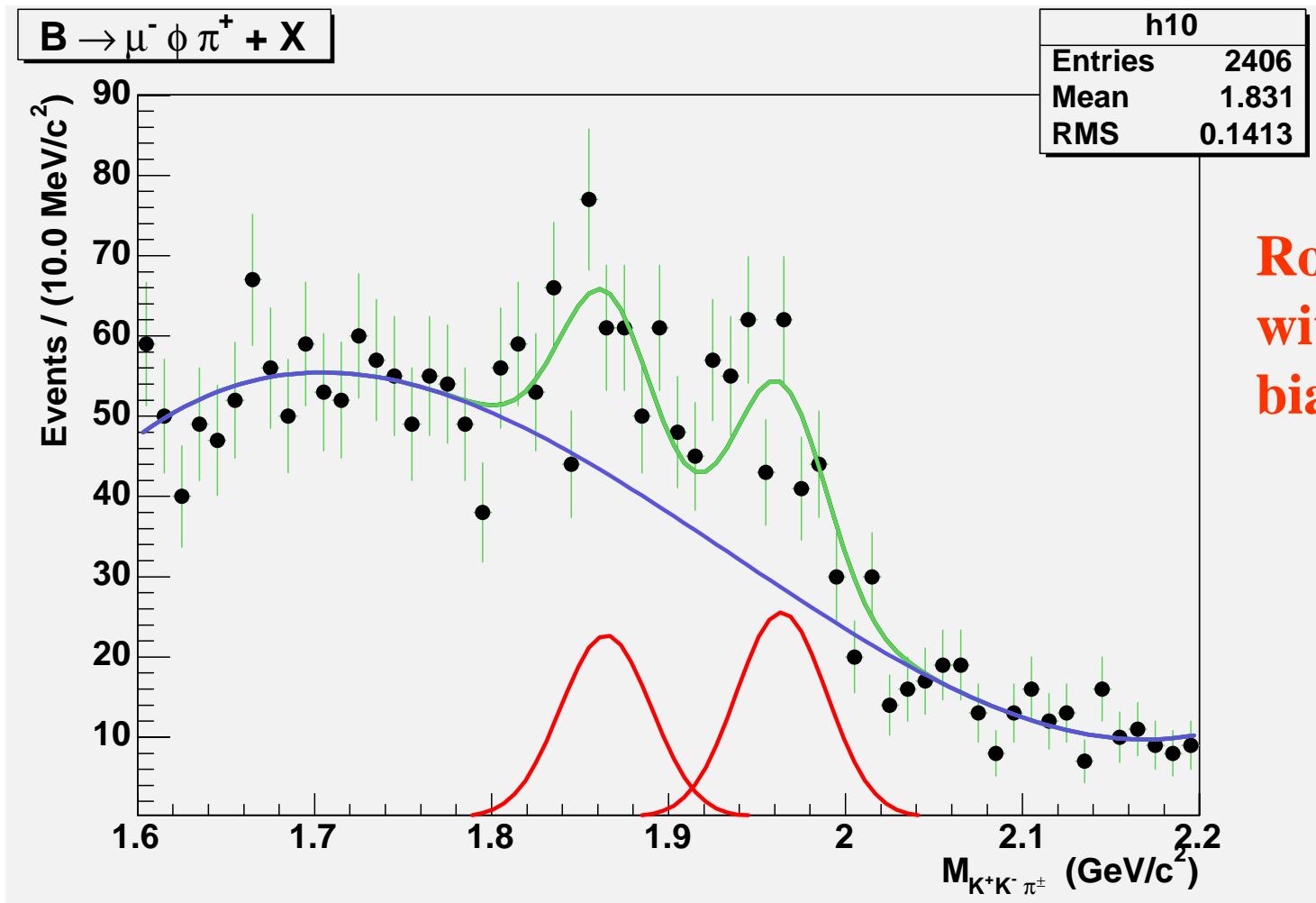


Correcting for the lifetime dependent cuts

