

B Physics at D0: Recent results and Prospects

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Outline:

- Introduction to B physics
- D0 detector
- Recent Results
- Prospects for B_s mixing
- Other recent results from D0
- Conclusions

- 650 collaborators, 110 graduate students, 85 post-docs

- 80 institutions, 18 countries

- Approximately half of the collaboration is from outside US





Why B Physics?

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- **Weak decays**, especially Mixing, CP violating and rare decays, provide an insight into short distance physics
 - **Short distance phenomena** are sensitive to beyond-SM effects
 - **CKM matrix** determines the charged weak decays of quarks: tree-level diagrams, one-loop transitions involving W,Z,H,gluons, γ ...
 - In most **beyond-SM extensions**, CKM matrix retains this role
 - It is crucial to precisely determine the **CKM matrix**
- $$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix} \equiv \hat{V}_{\text{CKM}} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$
- Elements of the CKM matrix can be written in terms of λ - Cabibbo angle (≈ 0.22), A (≈ 0.22), $\bar{\rho}, \bar{\eta}$, where ($\bar{\rho} = \rho(1 - \lambda^2/2)$)
 - η specifies the magnitude of CP violation
 - Unitarity of the CKM matrix leads to relationships between the terms

Formulae for the CKM terms ([Buras](#) hep-ph/0210291):

$$V_{ud} = 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4, \quad V_{cs} = 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4(1 + 4A^2)$$

$$V_{tb} = 1 - \frac{1}{2}A^2\lambda^4, \quad V_{cd} = -\lambda + \frac{1}{2}A^2\lambda^5[1 - 2(\varrho + i\eta)]$$

$$V_{us} = \lambda + \mathcal{O}(\lambda^7), \quad V_{ub} = A\lambda^3(\varrho - i\eta), \quad V_{cb} = A\lambda^2 + \mathcal{O}(\lambda^8)$$

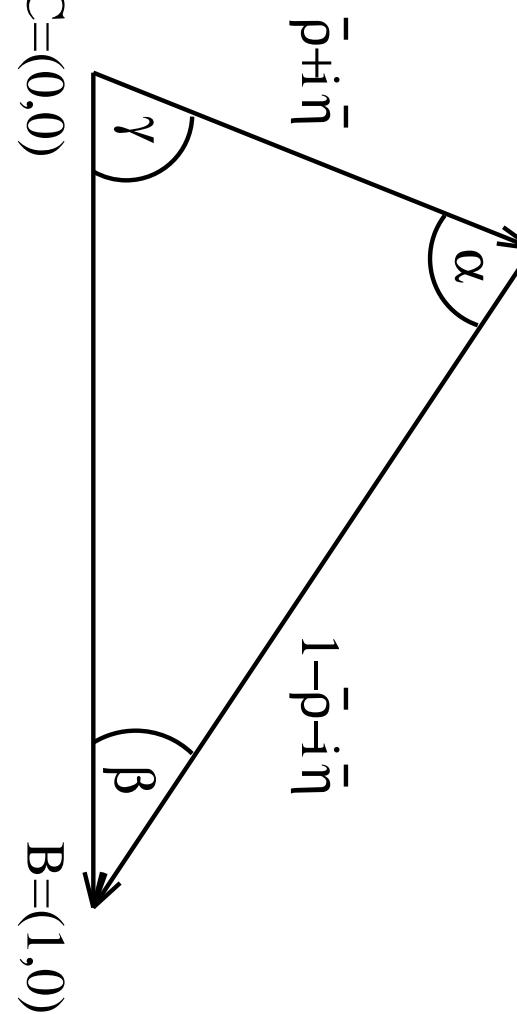
$$V_{ts} = -A\lambda^2 + \frac{1}{2}A\lambda^4[1 - 2(\varrho + i\eta)] \quad V_{td} = A\lambda^3(1 - \bar{\varrho} - i\bar{\eta})$$

$$R_t = 0.88 \left[\frac{\xi}{1.18} \right] \sqrt{\frac{18.0/ps}{\Delta M_s}} \sqrt{\frac{\Delta M_d}{0.50/ps}}, \quad \xi = \frac{\sqrt{\hat{B}_{B_s} F_{B_s}}}{\sqrt{\hat{B}_{B_d} F_{B_d}}}.$$

One such relation is

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

$$A = (\bar{\rho}, \bar{\eta})$$



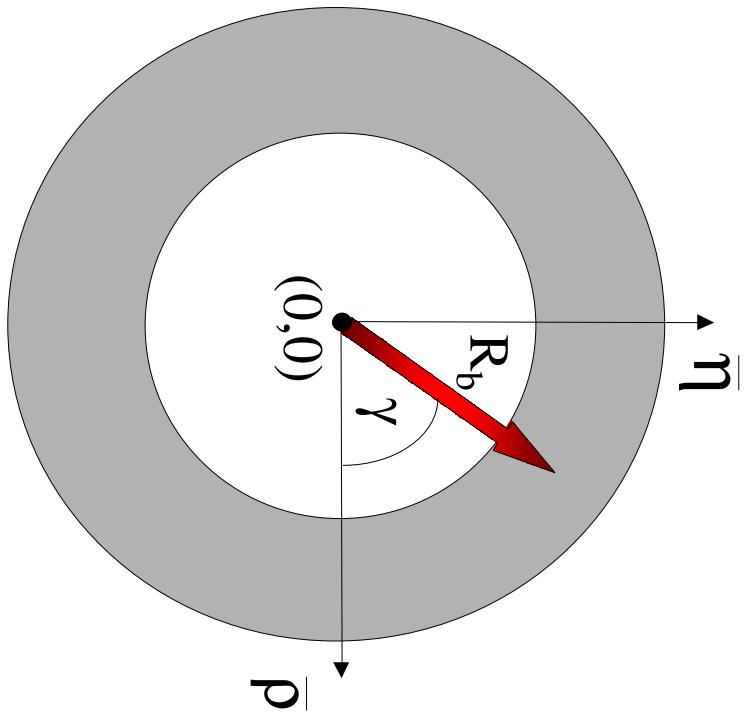
where sides CA and BA are given by R_b , R_t respectively

$$R_b \equiv \frac{|V_{ud}V_{ub}^*|}{|V_{cd}V_{cb}^*|} = \sqrt{\bar{\rho}^2 + \bar{\eta}^2} = \left(1 - \frac{\lambda^2}{2}\right) \frac{1}{\lambda} \left| \frac{V_{ub}}{V_{cb}} \right|,$$

$$R_t \equiv \frac{|V_{td}V_{tb}^*|}{|V_{cd}V_{cb}^*|} = \sqrt{(1 - \bar{\rho})^2 + \bar{\eta}^2} = \frac{1}{\lambda} \left| \frac{V_{td}}{V_{cb}} \right|.$$

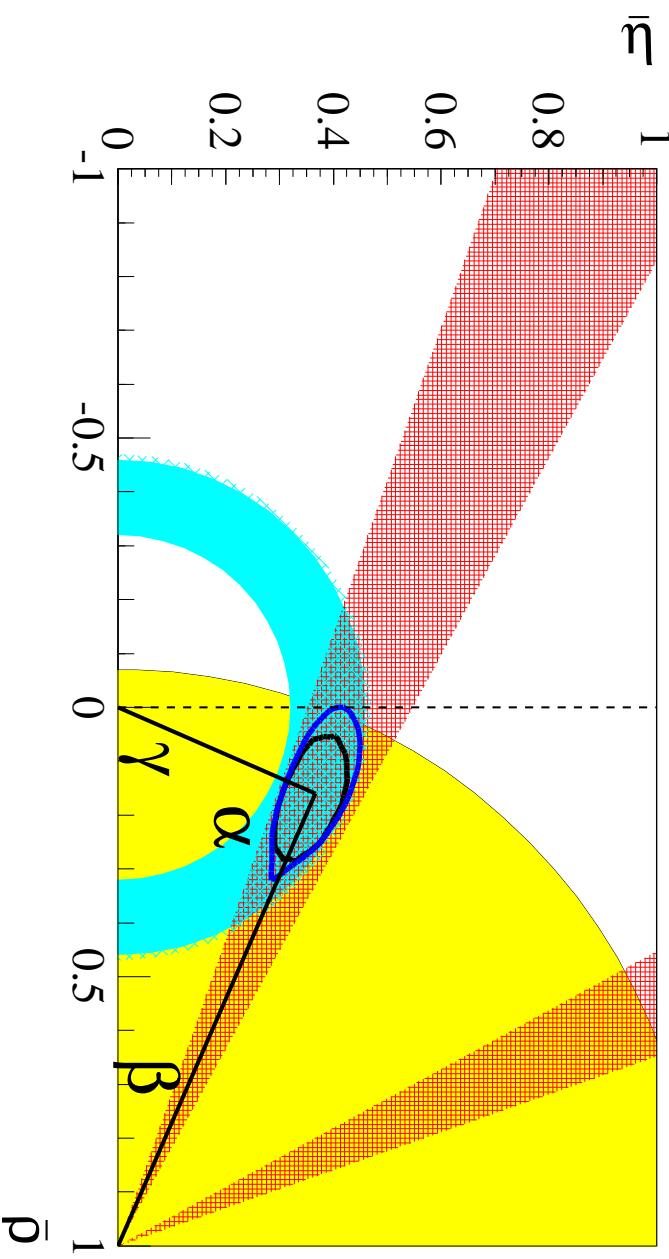
R_t can also be related to B_s oscillations (more later)

- Apex of UT is in the band determined by $|V_{ts}|, |V_{cb}|, |V_{ub}/V_{cb}|$
- All of these are **tree-level processes** and generally insensitive to New Physics
- In the case of **3 generations, Unitary CKM and SM is part of a bigger theory**
 “...even if loop-induced processes put $(\bar{\rho}, \bar{\eta})$ outside this band,
 corresponding expressions of the grander theory must include corrections
 that bring the **apex back into the band** ...” - Buras hep-ph/0210291
- The thinner the band, more efficient to select the correct theory



- Study of **B hadrons** lead to $\eta, V_{ub}/V_{cb}, V_{cb}, V_{td}, V_{ts}$ - V_{td}, V_{ts} via B_d, B_s oscillations
- η can be inferred from CP violation in $B_d \rightarrow J/\Psi K_s^0$
- $\bar{\rho} > 0$ is from the lower limit on B_s mixing

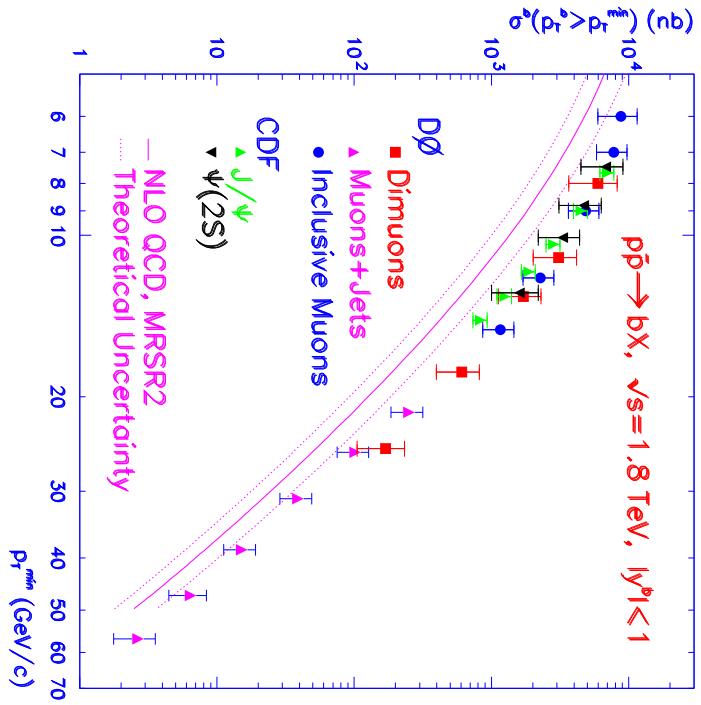
- Within the SM, measurements of **CP conserving** decays sensitive to $|V_{us}|, |V_{ub}/V_{cb}|, |V_{cb}|, |V_{td}|$ can tell if $\eta \neq 0$
- Complementary measurements of η, V_{td} from **$K \rightarrow \pi \nu \bar{\nu}$ decays**
- **New phenomena** might affect K and B sectors differently



Narrower region is the 95% (SM) allowed region - Buras hep-ph/0210291

B physics at the Tevatron

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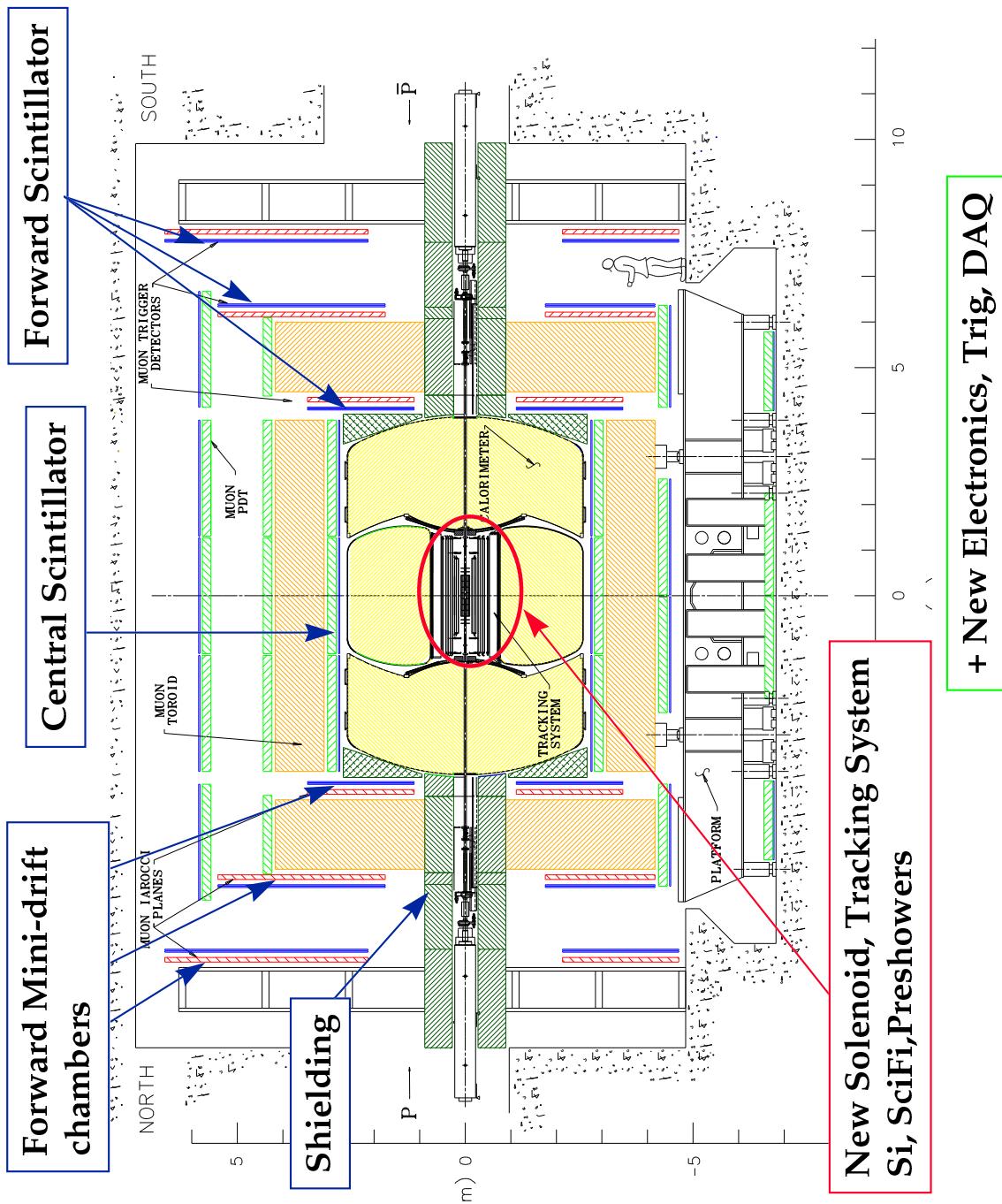
$$\sigma(p\bar{p} \rightarrow b\bar{b}) \approx 150 \mu b \text{ at } \sqrt{s} = 2 \text{ TeV}$$

$$\sigma(e^+e^- \rightarrow b\bar{b}) \approx 7 nb \text{ at } Z^\circ$$

$$\sigma(e^+e^- \rightarrow b\bar{b}) \approx 1 nb \text{ at } \Upsilon(4S)$$

All species produced, including B_s^0 , B_c^0 , Λ_b
Environment not as clean as e^+e^- machines
Low trigger efficiencies

D0 Upgrade



D0 Run II Detector - Tracking

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Silicon Tracker

- Four layer barrels (double/single sided)
- Interspersed double sided disks
- 840,00 channels

Fiber Tracker

- Eight layers sci-fi ribbon doublets (z-u-v, or z)
- 77,800 835um fibers w/ VLPC readout

Central Preshower

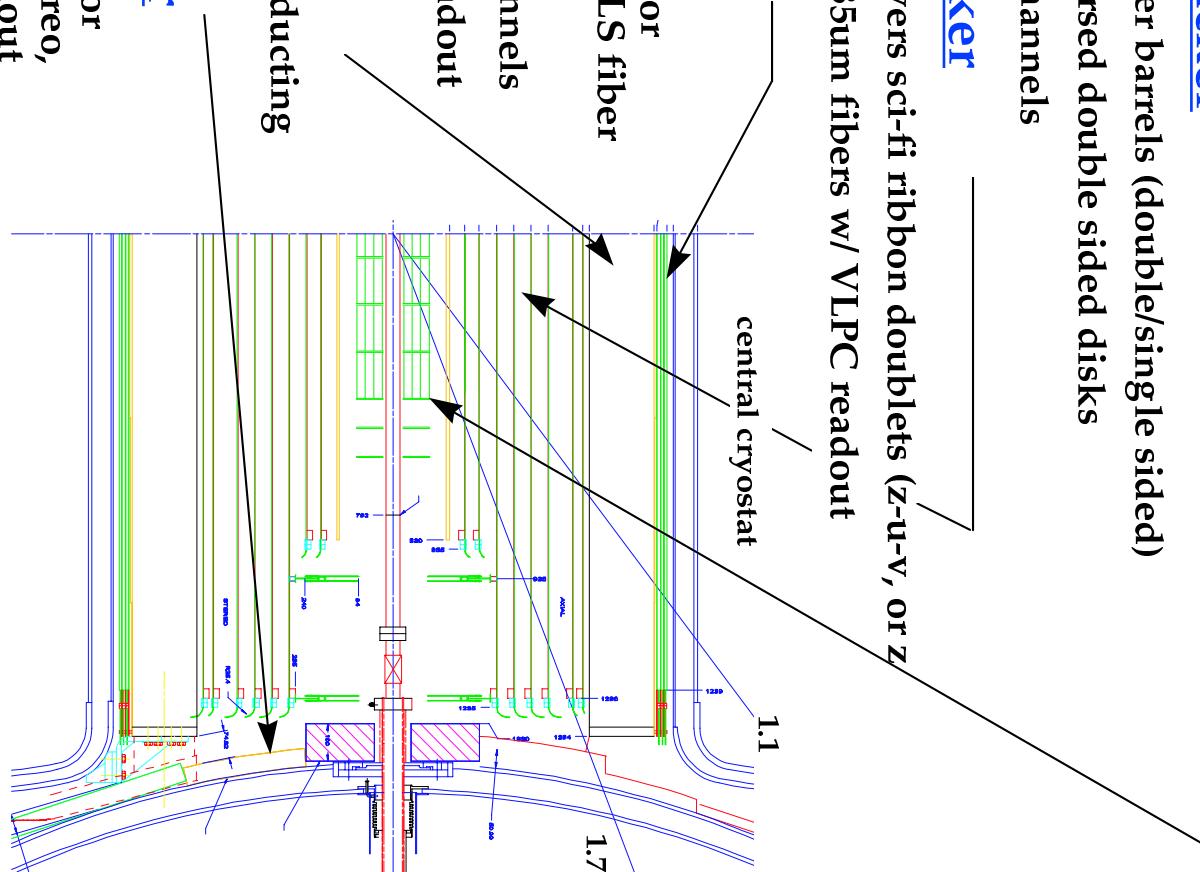
- Scintillator strips, WLS fiber readout
- 7,680 channels
- VLPC readout

