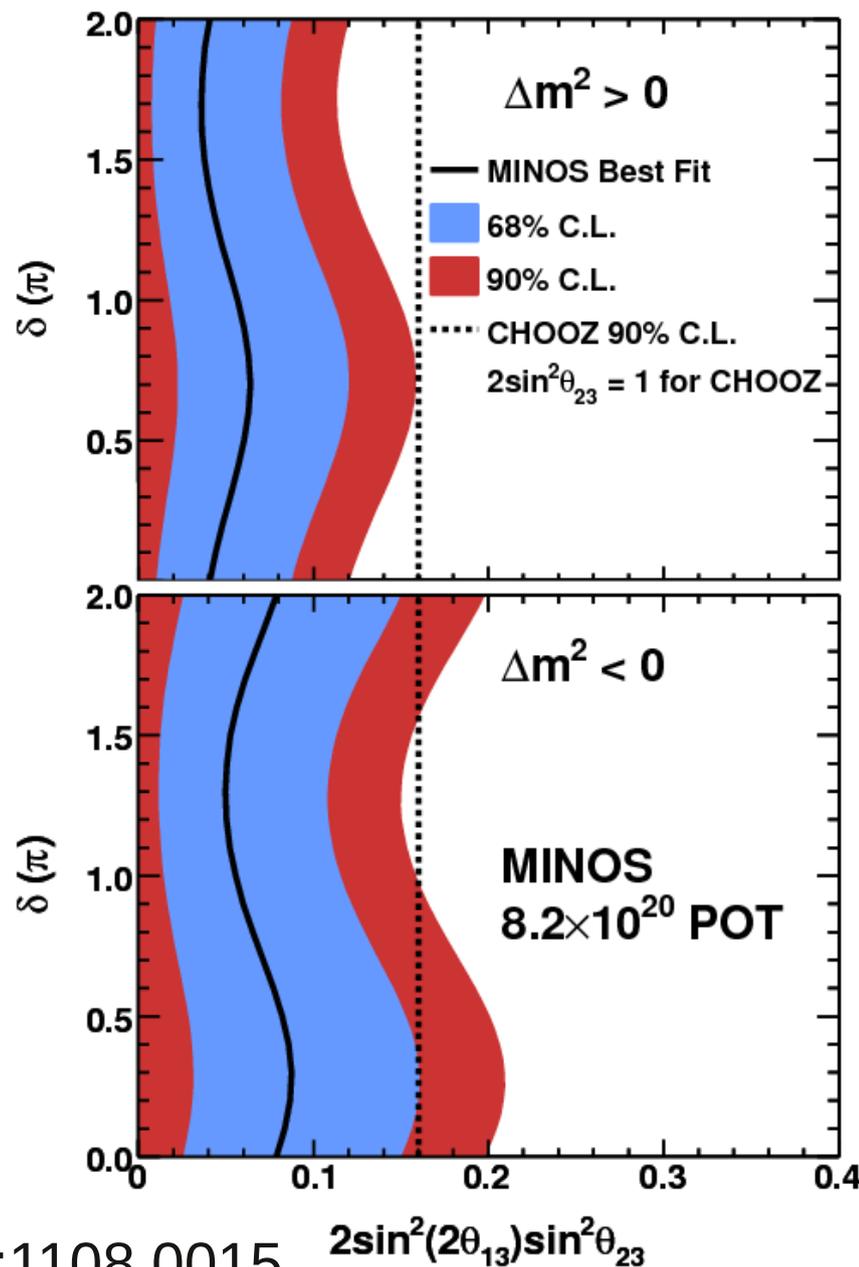
15 bin fit
 3 LEM bins x 5 energy bins

Best Fit



Best fit $\sin^2 2\theta_{13} = 0.041$
(Assuming $\delta=0, \theta_{23}=\pi/4$,
normal hierarchy)