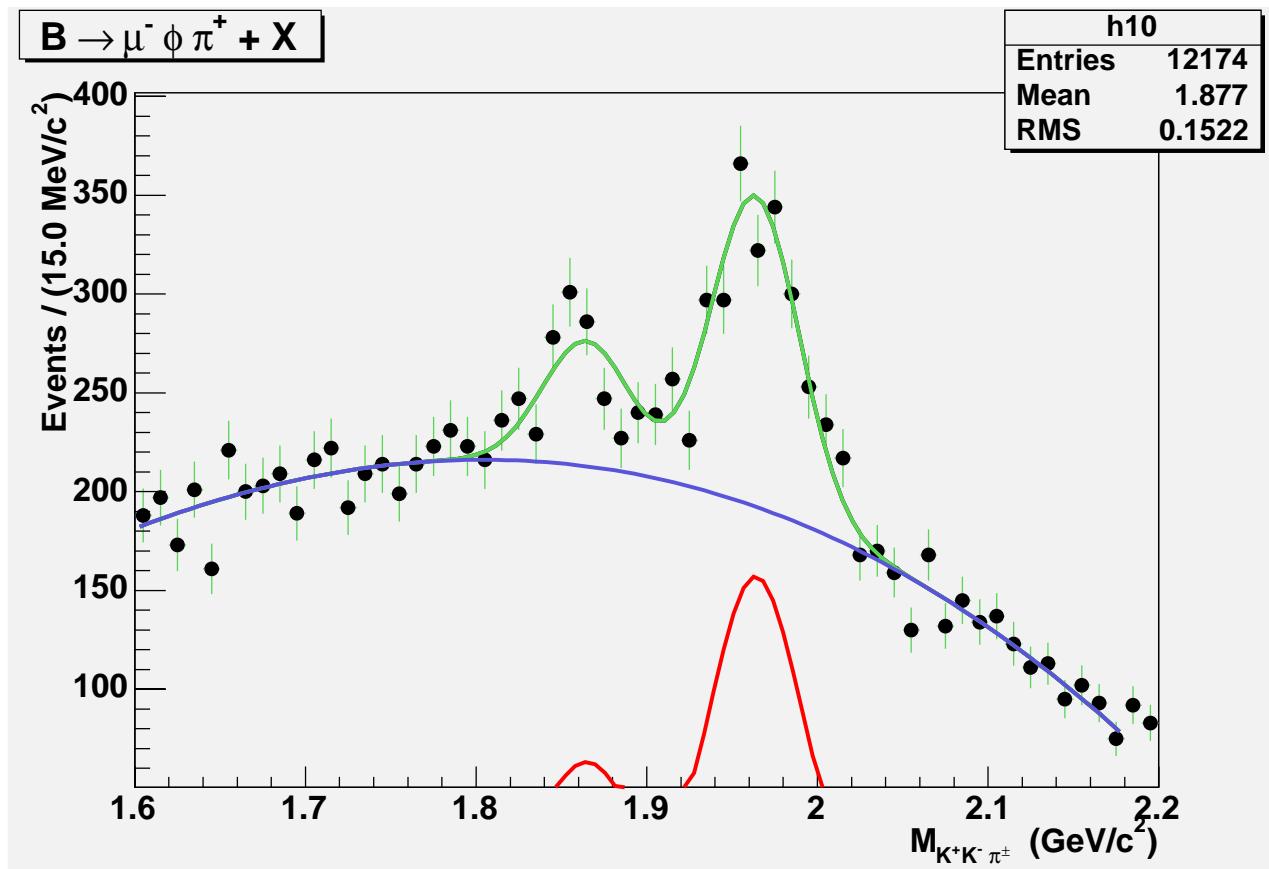
Perhaps, we may have to use lifetime dependent cuts ...