Solenoid

- 2T superconducting

Forward Preshower

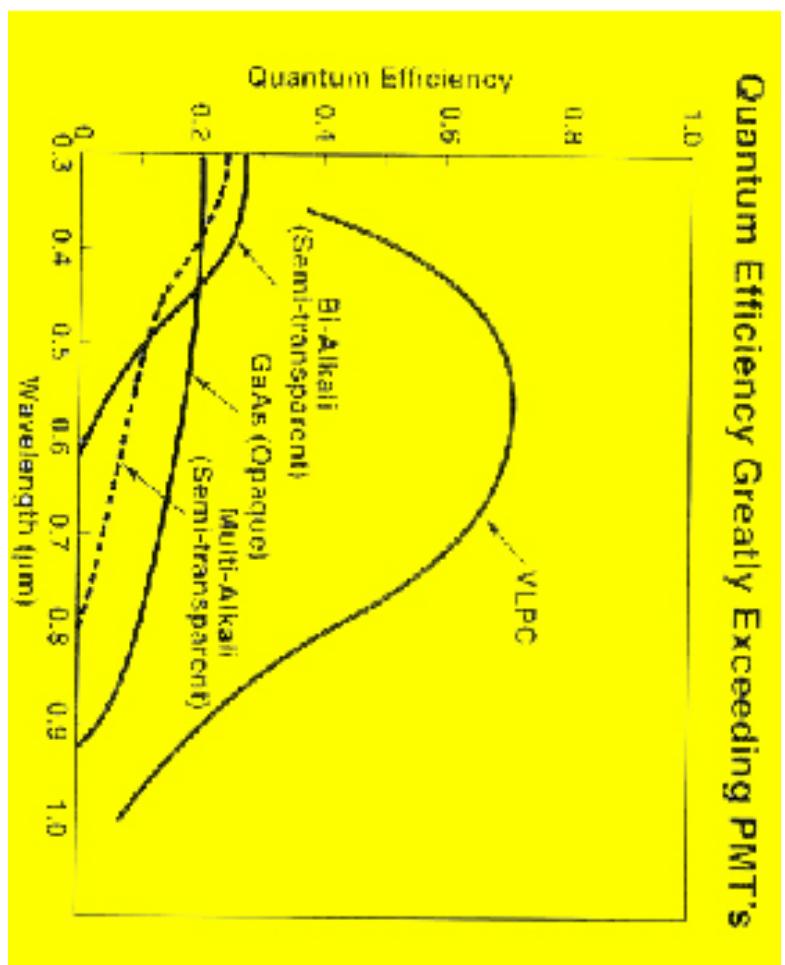
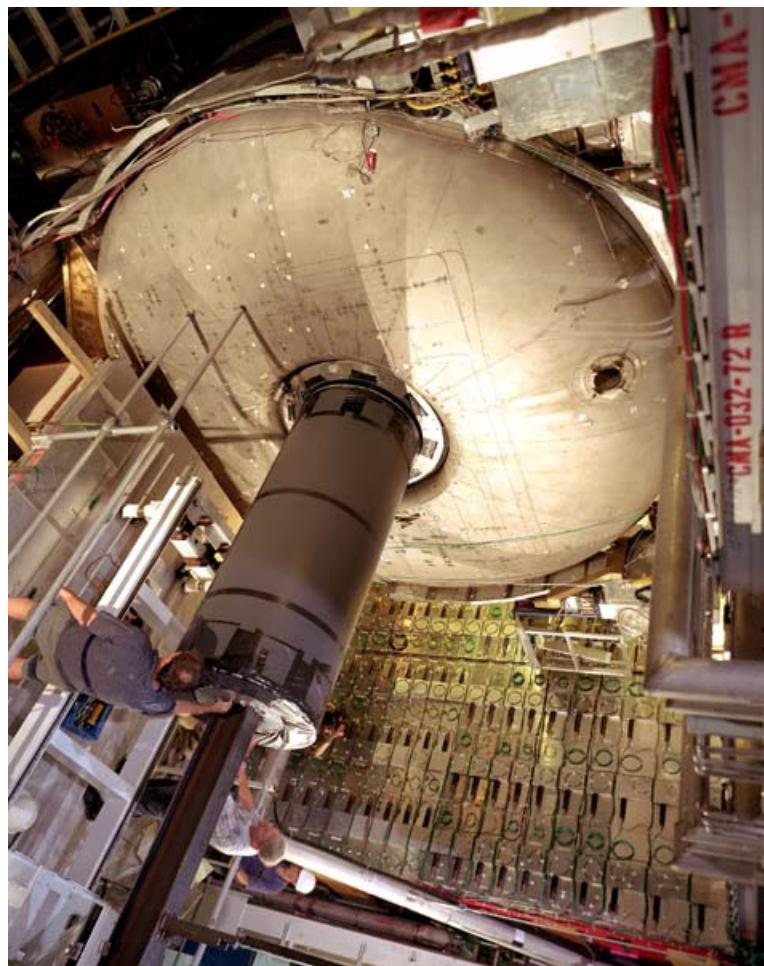
- Scintillator strips, stereo, WLS readout
- 14,968 channels
- VLPC readout



SMT

- **6 Barrels**: 4 layers SS + DS, $2/90^\circ$ stereo, $|z| < \pm 0.6\text{m}$, r: 2.7-10 cm
- **12 Central F disks**, DS, 144 wedges, $\pm 15^\circ$ stereo
- **4 Forward H disks**, SS, 96 wedges, $\pm 7.5^\circ$ stereo, $z = \pm 1.1/1.2\text{ m}$, r: 9.5-20 cm
- **Tracking to $\eta \approx 3$ ($\theta \approx 6^\circ$)**
- **793K channels**, $\approx 95\%$ of channels available, rad hard to 1 MRad
- $S/N > 10$, 1 MIP ≈ 25 ADC counts
- **Hit resolution $\approx 10\mu$**

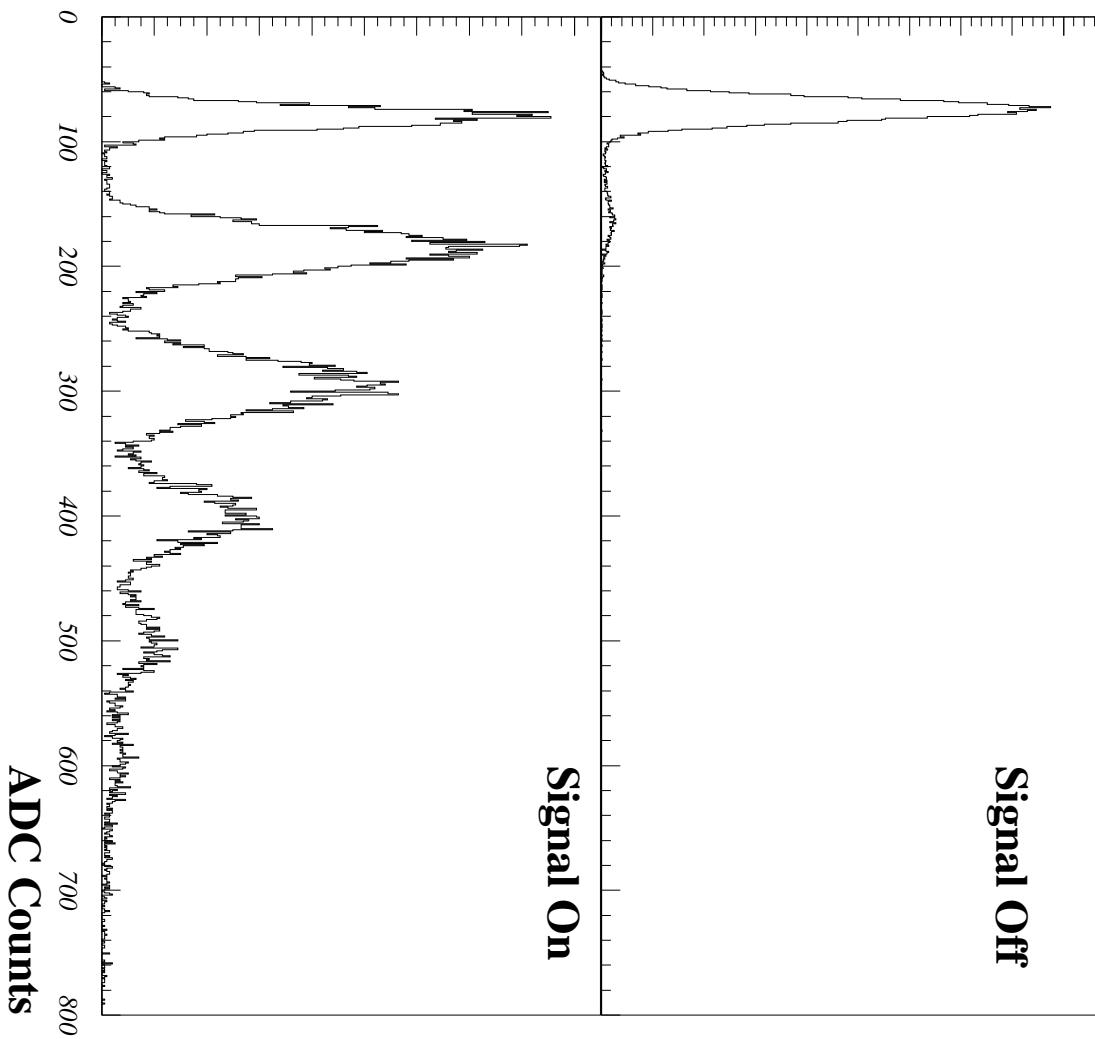




- 8 layers - Axial and Stereo ($\pm 3^\circ$)
- Radius: 20-50 cm
- VLPC; high QE, very low dark noise, excellent pe resolution
 - Each pixel has 1mm diameter, ideal for use with fibers
 - Operated at about 8-9°K , gain of 20000-50000
- Good S/N; 10 photons/MIP (at z=0)
- Fast enough to be in Level 1 trigger

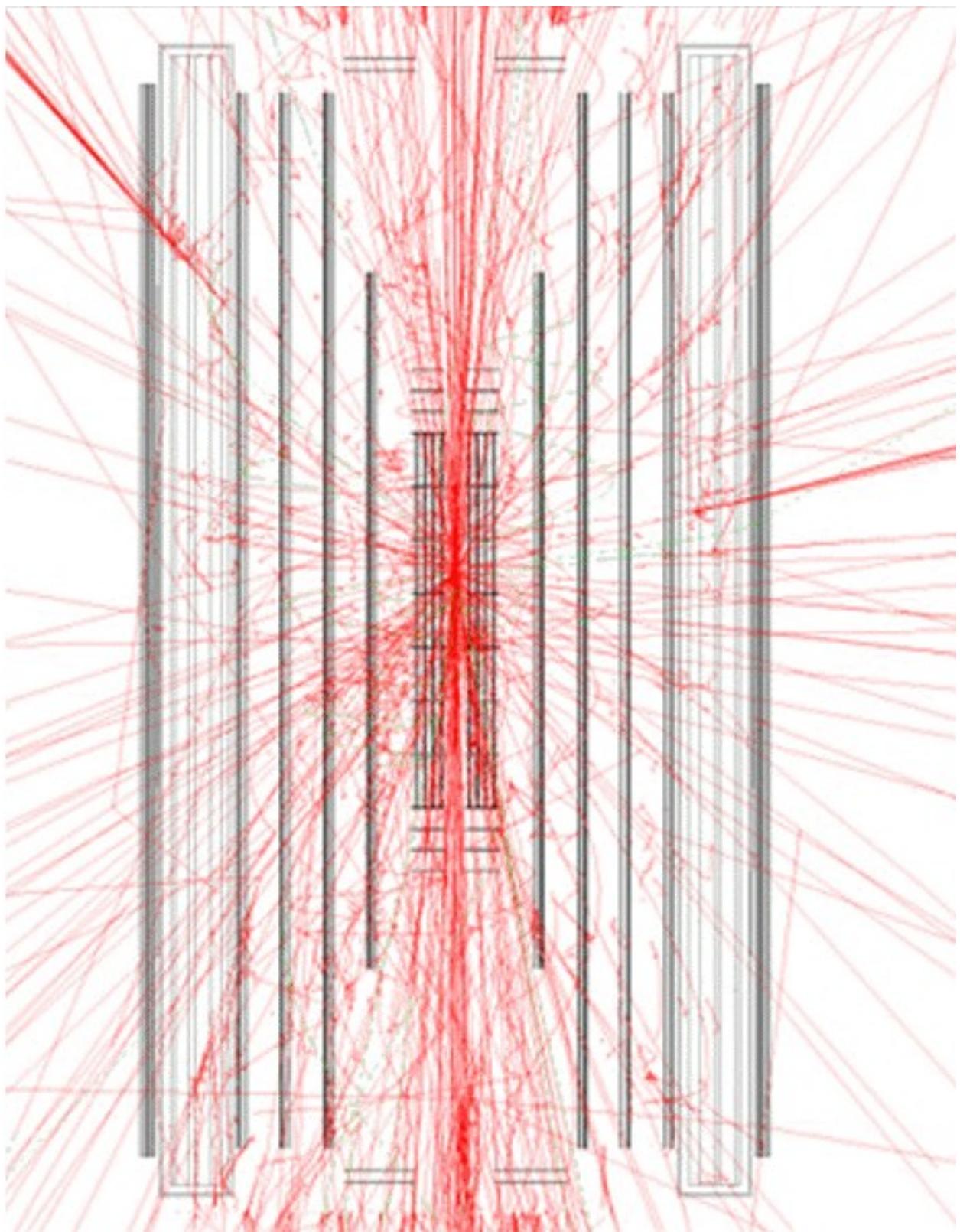
Signal Off

Signal On



Signal ON - LED was set to ≈ 2 pe

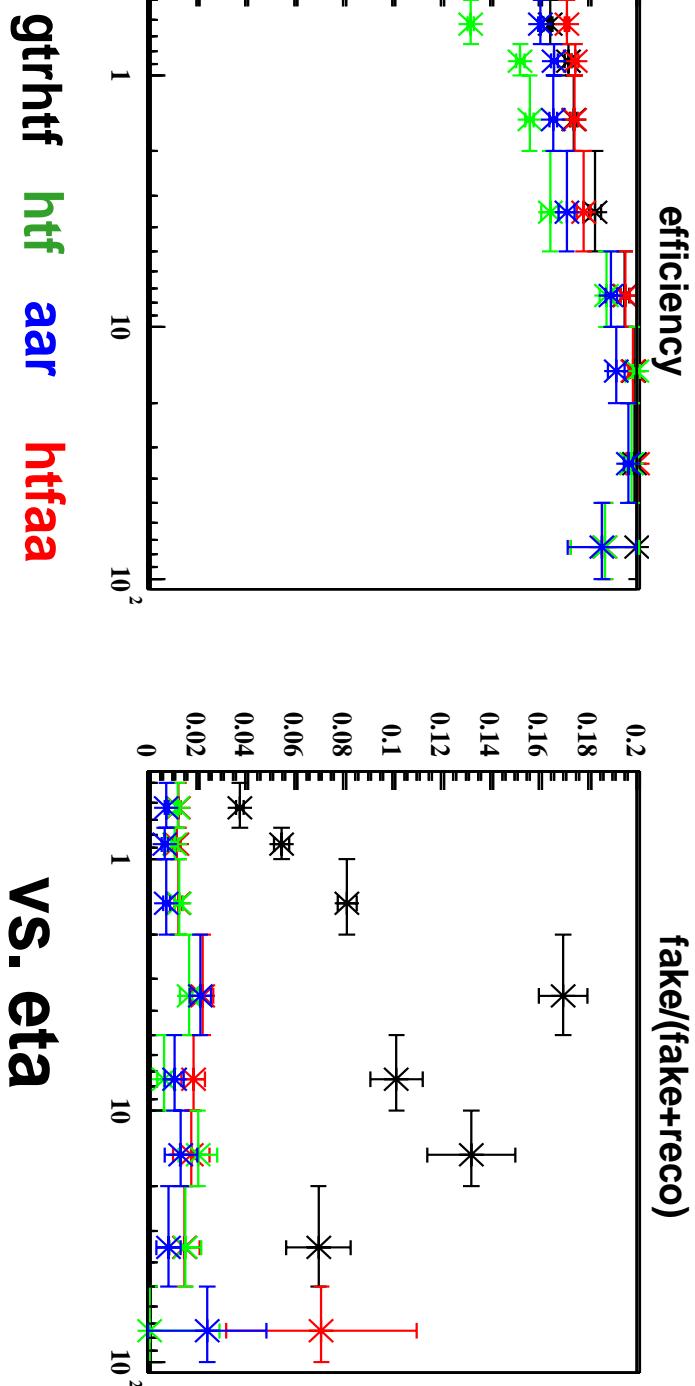
For $\mathcal{L} = 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ and bunch crossing = 396 ns,
 $N(b\bar{b}) = 0.006$, $N(\text{additional events}) = 3$ per crossing



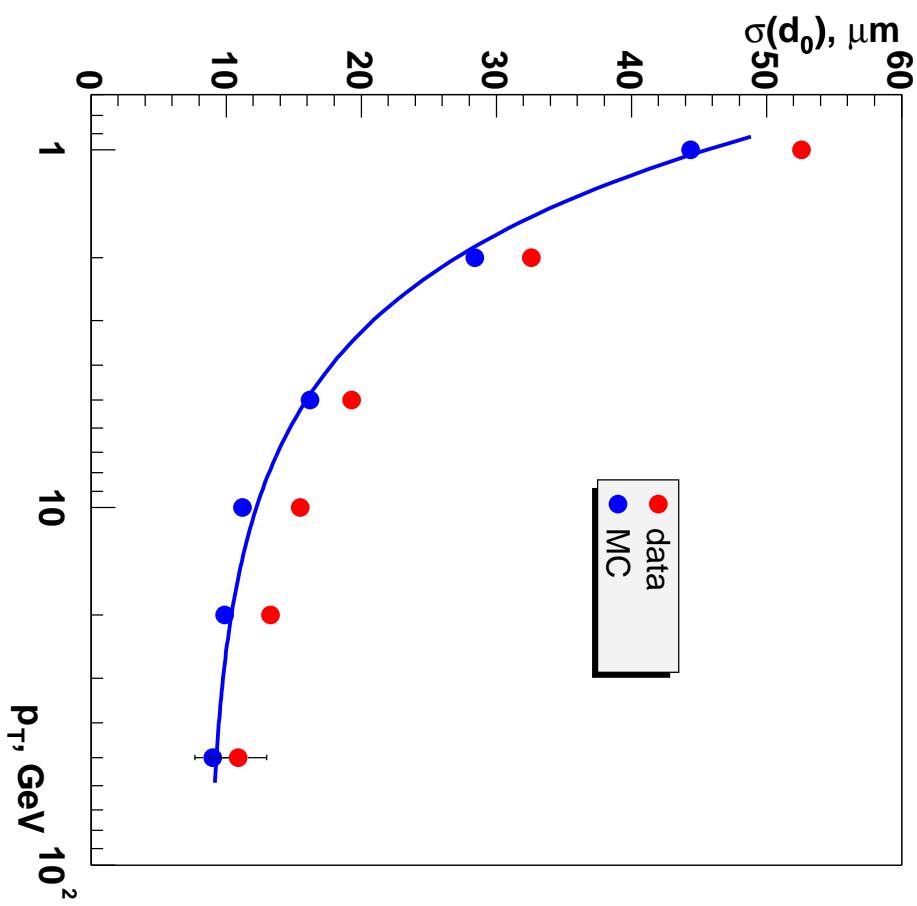
gtrhtf htf aar htfaa

VS. ρT

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Resolution on DCA:



- Tracking : $d\mathbf{p}_T/\mathbf{p}_T^2 = 0.002 \text{ GeV}/c$
- Vertex reconstruction : $40 \mu \text{ (r-}\phi\text{)}, 80 \mu \text{ (r-z)}$