Allowed Regions



Assuming:

$$\delta=0, \theta_{23} = \pi/4$$

normal (inverted) hierarchy

$$\sin^2(2\theta_{13}) < 0.12 (0.20)$$

90% CL

$$\sin^2(2\theta_{13}) = 0.04 (0.08)$$

Best Fit

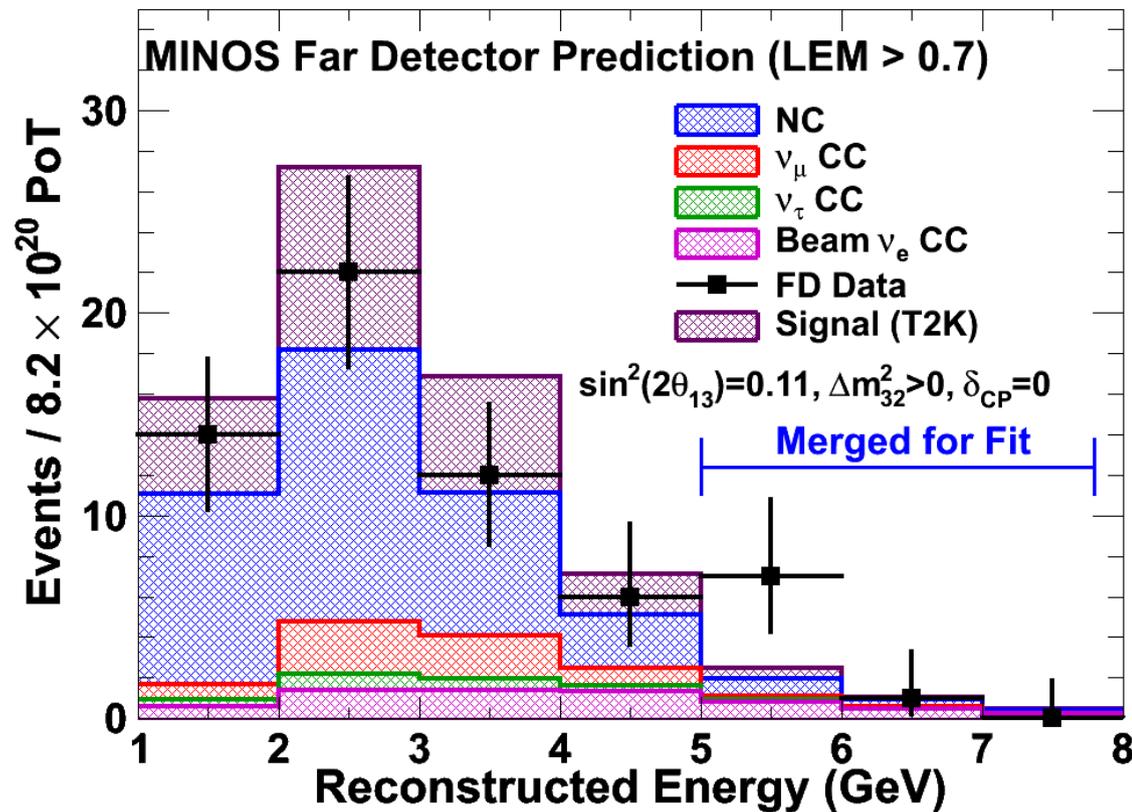
We exclude $\sin^2 2\theta_{13} = 0$ at 89% CL