Round4:
without lifetime
biased cuts

- ◆ Without biases, lifetime distribution $\sim e^{-t/\tau}$
 - * convoluted with a Gaussian in real life (RECO) due to finite detector resolution
- ◆ With lifetime-dependent/biased cuts, it is no longer $e^{-t/\tau}$, but (say) $f(t)$ — which is what I am after.
- ◆ Goal is to find $f(t)$ from the Monte Carlo using the “Truth” information which does not suffer from detector resolution.
- ◆ Reco-ed tracks are matched with the MC:
 - * $|\Delta p_T| < 0.5$, $|\Delta\phi| < 0.02$, $|\Delta\eta| < 0.02$

- ◆ I've taken Wendy's code (on top of the `bmixing_reco`) to grab the necessary Monte Carlo information
 - ✖ it deals with the B_s mixing information correctly
- ◆ I've also used Vivek's lifetime-dependent or independent cuts:



round4

Biased cuts:

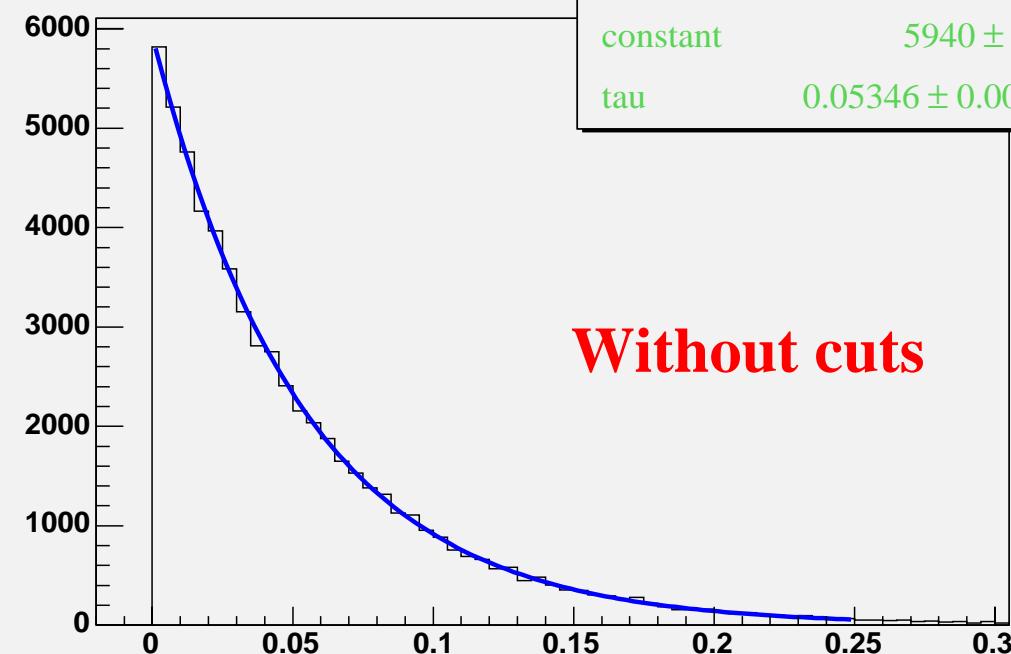
- ◆ $\text{Imp}(\mu)/\sigma > 9 \parallel \text{Imp}(\pi)/\sigma > 9 \parallel \text{Imp}(K)/\sigma > 9$;
- ◆ $\text{Imp}(\pi)/\sigma$ alone > 2
- ◆ If ($L_{xy}(D) < L_{xy}(B)$) $|\text{Imp}(BD)/\sigma| < 3$
- ◆ $\cos(D,B) > 0.85$; $\text{COLL} > 0$.

Unbiased cuts:

- ◆ $pT(\mu) > 1.5$; $pT(\pi) > 0.7$; $pT(K^\pm) > 0.7$
- ◆ $P_{\text{tot}}(B) > 8$; $P_{\text{tot}}(\mu) > 3$; $P^{\text{rel}}(\mu) > 1$
- ◆ $1.006 < M(\phi) < 1.032$ GeV
- ◆ Helicity (K,D) > 0.5