MUON system

- Central and Forward regions, up to $\eta = \pm 2(\theta = \pm 15^\circ)$

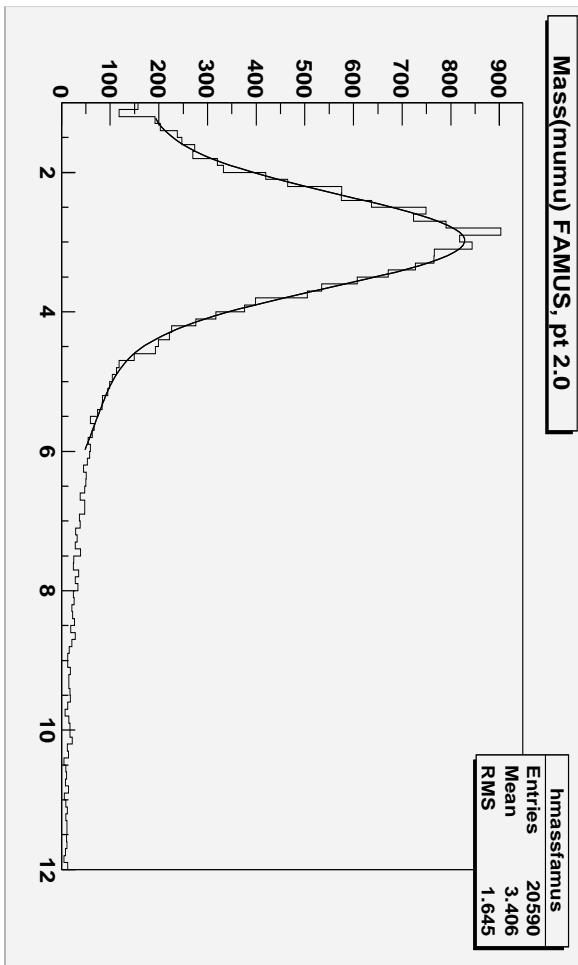
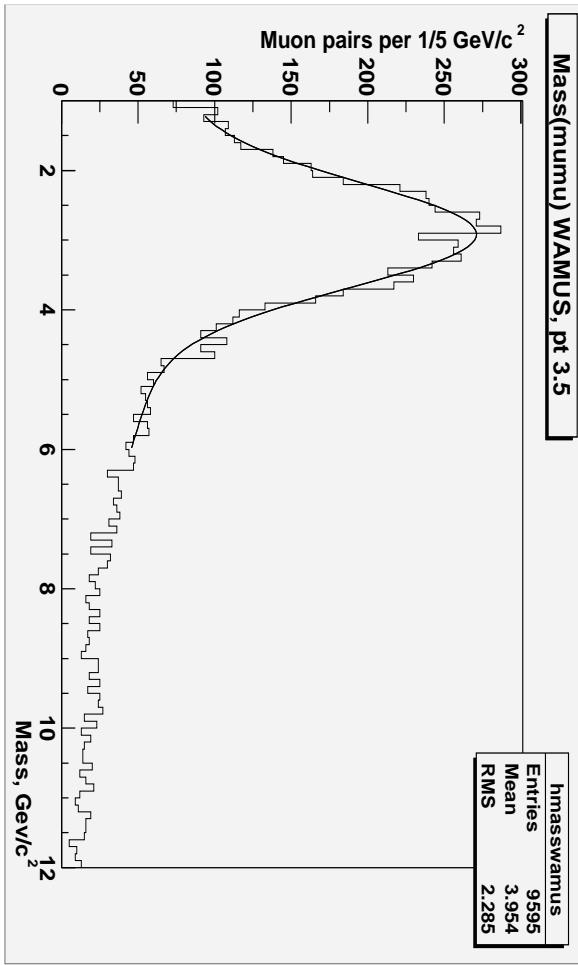
- Three layers : one inside (A) - $5\text{-}6\lambda$
two outside the toroid magnets (2T) - $> 12\lambda$

- Both scintillators and drift tubes

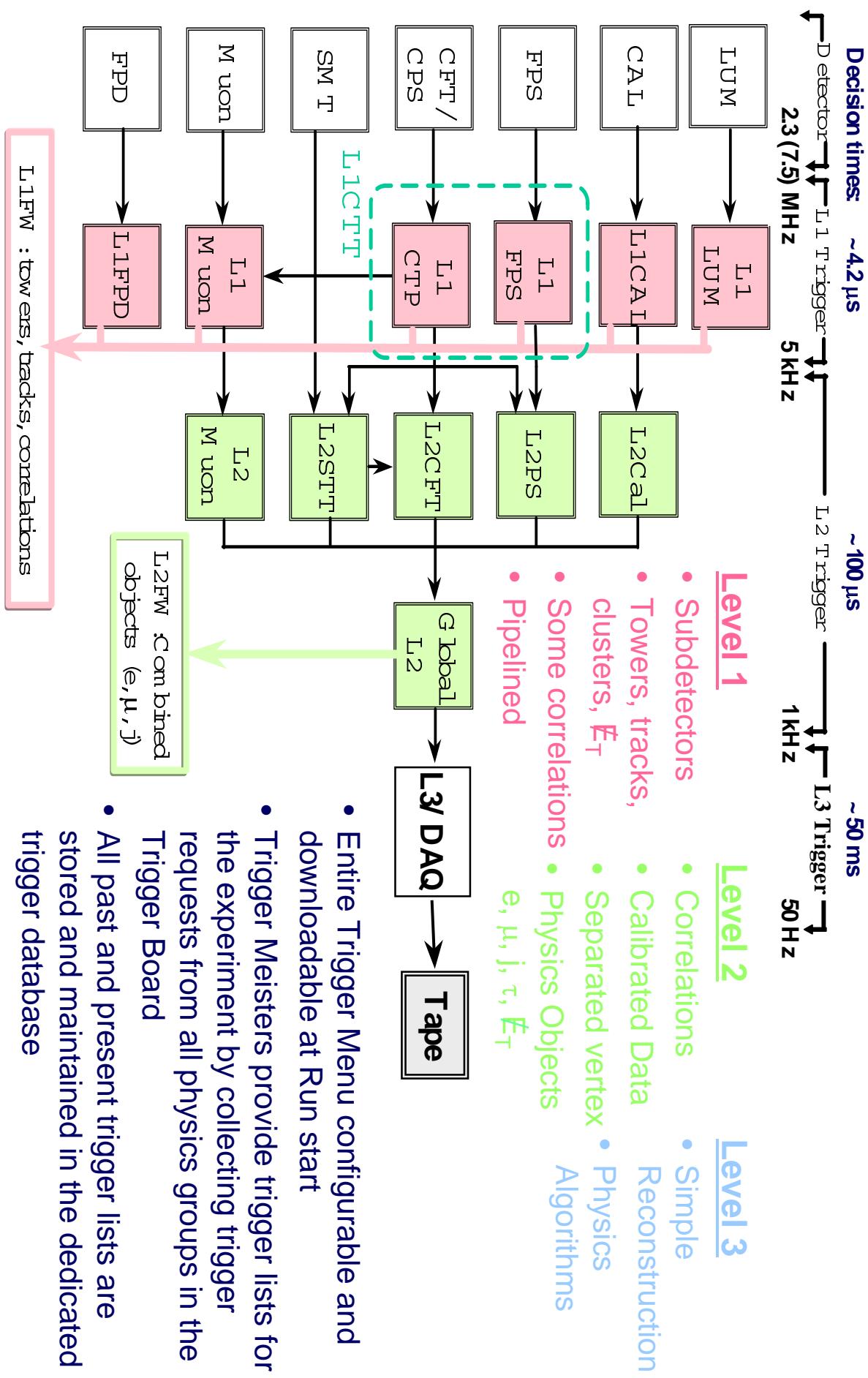
- Muon system can be used stand-alone to get μ p \bar{T} information

- Match muon hits to Tracks

- Fast enough to be in the Level 1 trigger



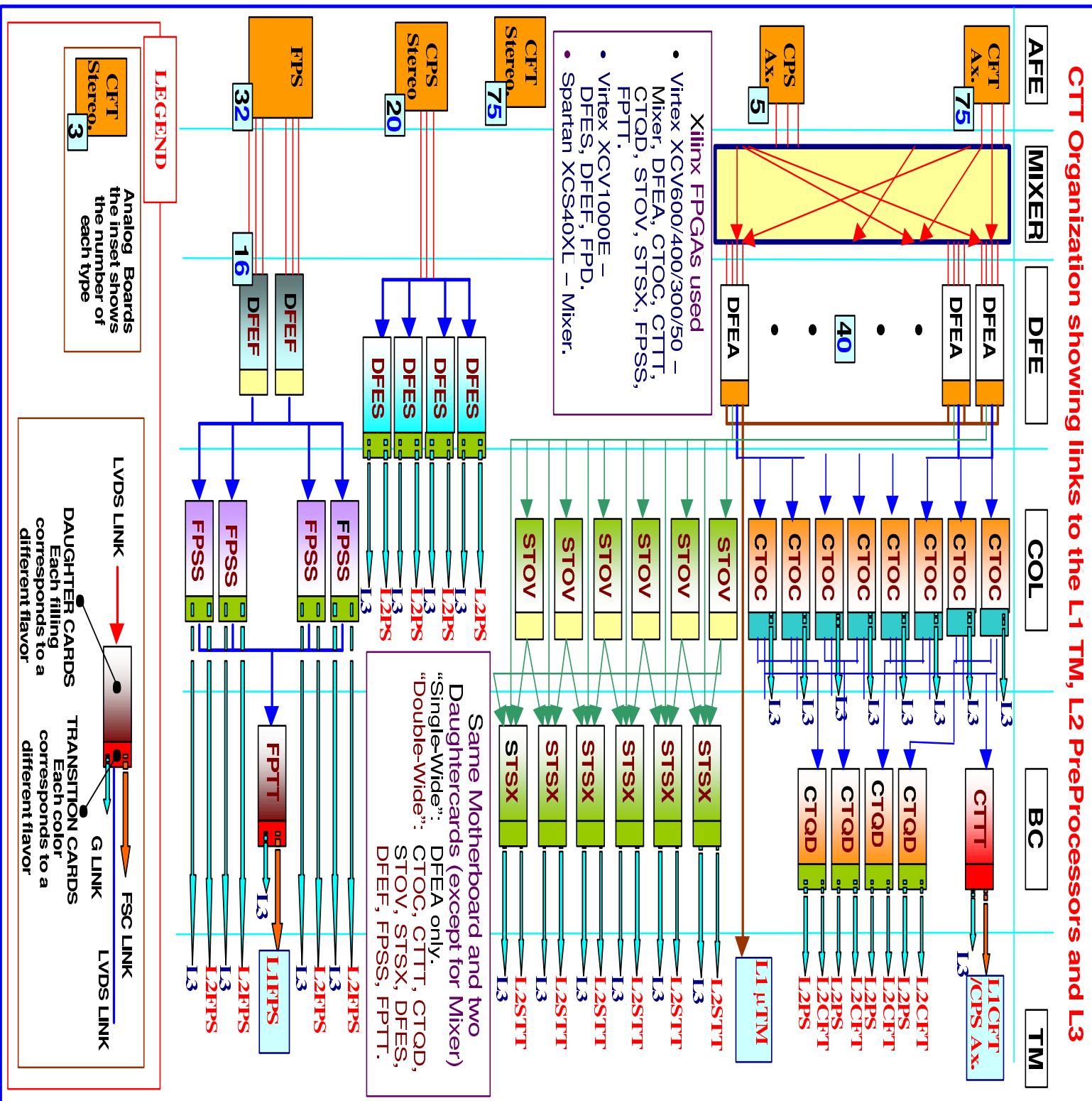
DØ Trigger System



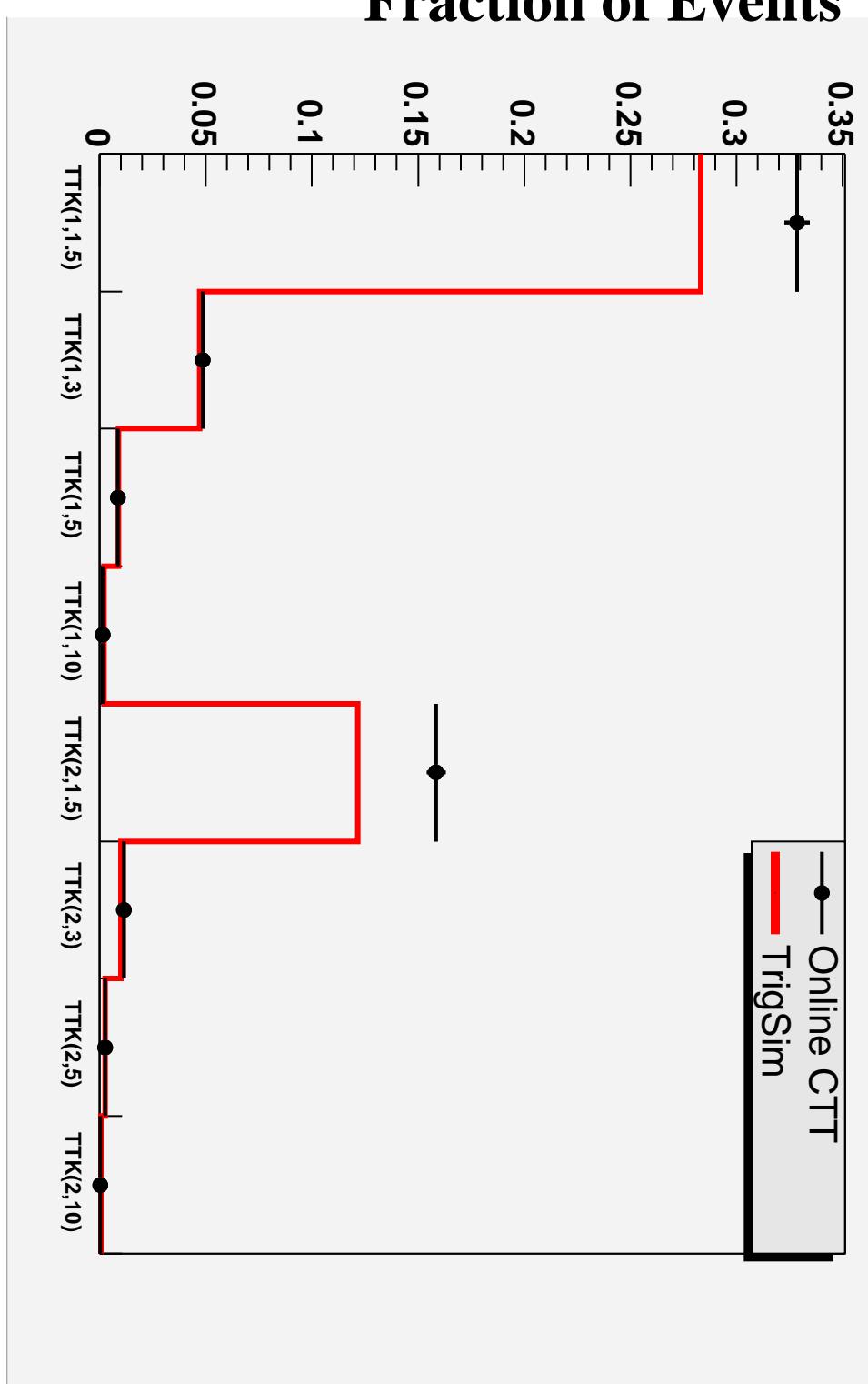
All trigger components have simulation software

CTT organization showing links to the L1 TM, L2 PreProcessors and L3 Processors

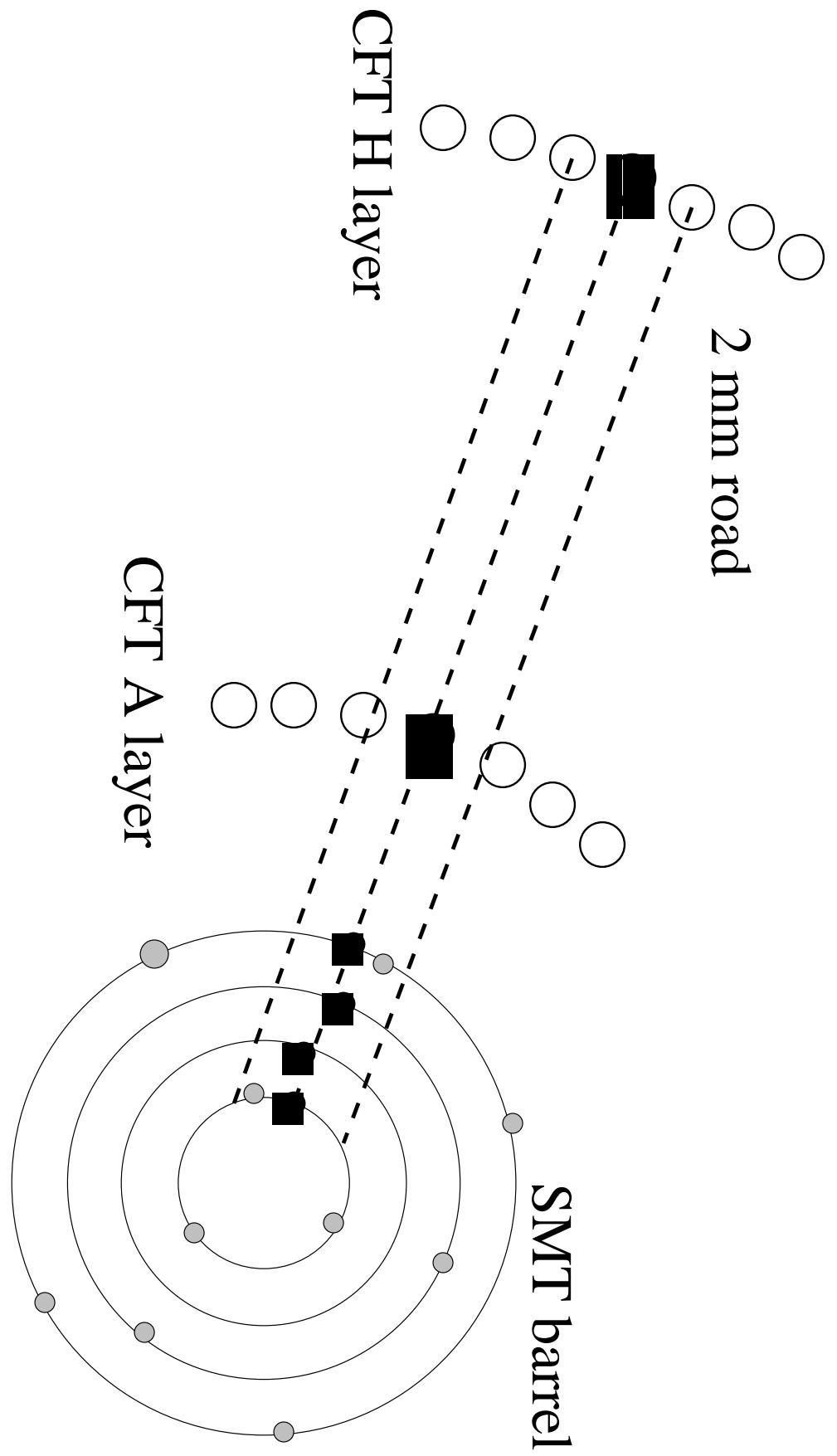
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Fraction of Events



Comparison of hardware and L1 CTT simulation
Track triggers are very important for B physics
Finding their way into the official trigger lists



L2 Silicon Track Trigger will be installed later this summer

Sample trigger(s) for B physics

- **2MU_A_L2M0** ("bread and butter" trigger)
 - L1: 2 μ in $|\eta| < 2$
 - L2: ≥ 1 medium μ
 - At least one muon have hits in A&BC (most J/Ψ are forward)
 - Rates: $L1/L2/L3 = 18/7/7$ Hz 4E31
- **2MU_C_2L2_2TRK**
 - L1: 2 μ in $|\eta| < 1$,
 - L2: 2 μ separated in η, ϕ with ≥ 1 medium μ
 - L3: 2 tracks with $p_T > 1.5$ GeV (one of them > 2.5 GeV)
 - Rates: $L1/L2/L3 = 27/13/3$ Hz 4E31
- **2MT1_C_2L2L2TRK** - Future
 - L1: 2 μ matched to CTT tracks (μ can have p_T as low as 1.5 GeV)
 - L2 : 2 μ not required to have hits in B or C layers
 - L3: 2 tracks with $p_T > 1.5$ GeV
- Also have **single muon triggers**, but they usually pick up prescales

Accelerator performance

	Run Ib	Run IIa	Run IIb
# bunches	6X6	36X36	140X103
\sqrt{s} (TeV)	1.8	1.96	1.96
\mathcal{L} cm $^{-2}$ s $^{-1}$	1.6×10^{31}	8×10^{31}	$2 - 5 \times 10^{32}$
bunch x-ing (ps)	3500	396	132(?)
interactions/x-ing	2.8	2.4	2-5