Feldman-Cousins contours

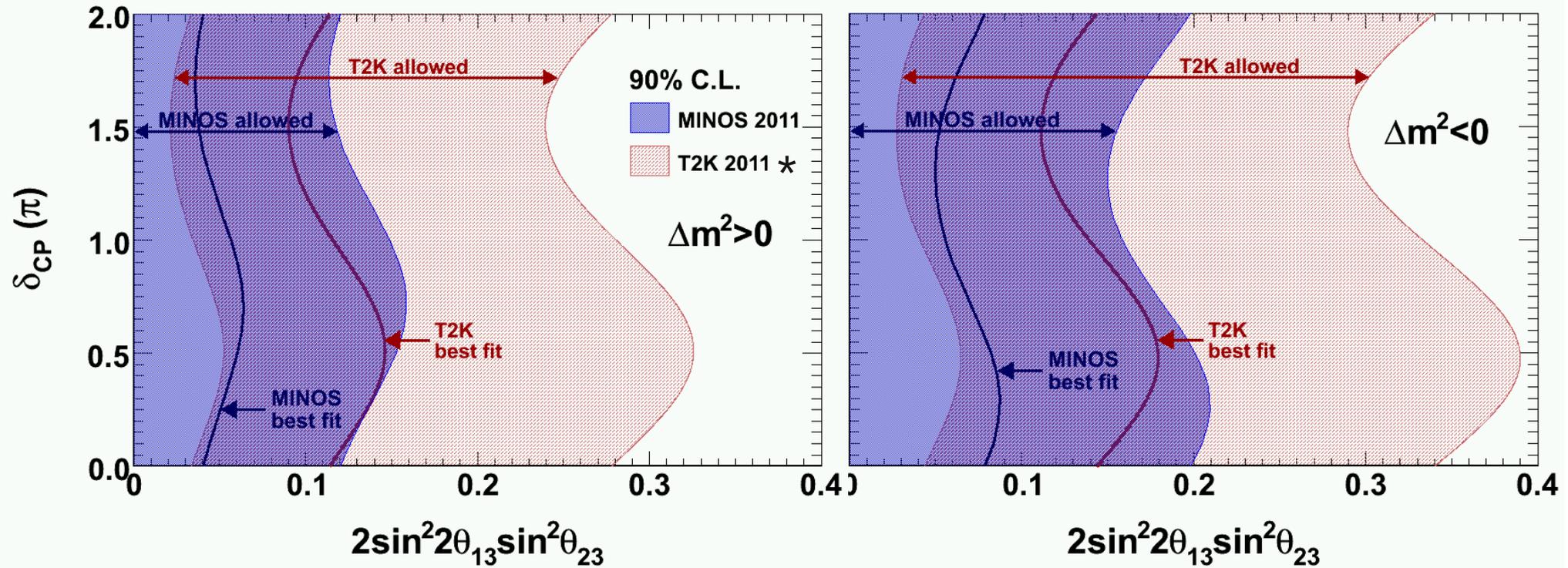
Uncertainties in the other oscillation parameters are included

Comparison to T2K Results

What does our signal prediction look like at T2K's best fit? ($\sin^2 2\theta_{13} = 0.11$)

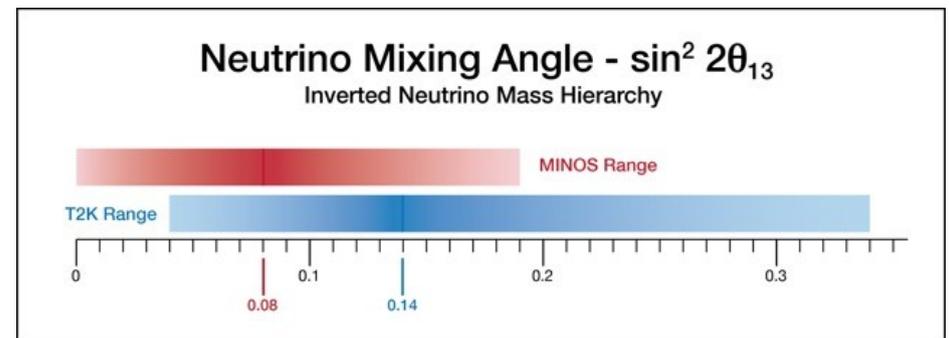
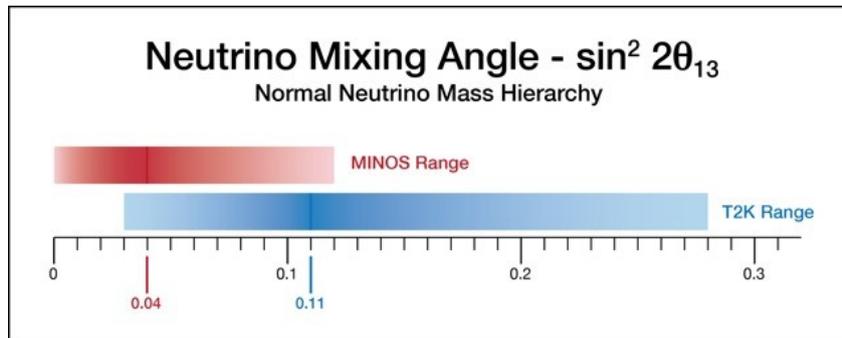