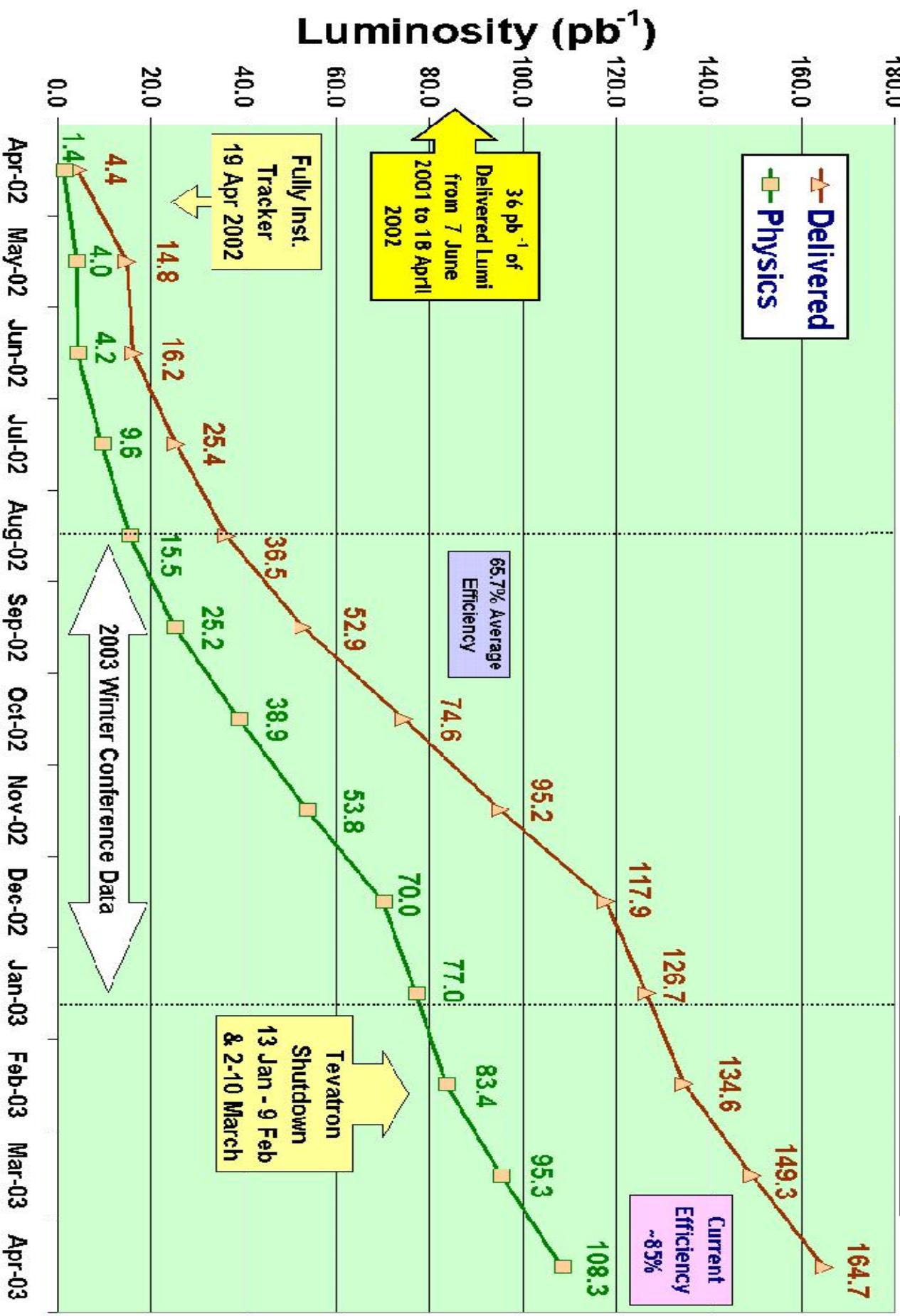
Currently, $\mathcal{L}_{inst} \approx 3 - 4 \times 10^{31}$

By end of FY03, expect $\int \mathcal{L} \approx 250 \text{ pb}^{-1}$

Run IIa 2001-2005: $\int \mathcal{L} \approx 2 \text{ fb}^{-1}$

D0 Run IIa Integrated Luminosity

19 April 2002 - 19 April 2003



D0 Monthly Data Taking Efficiency

19 April 2002 - 19 April 2003



Data taking efficiency for Apr 14-20'03 was 87% - Recorded $\mathcal{L} = 6 \text{ pb}^{-1}$

B physics program at D0

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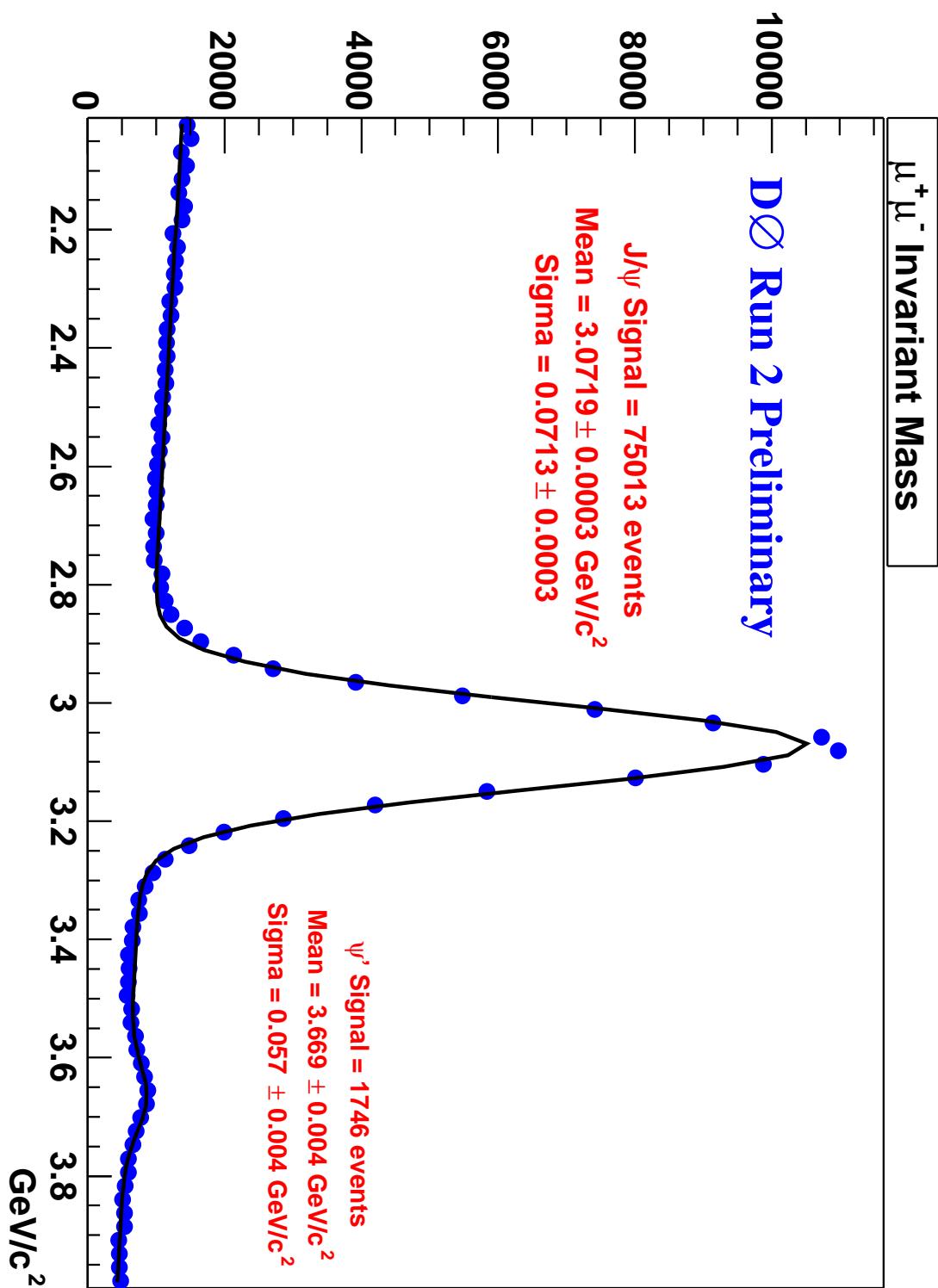
- Complementary to program at $\Upsilon(4S)$ machines
- B_s mixing (more later)
- Beauty baryons
 - e.g. $\tau(\Lambda_b)/\tau(B^\circ) = 0.8 \pm 0.06$, expectation is closer to 0.95
 - Previous measurements with semileptonic mode - Use $(\Lambda_b \rightarrow J/\Psi \Lambda)$
 - Study other baryons, Ω_b, Ξ_b, \dots
- Rare decays - $[l^+ l^-]$ final states
 - e.g. Some SUSY models (large $\tan\beta$) have enhanced rates for $B_{d,s}^0 \rightarrow \mu^+ \mu^-$
- b production cross-section - Run I measurements were ($\times 2 - 3$) higher than theory
- Charmonium - $J/\Psi, \Upsilon$ production, polarization studies
- Study B_c meson
- Also do B_d mixing, $\sin(2\beta)$ - mainly for cross-checks
- No Particle ID, so very hard to do $B \rightarrow \pi\pi, K\pi \dots$
- or mixing via $B_s \rightarrow J/\Psi K^{*\circ}$ (good trigger and reconstruction efficiency)
- Unique opportunity to do B physics during the current run
- When $\mathcal{L} \approx 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$, very hard to keep low pT triggers unprescaled

For this program, we need

- Exclusive final state reconstruction
 $B \rightarrow J/\Psi X, D^{(*)} l\nu, D^{(*)}(n\pi)$
- Proper time measurement
- Flavour tagging at production and decay
- Jet reconstruction (for b production)

Recent results

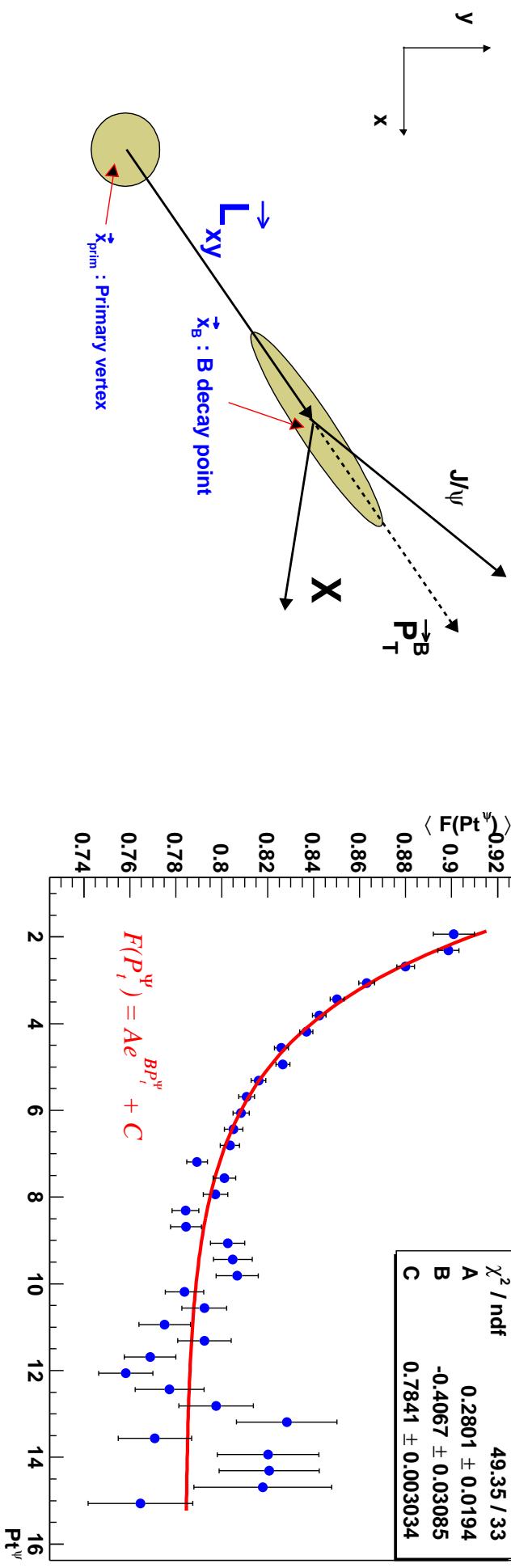
Recent results are based on the J/Ψ sample ($\approx 45\text{pb}^{-1}$)



Simple cuts on Muon p_T and vertex

Inclusive B lifetime

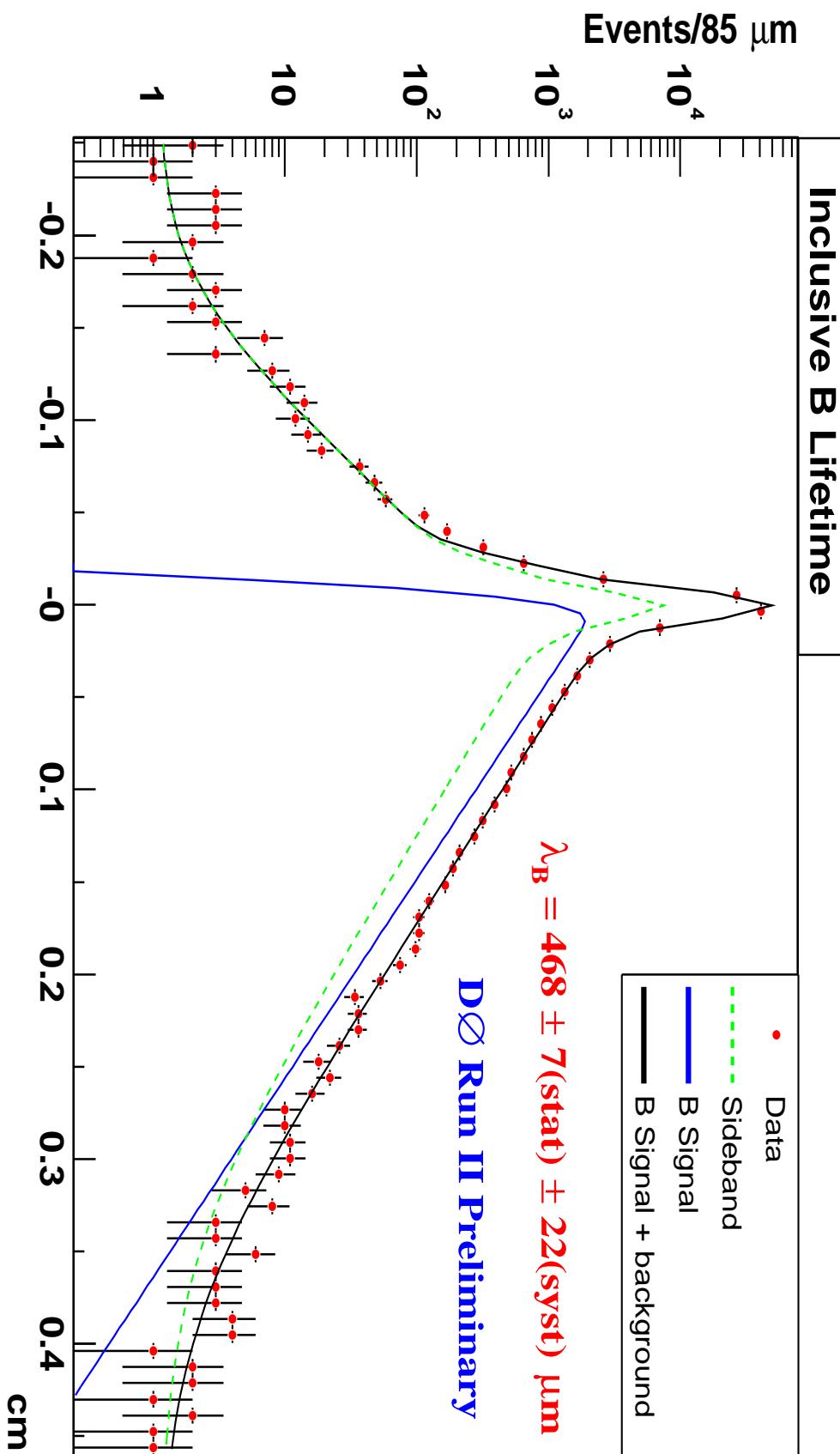
J/Ψ are prompt as well as from B hadrons



Use Correction factor from MC to relate λ_Ψ to λ_B

$$\lambda_B = L_{xy} \frac{M^\Psi}{\langle F(P_T^\Psi) \rangle}$$

$$\langle F(P_T^\Psi) \rangle = \frac{M^\Psi P_T^B}{M^B P_T^\Psi}$$

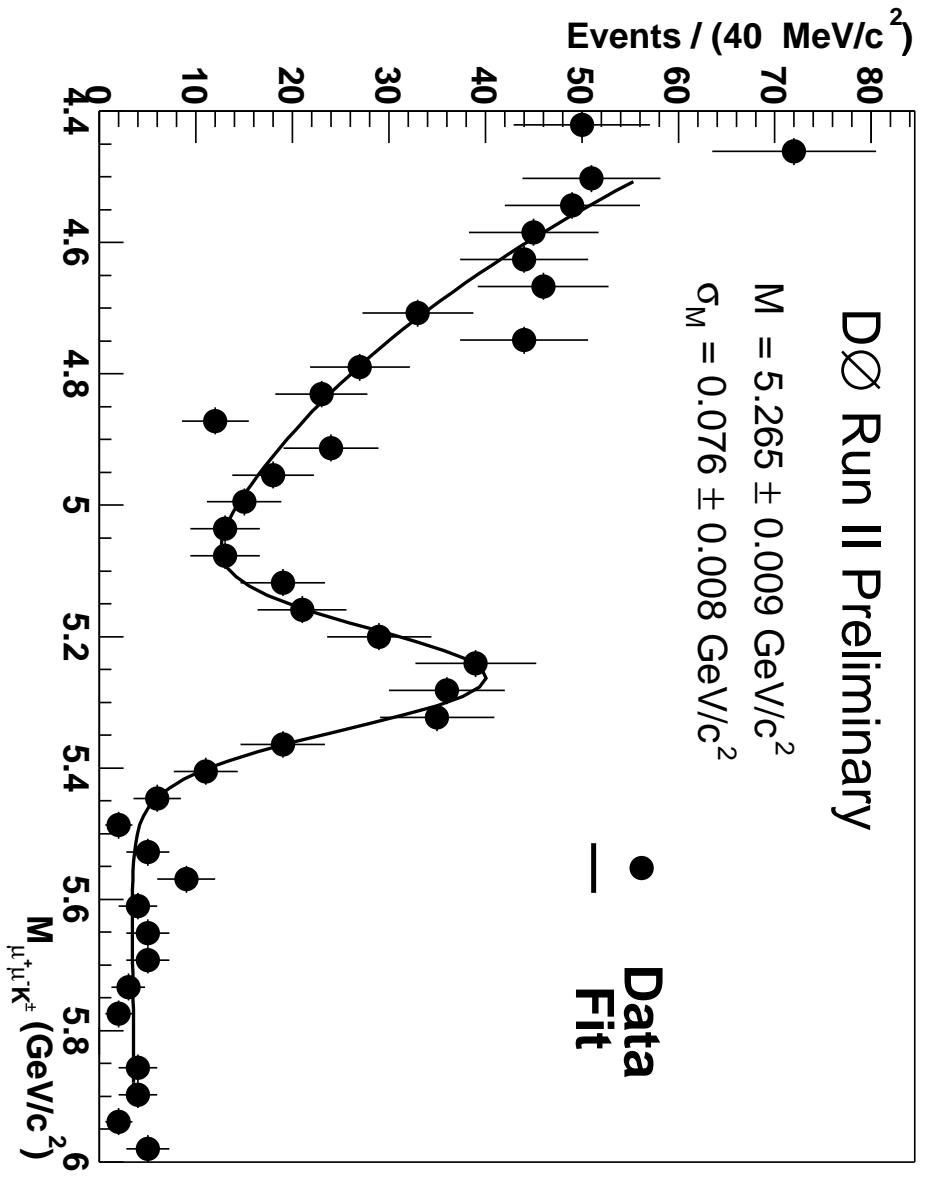


$$\langle\tau\rangle = 1.561 \pm 0.024(\text{stat}) \pm 0.074(\text{syst}) \text{ ps} \quad (\text{PDG } 1.564 \pm 0.014)$$

Dominant Syst. errors :

Correction Factor - 15.9 μm, Fitting bias - 14.0 μm
(Fraction of outliers - 1×10^{-3})

$B^+ \rightarrow J/\Psi K^+$ lifetime



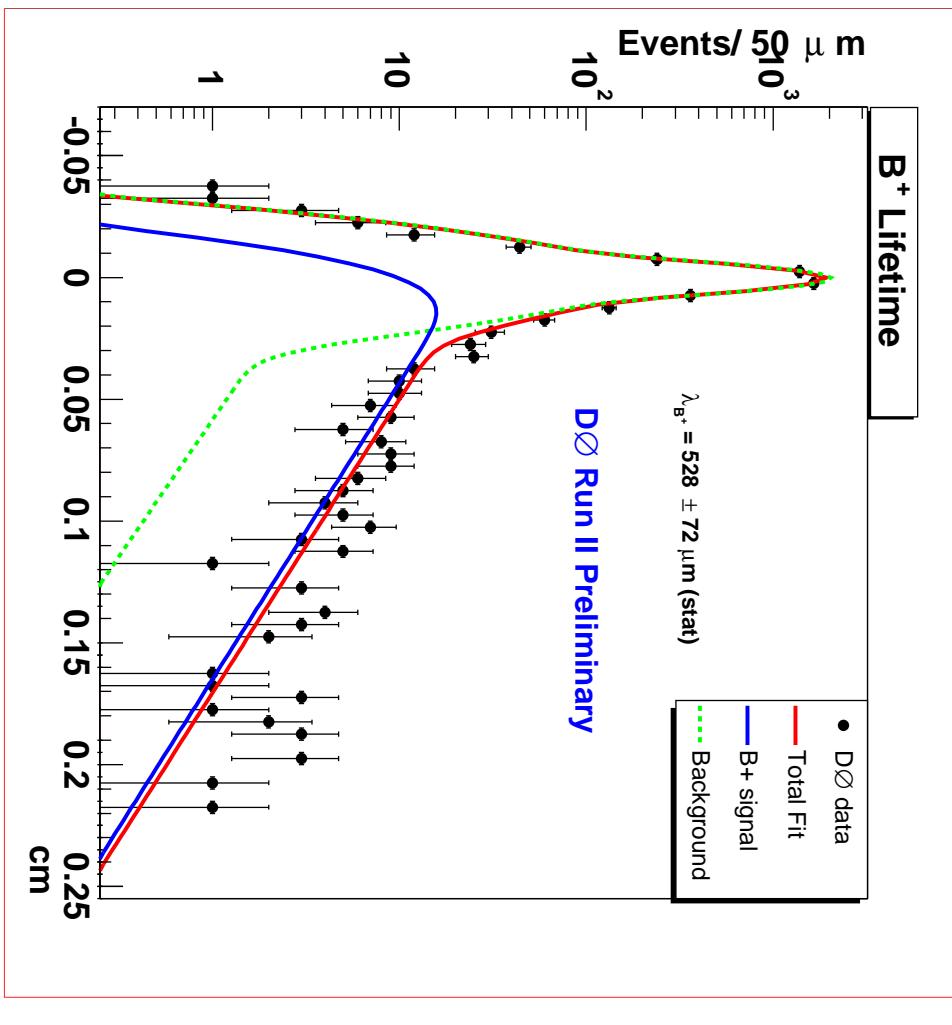
Cuts: $2.8 < J/\Psi \text{ mass} < 3.3 \text{ GeV}$ $\text{decay length} > 0.3 \text{ mm}$

$K_P T > 2 \text{ GeV}$ $\text{Collinearity} > 0.9$

To measure lifetime, remove decay length cut

λ_{B^\pm} distribution

Fully reconstructed, so no need for correction factor



$$\langle \tau \rangle = 1.76 \pm 0.24(\text{stat}) \text{ ps} \quad (\text{PDG } 1.674 \pm 0.018)$$

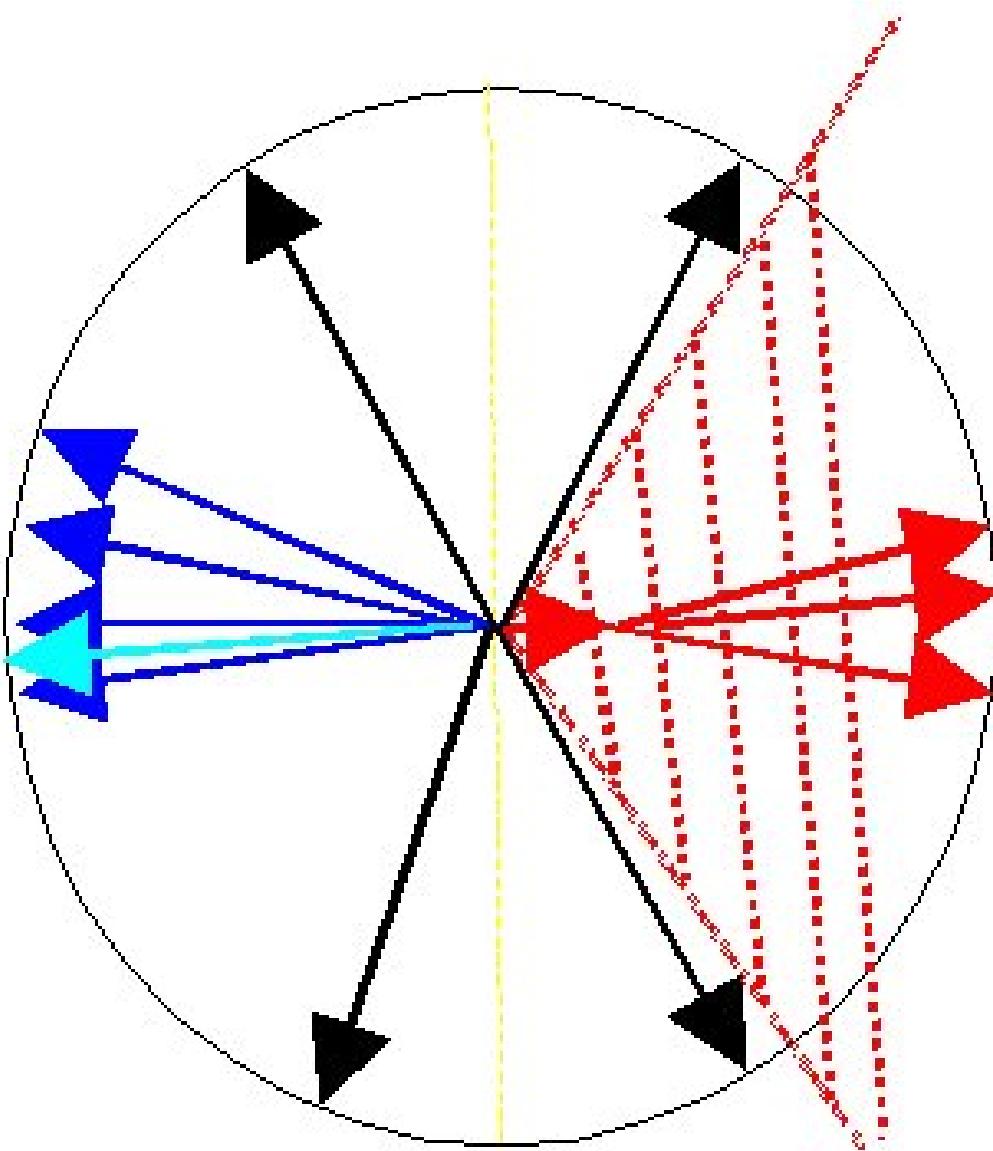
Better tracking available - Reanalyzing

Use Charged B sample to study Flavour tagging techniques

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- **Soft lepton tagging**
 - Muon $\Delta R > 2$ from B^+ , Muon $P_T > 1.9 \text{ GeV}$
 - Muon charge $\Rightarrow b\text{-tag}$
- **Jet Charge tagging**
 - Remove B^+ daughters
 - Use all tracks with Imp Param $< 0.2 \text{ cm}$ and in cone opposite to B direction
- **Same side tagging**
 - Consider all tracks on side as B^- underway

$B^+ \rightarrow J/\Psi, K^+$

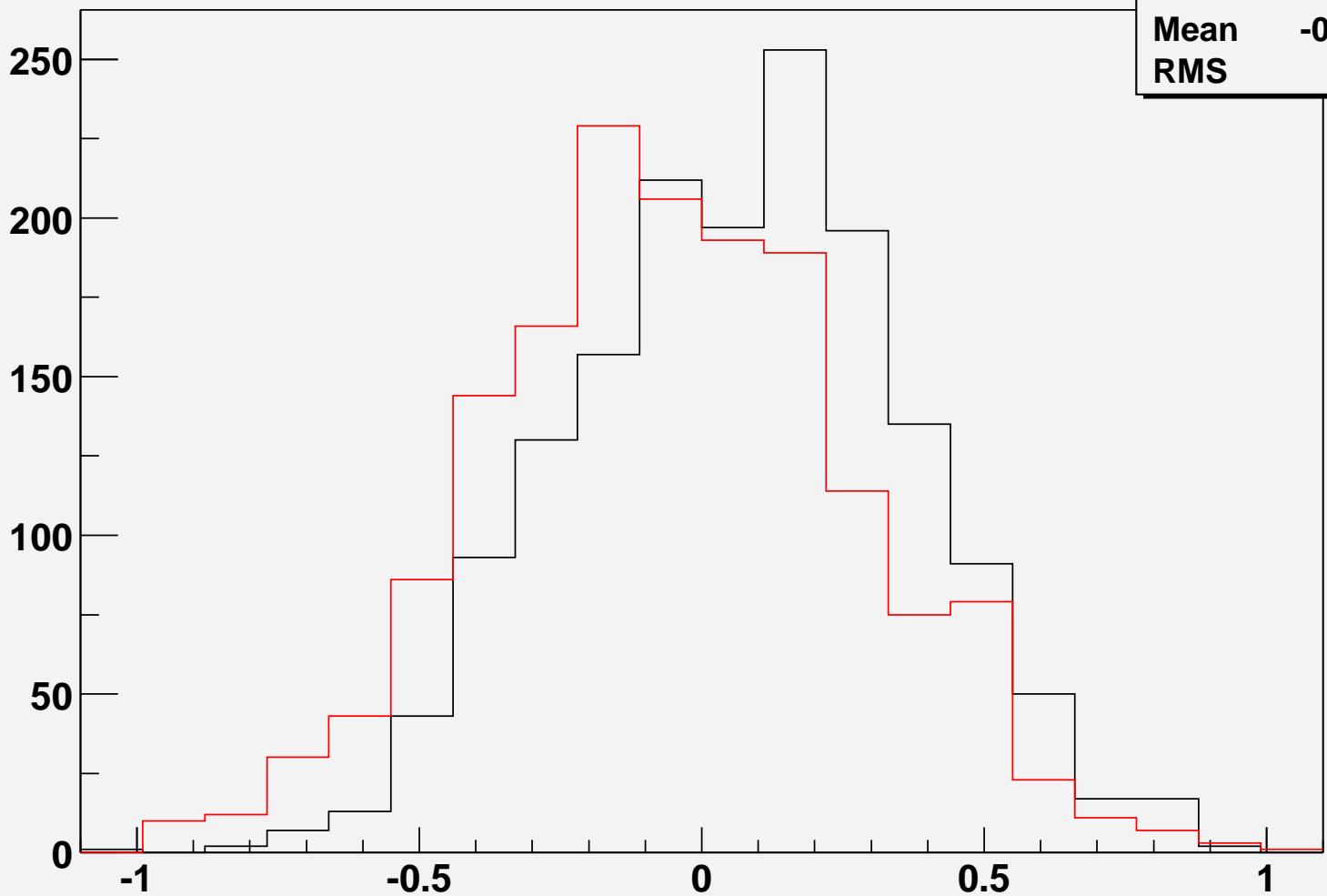


B^-/B^0 , etc decay

bbar events on the transverse plane

B- jet charge(Alg 1)

kp_jet_c
Entries
Mean
RMS



Tagging Performance

$$\epsilon = \frac{N_{\text{correct}} + N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}} + N_{\text{notag}}} \quad D = \frac{N_{\text{correct}} - N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}}}$$

- ϵ , D are the efficiency and Dilution
- Mixing measurements $\propto \epsilon D^2$

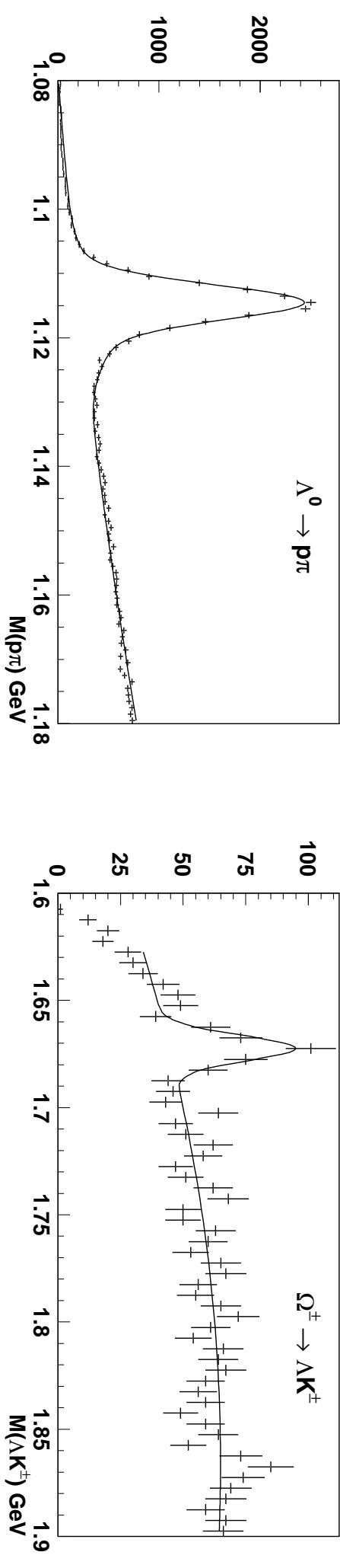
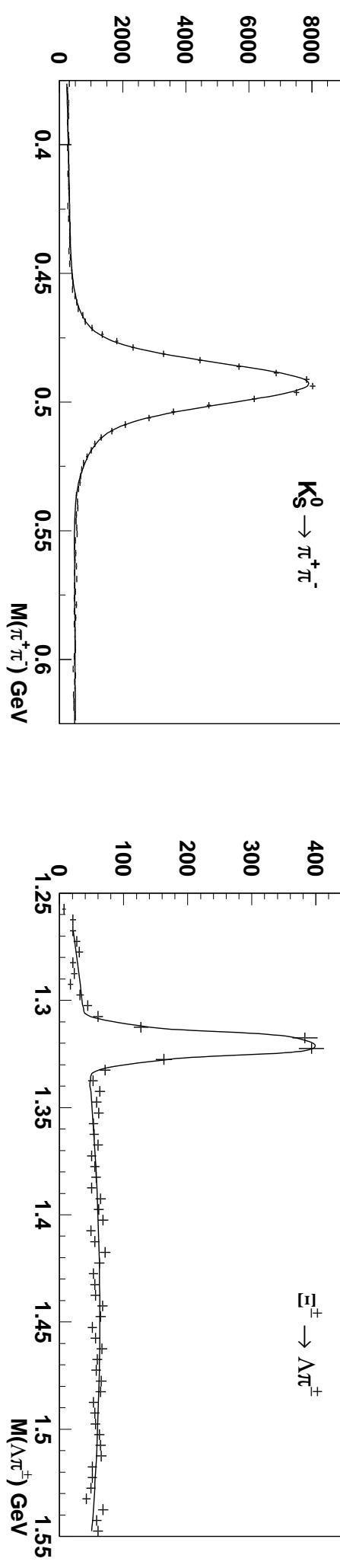
	Jet Tag	Muon Tag
Signal Region: ϵ	$63.0 \pm 3.6\%$	$8.3 \pm 1.9\%*$
Sideband Region: ϵ	$15.8 \pm 8.3\%$	$44.4 \pm 21.1\%$
ϵD^2 for signal	$2.4 \pm 4.1\%$	$-3.7 \pm 19.2\%$

* (Muon Tag efficiency includes semileptonic branching fraction)

Better tracking available - Reanalyzing

New Tracking Algorithm has been developed
Better performance for lower p_T tracks (0.18 GeV/c), K_s , λ daughters

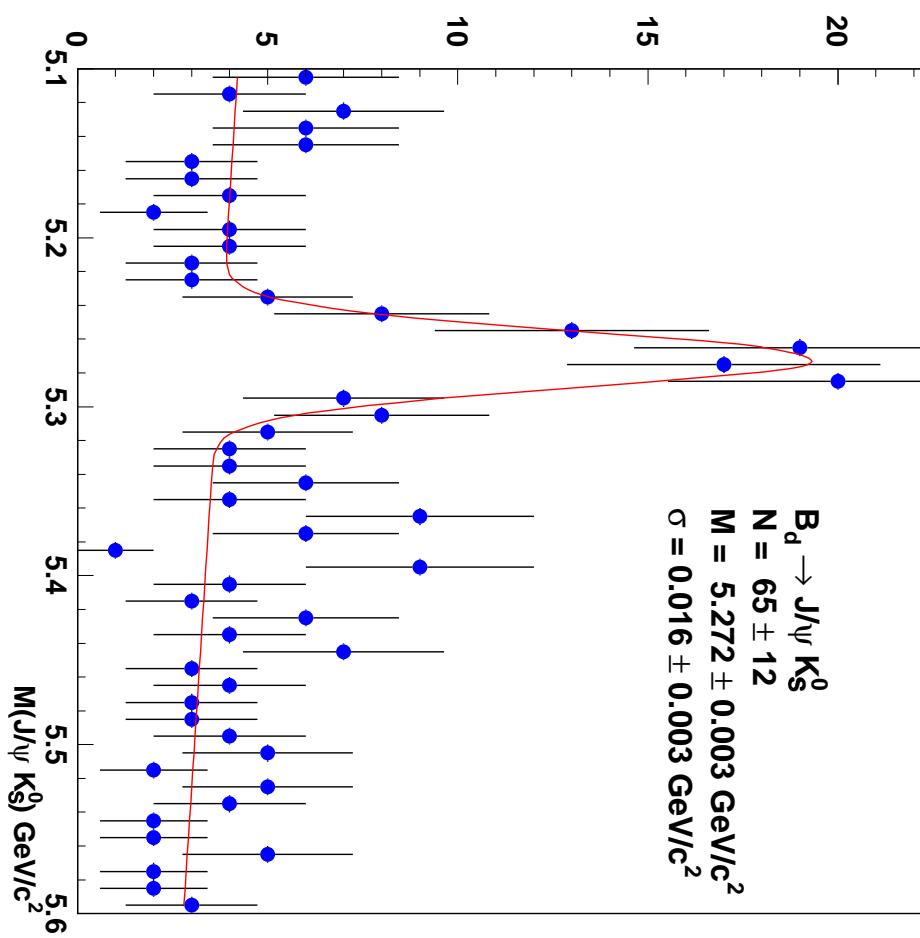
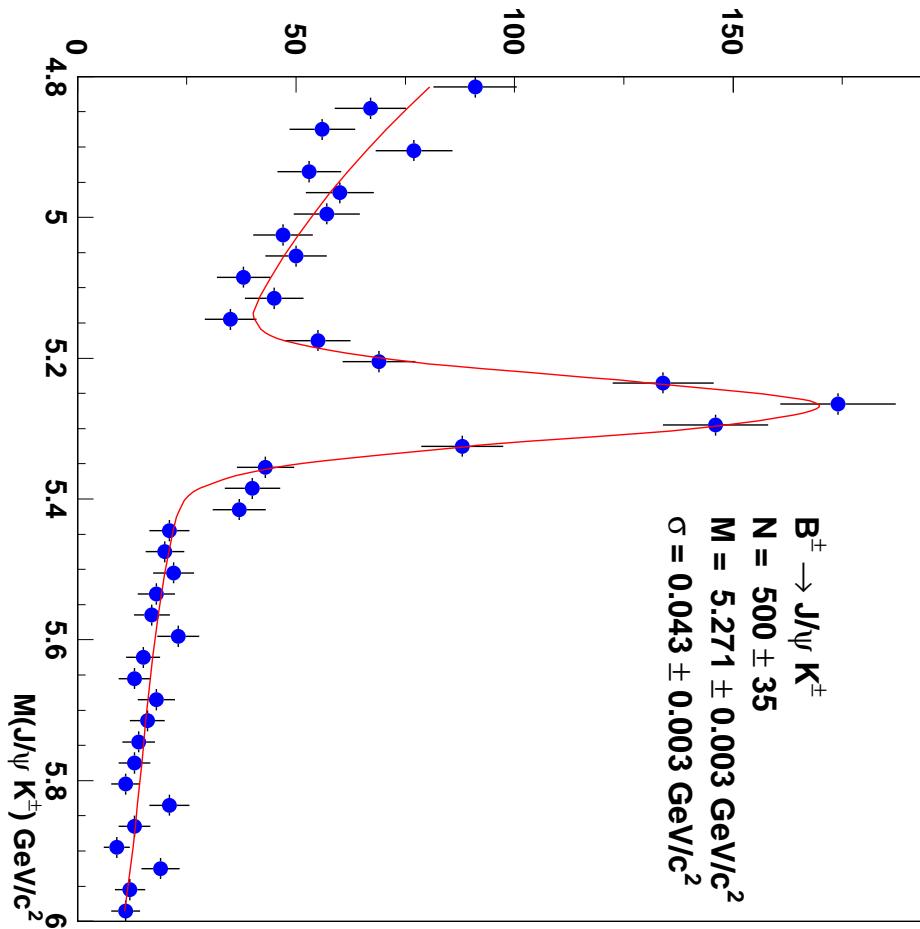
D0 RunII Preliminary