Comparison to T2K Results



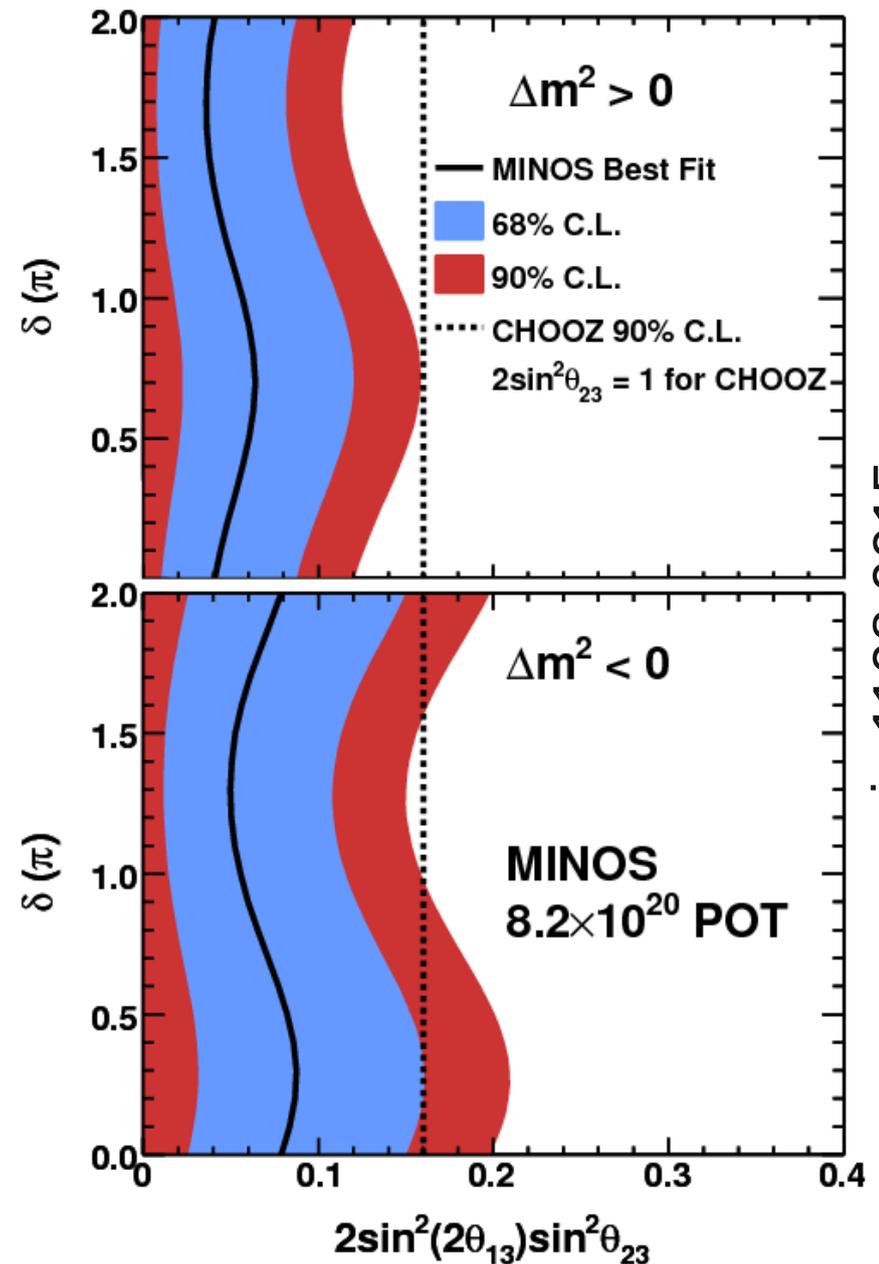
* arXiv:1106.2822

Overlay of our allowed region with T2K's
(NOT a combined fit)



Summary

- MINOS has updated our electron neutrino appearance search with more data and improved analysis techniques: overall 30% gain in sensitivity
- In the signal region, we observe 62 events with an expectation of ~ 50
- Assuming $\delta=0$, $\theta_{23}=\pi/4$, normal (inverted) hierarchy, we set a 90% CL upper limit of **$\sin^2(2\theta_{13}) < 0.12$ (0.20)** and a best fit value of **$\sin^2(2\theta_{13}) = 0.04$ (0.08)** and exclude $\sin^2(2\theta_{13})=0$ @ 89% CL



arxiv:1108.0015