D0 RunII Preliminary

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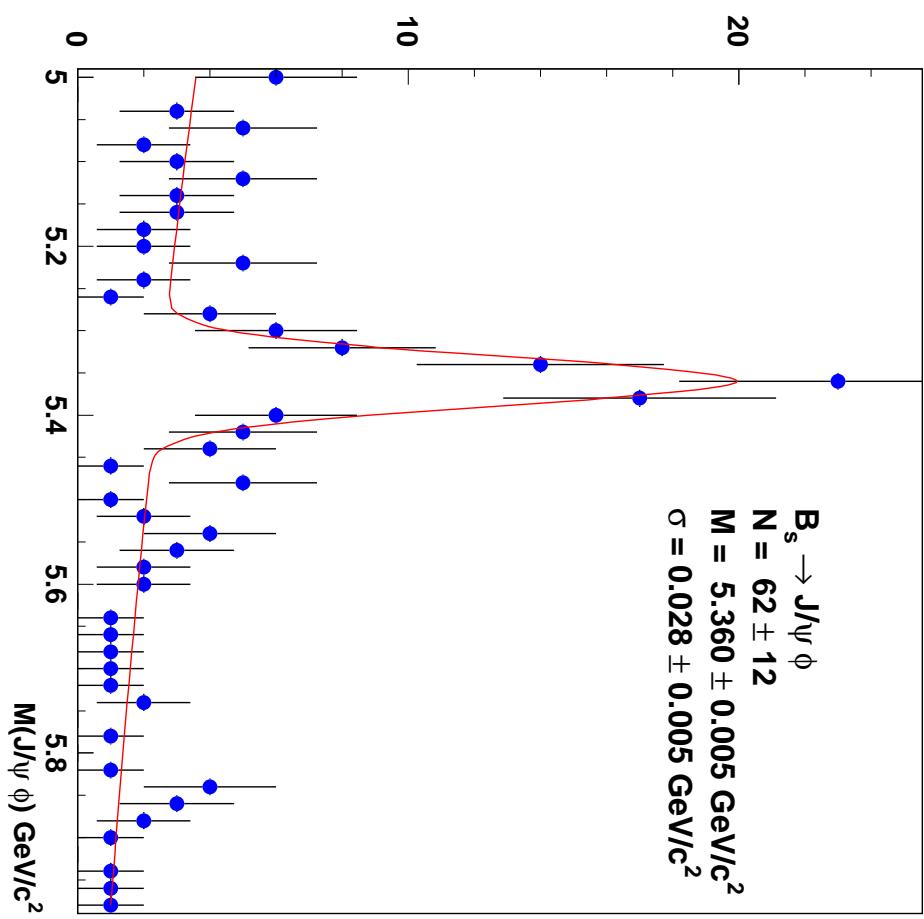
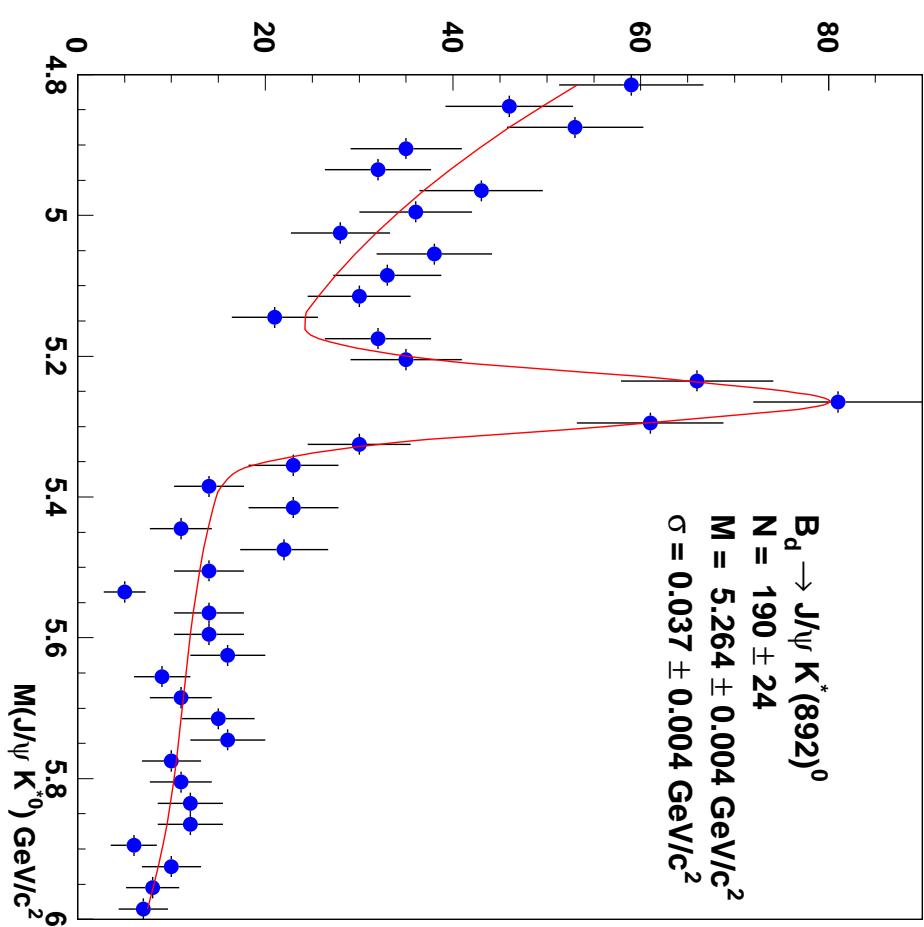
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D0 RunII Preliminary

D0 RunII Preliminary

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Simple cuts:

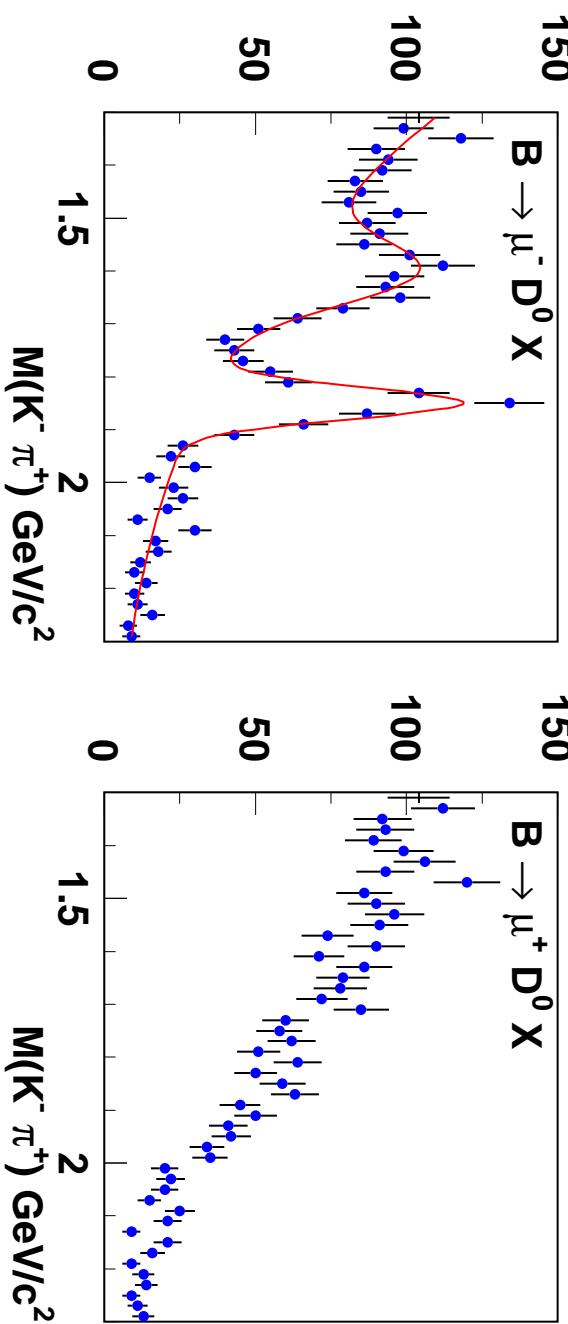
Cut on Imp Param significance of D^0 daughters

Decay length significance cut ($|t_{xy}/\sigma_t| > 4$) on D^0 vertex

Collinearity cut on D^0 , χ^2 cut on the μD^0 vertex

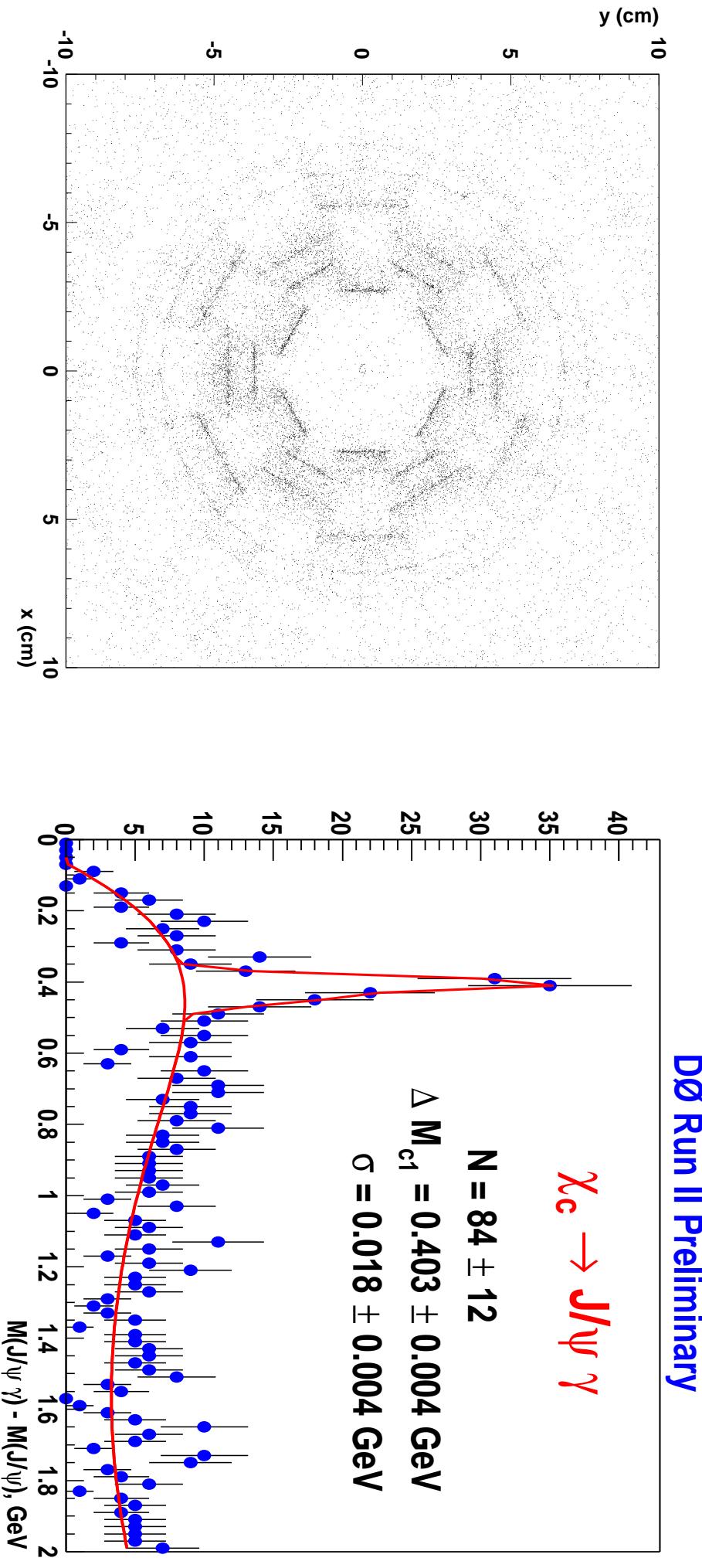
B mass - $2.3 < \mu D^0 < 5.5$

D0 RunII Preliminary



We reconstruct ≈ 400 such events/ pb^{-1}

From Run I: J/Ψ ($\& \Psi(2S)$) yield is much higher than predictions
 CDF Run I: Fraction of J/Ψ coming from $\chi_c = 27.4 \pm 5.4\%$

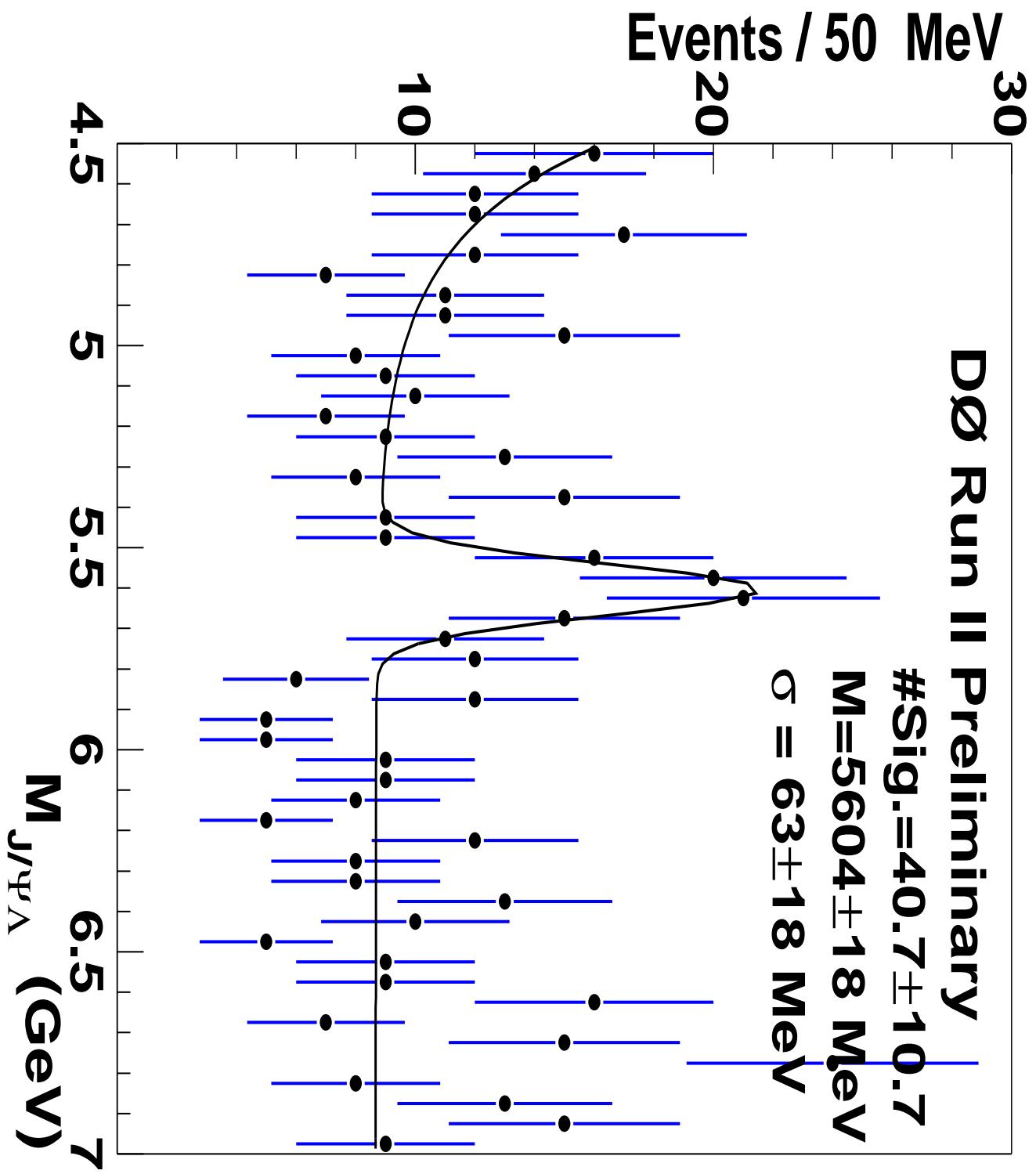


Cuts: $pT \mu > 2$ GeV, $pT \gamma > 1$ GeV

Fit to ΔM peak: Sum of two Gaussians - χ_{c1}, χ_{c2}

fixed diff. between the peaks (46 MeV) and same sigma

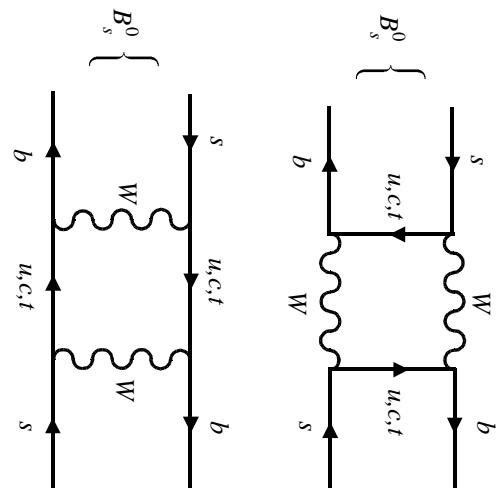
Working to improve resolution - better tracking available



This signal does not use the best available tracking

B_s oscillations

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Proceeds via a **second order weak transition**

B_s mixing very important in constraining CKM

$\bar{\rho} < 0$ is disfavoured from lower bound on ΔM_s

- Side CA of the Unitarity triangle ($\propto |V_{td}|$) is also

$$R_t = 0.88 \left[\frac{\xi}{1.18} \right] \sqrt{\frac{18.0/\text{ps}}{\Delta M_d}} \sqrt{\frac{\Delta M_d}{0.5/\text{ps}}}, \quad \xi = \frac{\sqrt{B_{B_s} F_{B_s}}}{\sqrt{B_{B_d} F_{B_d}}}$$

- Mass eigenstates can be written in terms of flavour eigenstates

$$\begin{aligned} |B_s^L\rangle &= p|B_s^0\rangle + q|\overline{B}_s^0\rangle \\ |\overline{B}_s^H\rangle &= p|\overline{B}_s^0\rangle - q|B_s^0\rangle \end{aligned}$$

- $\Delta M_s \equiv M_H - M_L$, $\Delta \Gamma_s \equiv \Gamma_L - \Gamma_H$

- An initially pure B_s^0 state can evolve in time

$$|B_s^0(t)\rangle = g_+(t)|B_s^0\rangle + g_-(t) \frac{p}{q} |\bar{B}_s^0\rangle$$

$$|\bar{B}_s^0(t)\rangle = g_-(t) \frac{q}{p} |B_s^0\rangle + g_+(t) |\bar{B}_s^0\rangle$$

- Mixed/Unmixed probability can be written as

$$\mathcal{P}_{u,m}(t) = \frac{\Gamma_s e^{-\Gamma_s t}}{2} \left[\cosh\left(\frac{\Delta\Gamma_s t}{2}\right) \pm \cos(\Delta m_s t) \right]$$

- For $\Delta\Gamma_s \approx 0$ (SM expectation)

$$\mathcal{P}_{u,m}(t) = \frac{\Gamma_s e^{-\Gamma_s t}}{2} [1 \pm \cos(\Delta m_s t)]$$

Experimental Considerations

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- Measure asymmetry $\mathcal{A}_f(t)$,

$$\mathcal{A}_f(t) = \frac{\mathcal{P}_u - \mathcal{P}_m}{\mathcal{P}_u + \mathcal{P}_m} = \frac{\cos(\Delta m_s t)}{\cosh(\frac{\Delta \Gamma_{st}}{2})}$$

- Crucial component is proper time resolution, $t = m_B L/p$,

$$\sigma_t = \frac{m_B}{p} \sigma_L \oplus \frac{\sigma_p}{p} t$$

- Also need

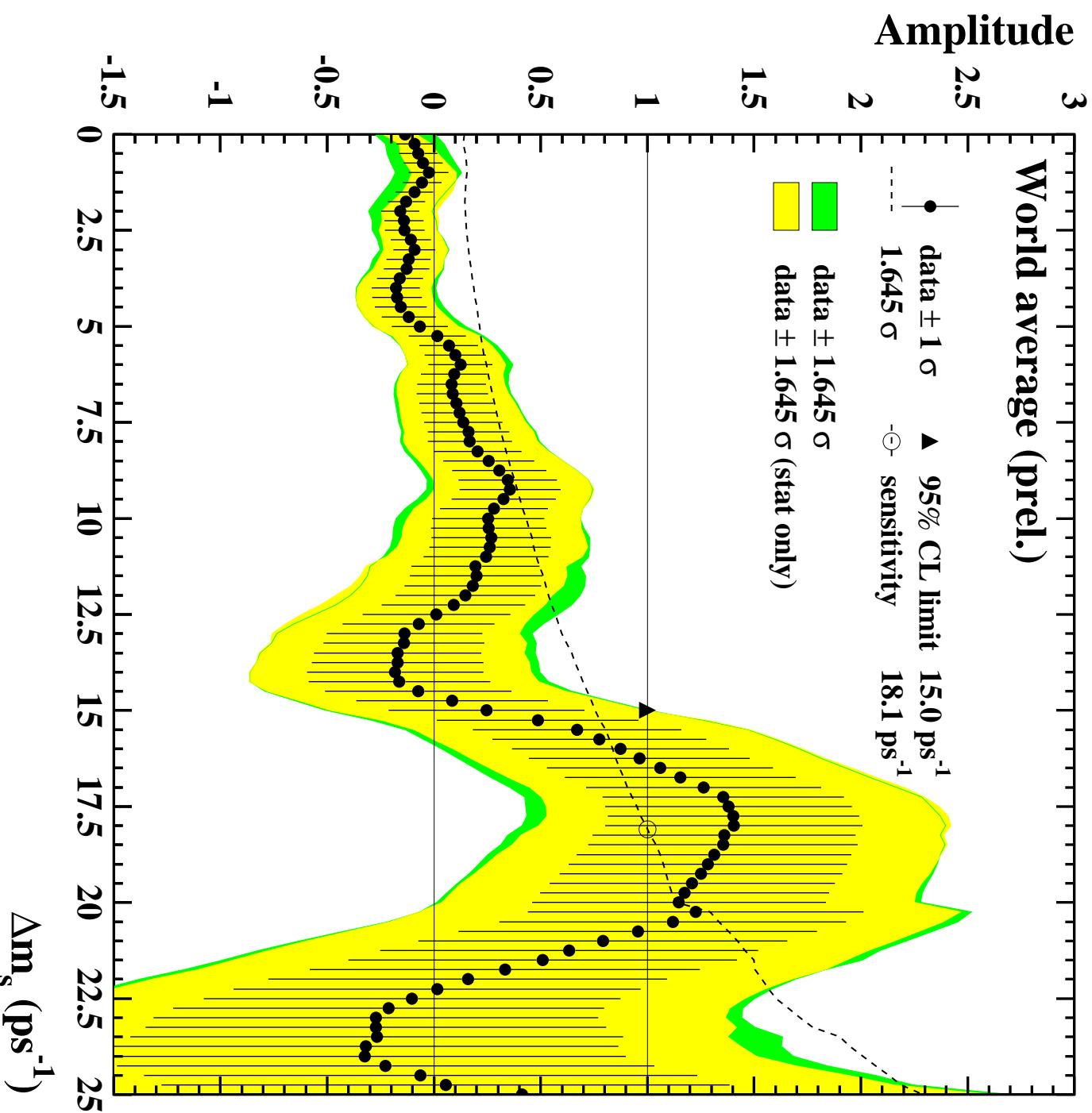
- Exclusive final state reconstruction: $B \rightarrow D_{(s)}^{(*)} l\nu, D_{(s)}^{(*)}(n\pi)$
- Flavour tagging at production and decay
- Significance of mixing measurement (likelihood fit to $\mathcal{A}_f(t)$)

$$= \sqrt{\frac{N\epsilon D^2}{2}} e^{-(\Delta m_s \sigma_t)^2/2} \sqrt{\frac{S}{S+B}}$$

- Another way to is to measure \mathcal{A} for every value of ω

$$\mathcal{P}_{u,m}(t) = \frac{\Gamma_s e^{-\Gamma_s t}}{2} [1 \pm \mathcal{A} \cos(\omega t)]$$

- If $\omega \ll \Delta M_s$, $\mathcal{A}=0$, while at the true frequency $\omega = \Delta M_s$ \mathcal{A} expected to be 1
- All values of the test frequency ω for which $\mathcal{A} + 1.645\sigma_{\mathcal{A}} < 1$ were excluded at the 95% CL
- Current limit $\Delta m_s > 15.0 \text{ ps}^{-1}$
- Sensitivity was 18 ps^{-1}
- Poorer result due to a “hint” of signal at 17 ps^{-1} ($\approx 2.5\sigma$)
- If we remove Δm_s from Unitarity triangle fits current measurements prefer Δm_s around $15 \pm 4 \text{ ps}^{-1}$
- Standard Model upper limit $\Delta m_s \leq 31 \text{ ps}^{-1}$ at 95% CL



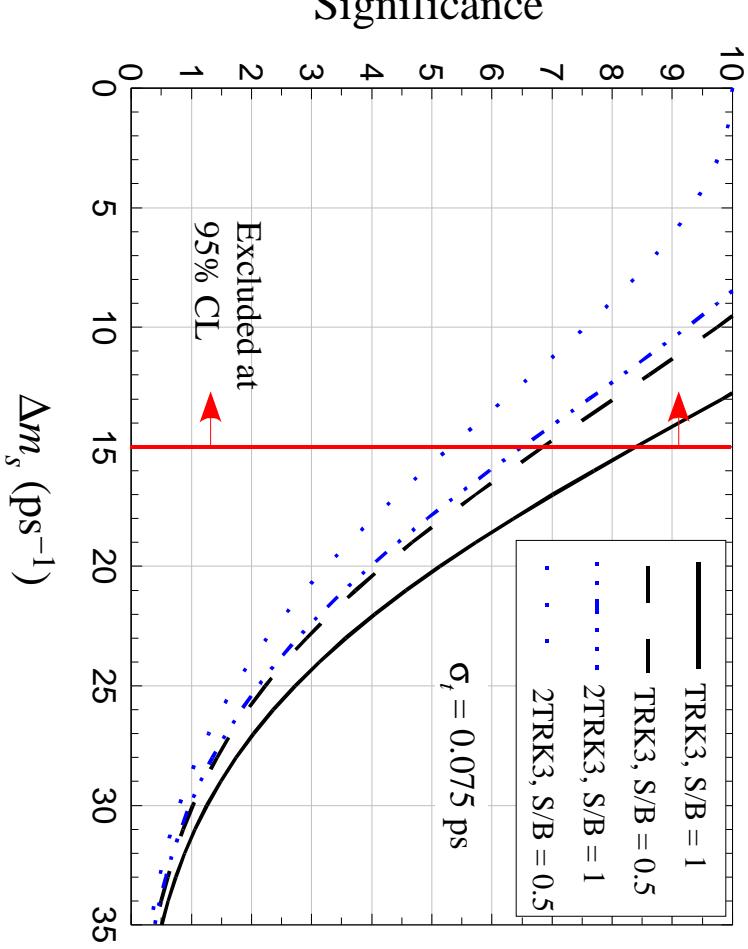
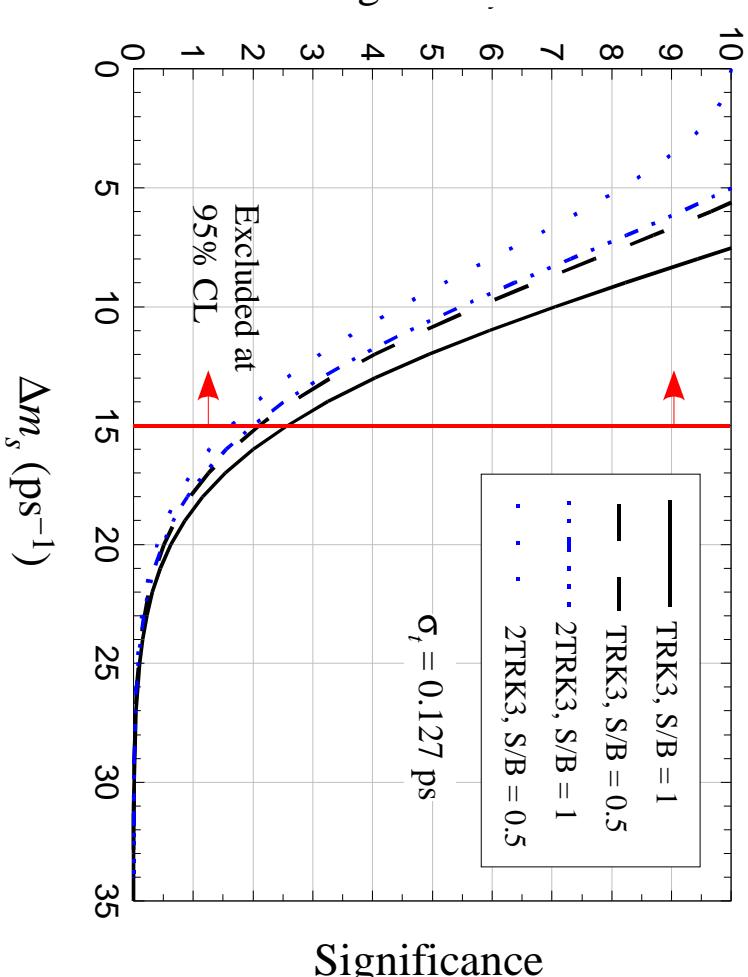
- $B_s \rightarrow D_s^{(*)} (\pi\pi)$
 - Good reconstruction efficiency
 - Good proper time resolution
 - Low branching fractions $\approx 0.4\%$
 - Low trigger efficiency - Single muon triggers
- $B_s \rightarrow D_s^{(*)} l\nu$
 - Good reconstruction efficiency
 - Poorer proper time resolution
 - Large branching fractions $\approx 6 - 10\%$
 - Good trigger efficiency - Single and dimuon triggers
- **Tracker & Silicon** based Triggers will improve prospects

- $B_s \rightarrow D_s^{(*)} \pi$

- Reconstruction eff. $\approx 15\%$

- Trigger Eff. is $0.1/0.2\%$ for the two triggers

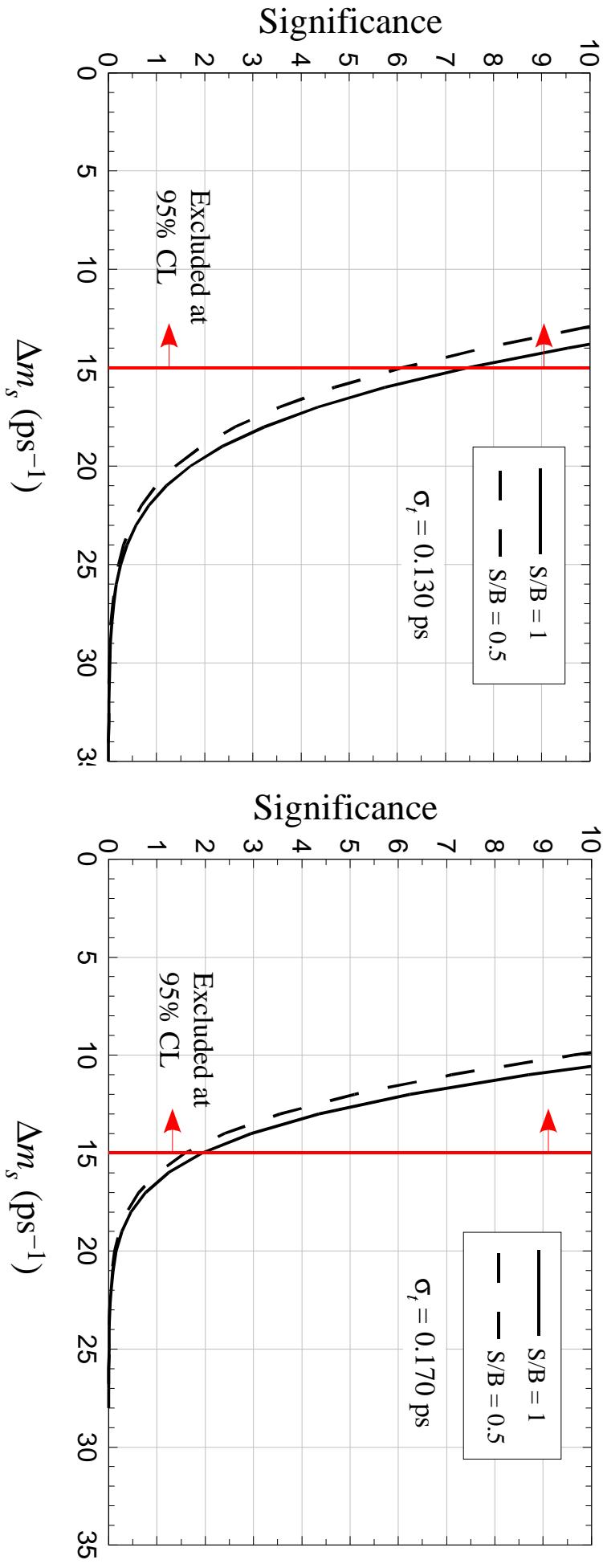
- Total Number of reconstructed events (**MC sample**): 1300-1900
(includes all trigger, reconstruction efficiencies, assume 2 fb^{-1})



Use of CTT and STT triggers will improve Event Yields and S/B

- $B_s \rightarrow D_s^{(*)} \mu \nu$

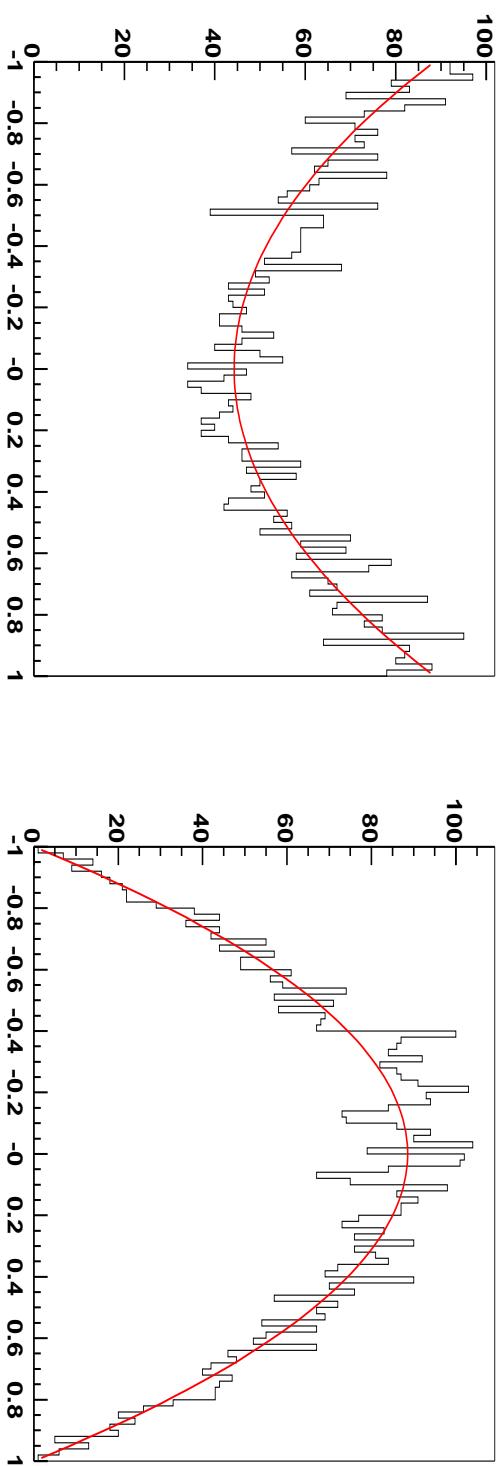
- Number of events extrapolated from $B \rightarrow D^0 \mu \nu$ signal - 20K
- Infer proper time resolution from inclusive B lifetime study



Work is underway - Hopefully will have something to say by next year

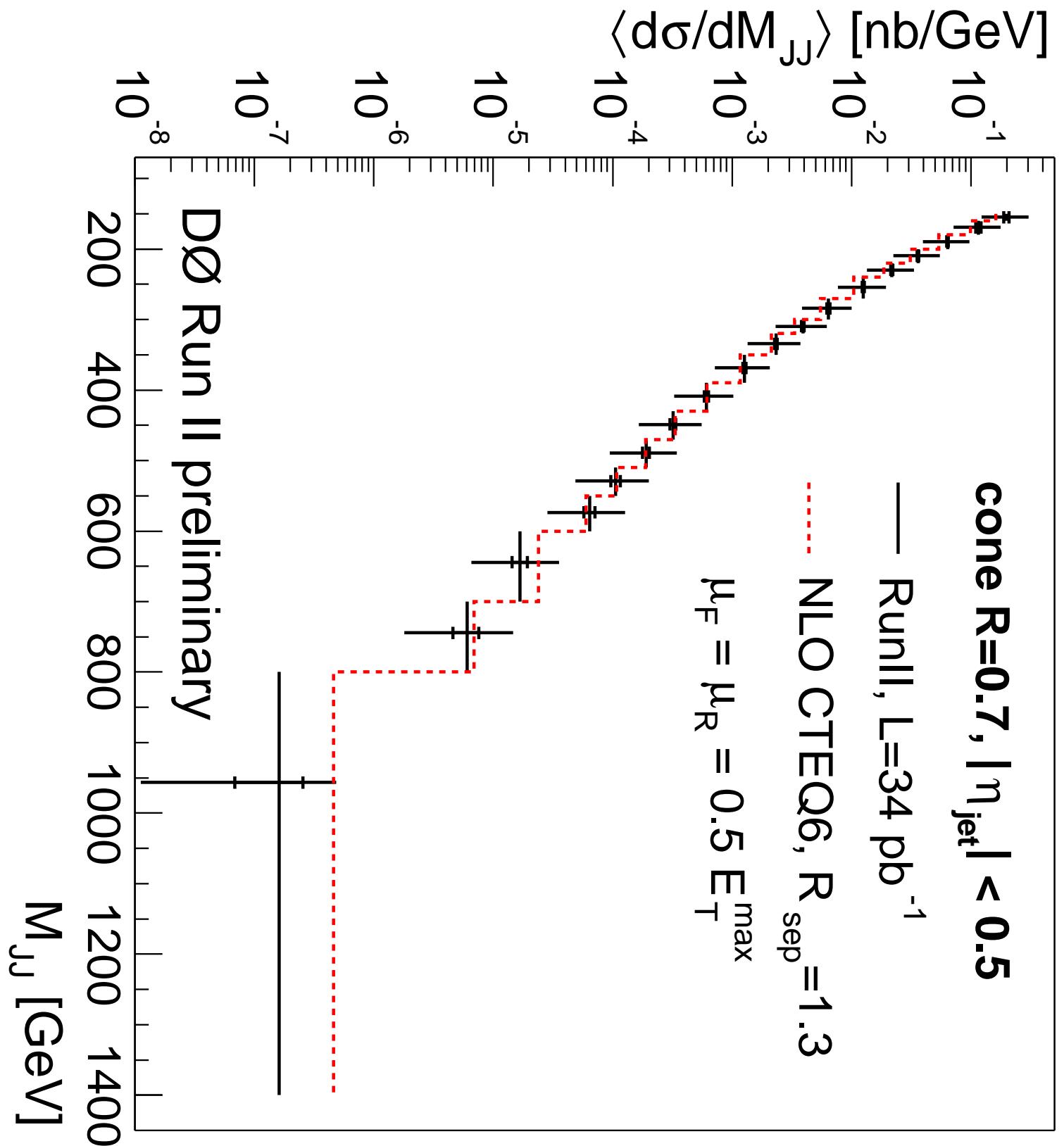
- Ideal mode to measure B_s lifetime
- Also 2 vectors in the final state $\Rightarrow L=0,1,2$
- Final state will be a mixture of CP even and odd states
- Use Transversity basis to separate the CP even and odd states related to the usual helicity basis amplitudes
 - $A_0 = H_0$, $A_{||} = \frac{1}{\sqrt{2}}(H_+ + H_-)$ - CP even states
 - $A_{\perp} = \frac{1}{\sqrt{2}}(H_+ - H_-)$ - CP odd

- Transversity angle - between μ and Z-axis is different for CP even: $3/8(1+\cos^2(\theta_t))$ and CP odd: $3/4\sin^2(\theta_t)$



- CP violation in B_s is expected to be small - B_s mass eigenstates are nearly CP-eigenstates
- Combining Transversity & Lifetime analyses, one can access $\Delta\Gamma$ in the B_s system
- In the Standard Model,
$$\frac{\Delta\Gamma_s}{\Delta m_s} = -\frac{3}{2}\frac{m_b^2 \eta_{\text{QCD}}^{\Delta\Gamma}}{\pi m_t^2 \eta_{\text{QCD}}^{\Delta s}}$$
- If Δm_s is too large, $\Delta\Gamma_s$ might be accessible!
- Current estimates of $\Delta\Gamma_s/\Gamma_s$ from
 - Inclusive B_s decays which contain both components fit with two exponentials : decay constants $\Gamma_s \pm \Delta\Gamma_s$
 - $J/\Psi\Phi, D_s^{(*)+}D_s^{(*)-}$ final states
- $\Delta\Gamma_s/\Gamma_s = 0.15^{+0.08}_{-0.09}$ (< 0.30 at 95% CL)
Uses the constraint that $\langle\tau_{B_s}\rangle = \tau_{B_d}$ - B oscillations Working Group
- Implied value of $\Delta m_s = 16^{+8}_{-9} \pm 5 \text{ ps}^{-1}$ (using input from NLO+Lattice)

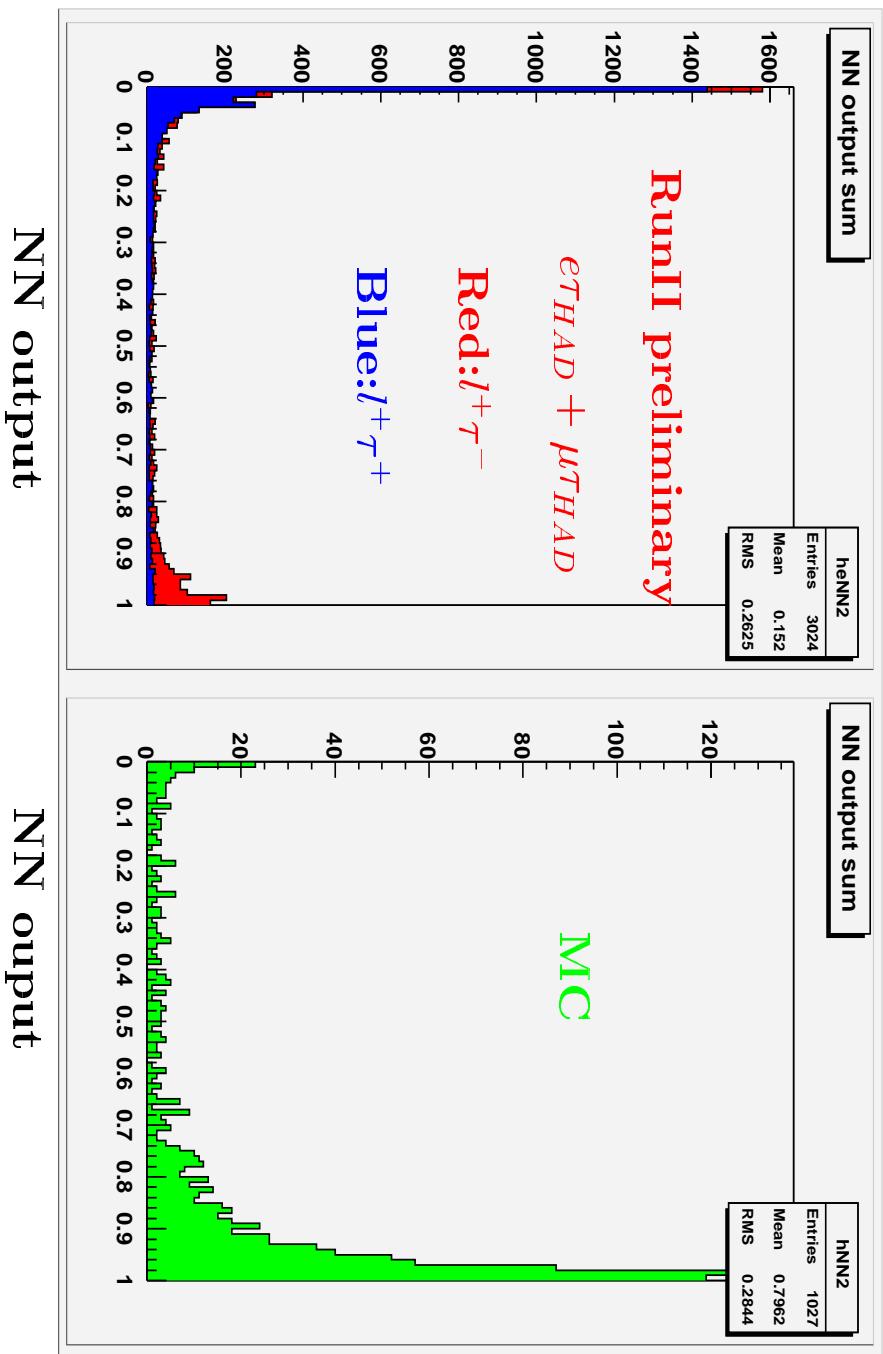
- **QCD**
 - Di-jet cross-section at $\sqrt{s} = 1.96 \text{ TeV}$
 - Probe of proton structure, quark compositeness, etc.
- τ **Identification** - $Z \rightarrow \tau^+\tau^-$
 - τ can be used in SUSY and Higgs searches
- **Higgs Search**
 - First step towards W/Z (\rightarrow leptons) + $H(\rightarrow b\bar{b})$ is to understand W/Z + di-jets
- **Top Physics**
 - Top cross-section at $\sqrt{s} = 1.96 \text{ TeV}$
 - Improved top mass measurement using Run I data
- **Electroweak Physics**
 - $Z \rightarrow \mu^+ \mu^-$ cross-section at $\sqrt{s} = 1.96 \text{ TeV}$



$Z \rightarrow \tau\tau$ in RunII Data

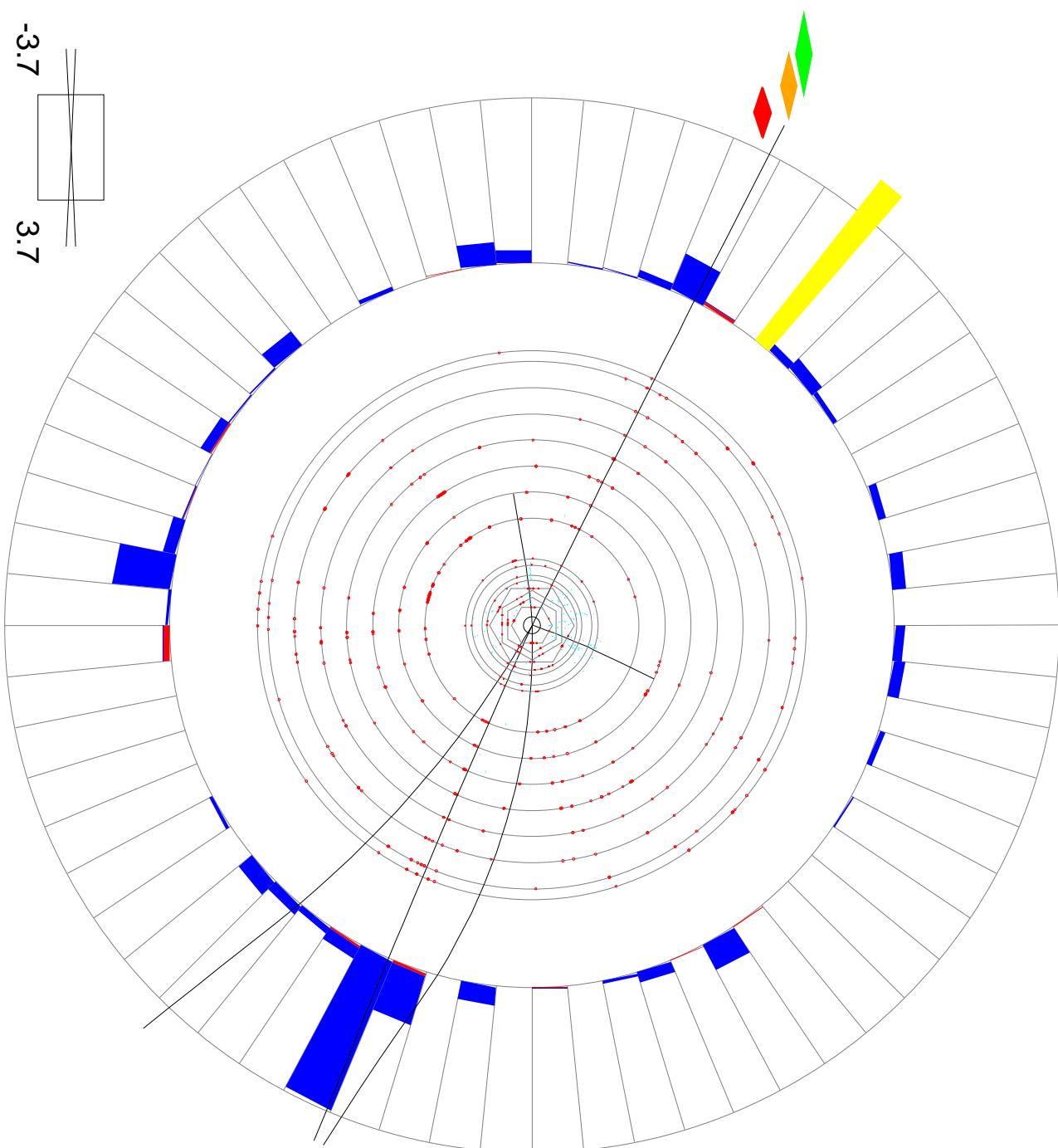
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Select events with good e and μ and 1-prong τ candidates.
Use Neural Network to identify τ 's.



NN uses calorimeter and track energy distributions as inputs

ET scale: 11 GeV

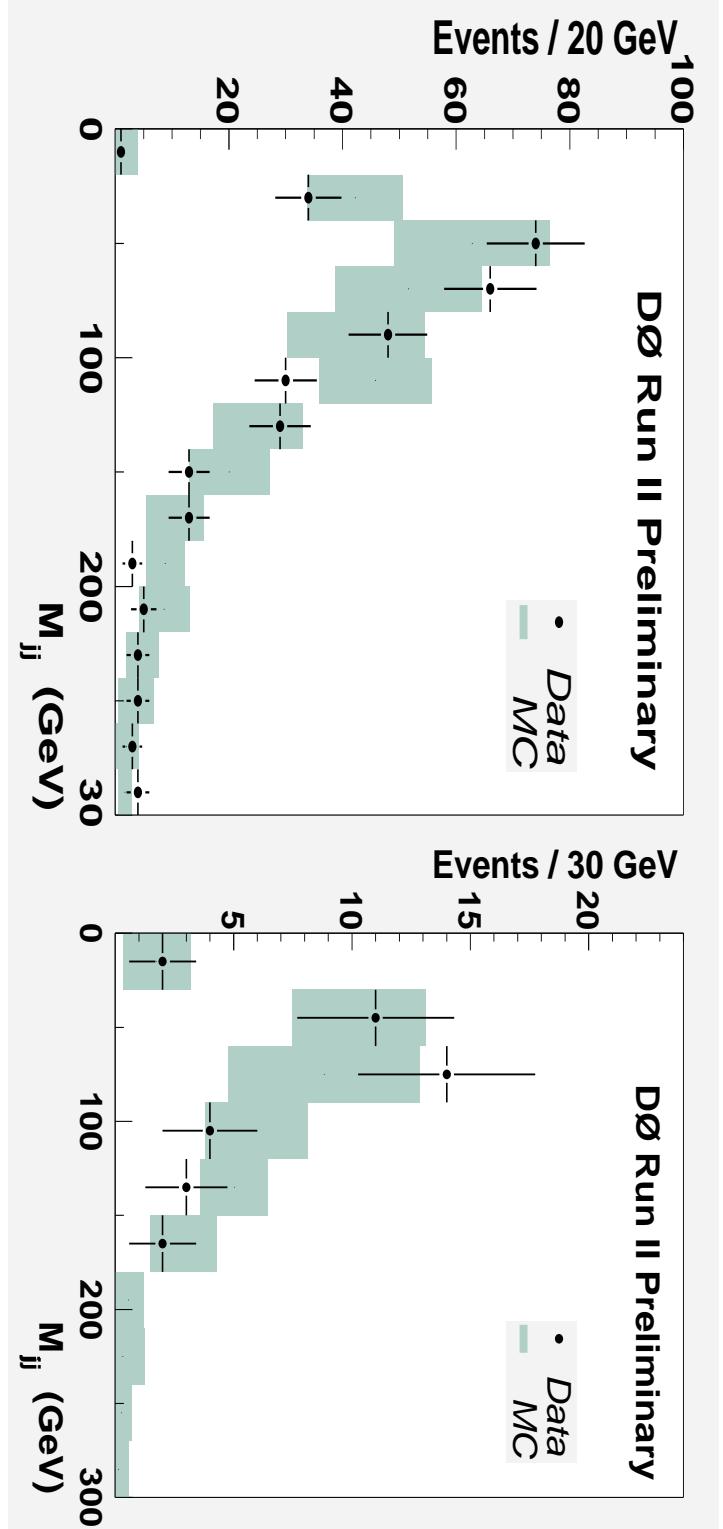


$p_T^\mu = 25 \text{ GeV}$, $p_T^h = 14 \text{ GeV}$

Di-jet mass (in $W/Z + \text{jets}$ sample)

$W + \text{jets}$

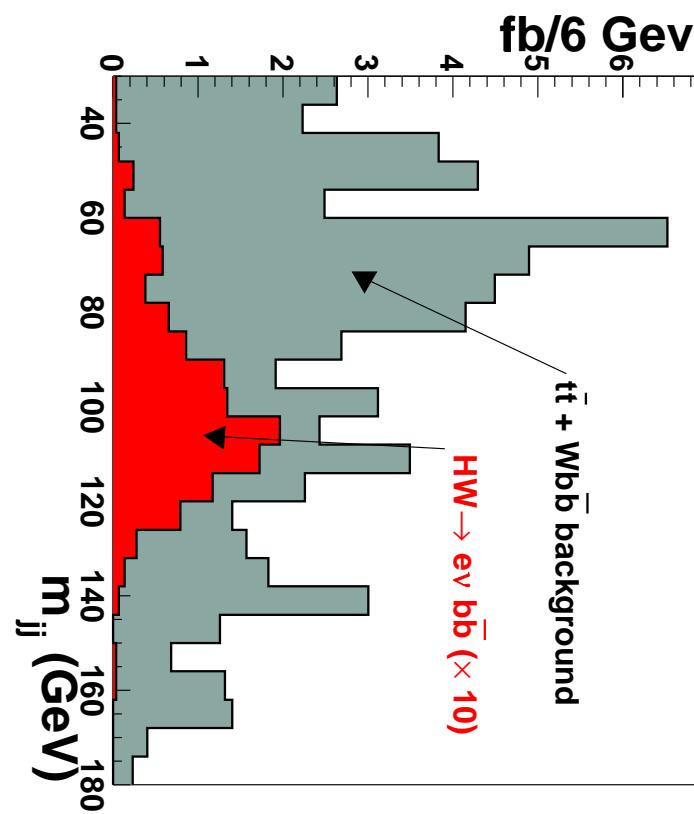
$Z + \text{jets}$

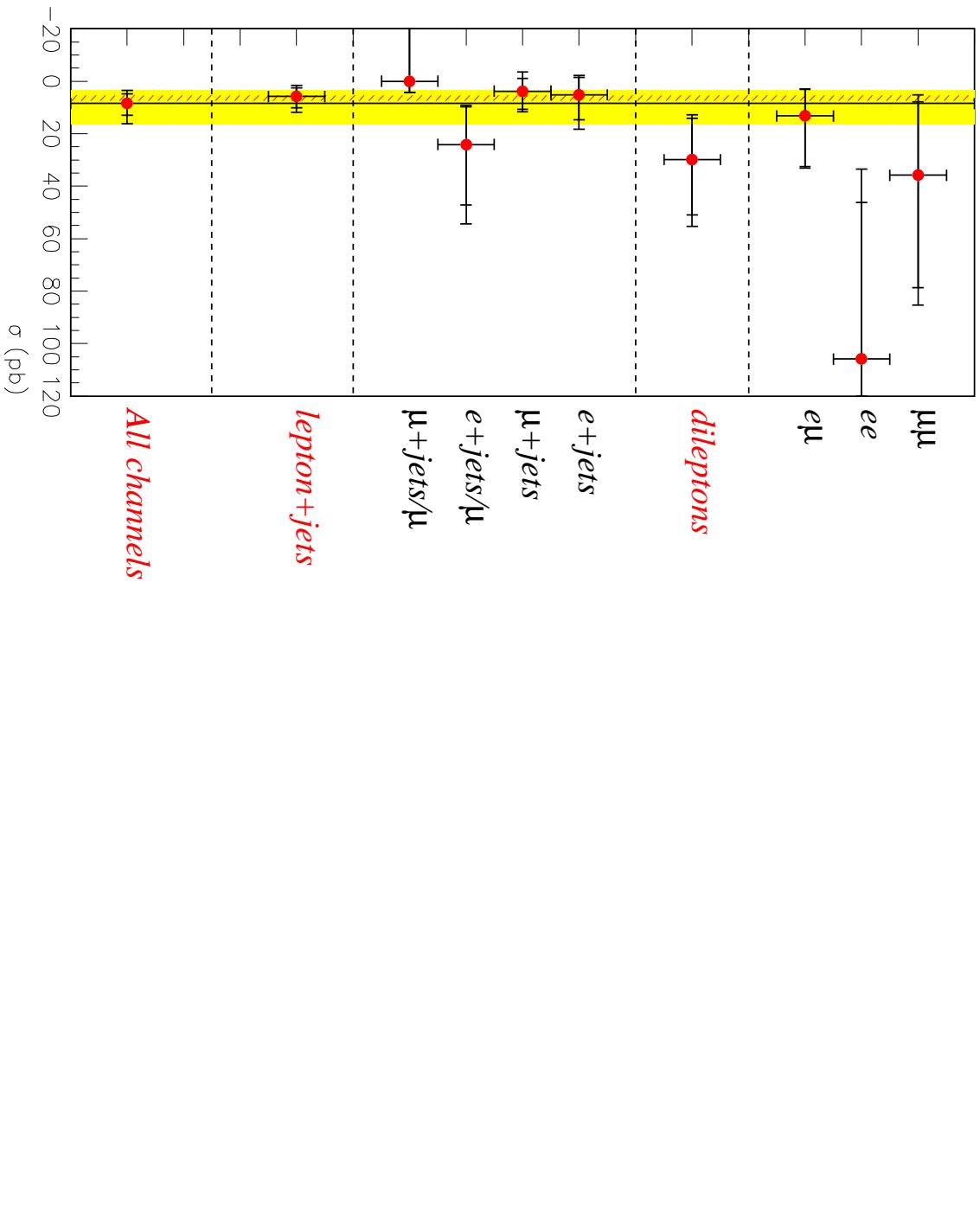


Next step is to understand b-tagging of jets

Di-jet mass (in $W/Z+jets$ sample) - contd.

MC expectation for a 115 GeV Higgs



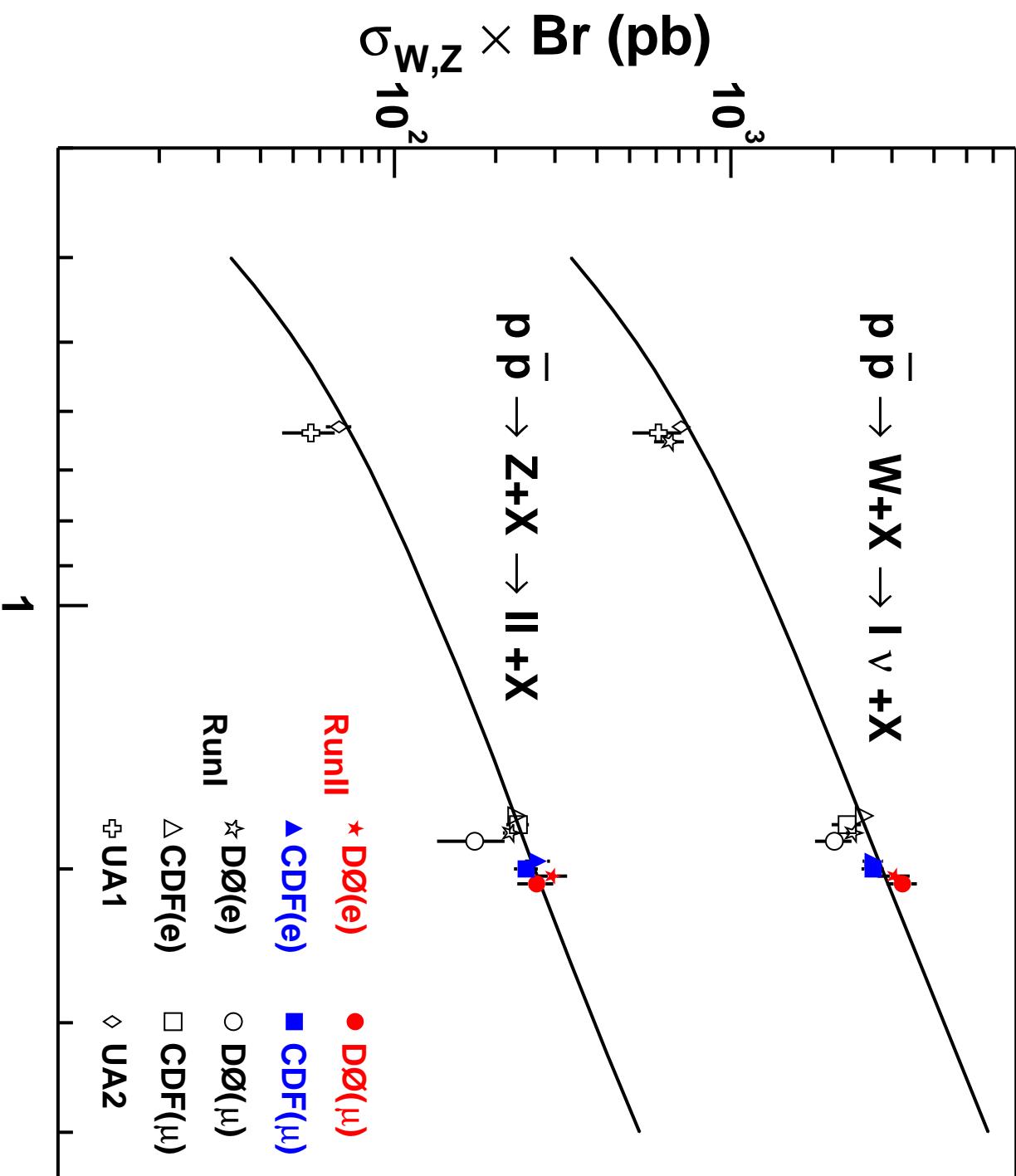


At $\sqrt{s} = 1.96$ TeV, Predictions between 6.7-7.5 pb

$$\sigma_{t\bar{t}} = [8.5^{+4.5}_{-3.6}(\text{stat})^{+6.3}_{-3.5}(\text{syst}) \pm 0.8(\text{lumi})] \text{ pb}$$

CDF and DØ RunII Preliminary

Center of Mass Energy (TeV)



RunIIB Upgrade

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- Collect $> 6 \text{ fb}^{-1}$ for **Higgs/SUSY/New Phenomena Searches**
- Expected to start in Oct. 2006
- **Silicon**
 - Six layer device - all single sided sensors
 - Ready for installation May '06, ready-for-beam Oct '06
 - **Replace** current Silicon with a more **rad-hard version**
 - Current detector designed for 2 fb^{-1} –
Most radiation **hard** technology available at that time
- **Trigger Upgrade**
 - In Run IIB, instantaneous $\mathcal{L} = 2 - 4 \times 10^{32} \text{ cm}^{-2} \text{s}^{-1}$
 - Lead to unacceptable increase in rates, especially at **Level 1**
 - Improving **Level 1** rejection in CAL, CTT, CAL-Track match
 - Modest upgrades to,
 - Level 2 Silicon Track Trigger** - to accommodate new Si detector
 - Level 2 β processors** - additional processors
 - Upgrades to DAQ/**Online** systems for long-term, high rate running

Conclusions

- Run IIa is underway - lots of exciting physics
- Run IIb upgrade is progressing well