MC truth: B VPDL

χ^2 / ndf 66.4 / 48
constant 5940 ± 34.8
tau 0.05346 ± 0.00024



Without cuts

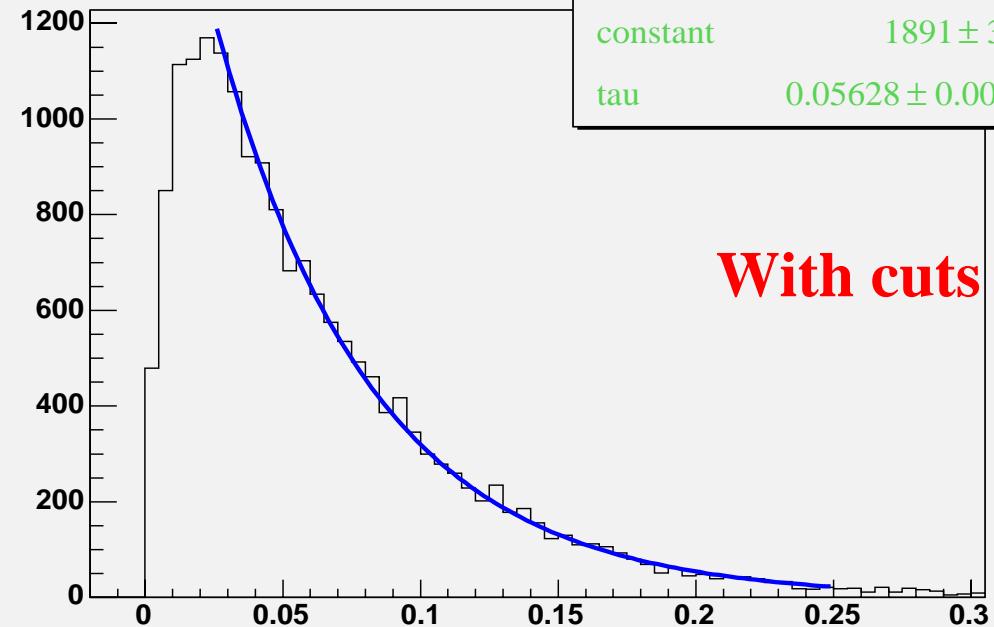
x–axes in cm

Only MC “Truth” information

VPDL ~
 $L_{xy}(B) * M(B) / p_T(D_s\mu)$

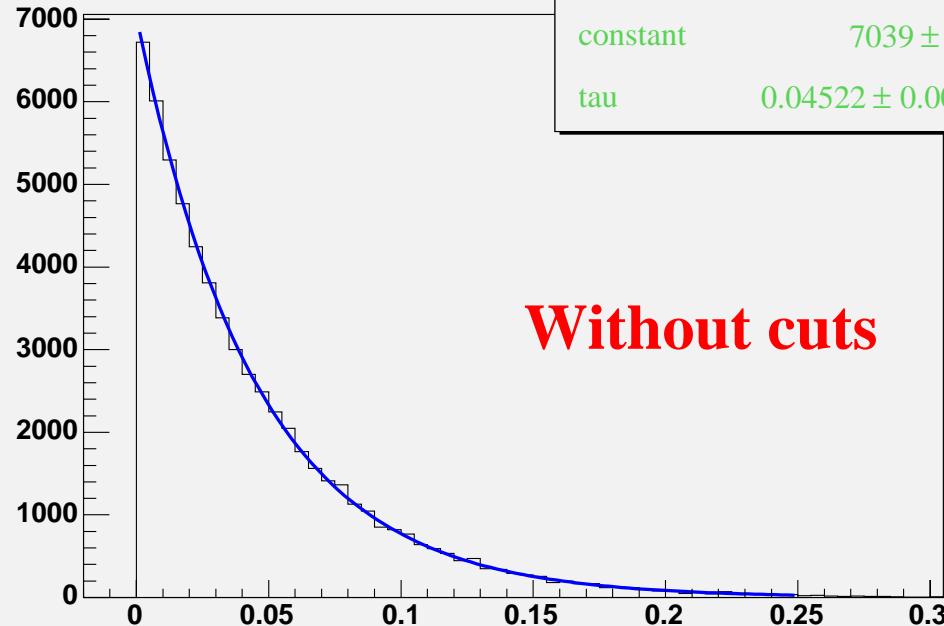
MC truth: B VPDL

χ^2 / ndf 54.57 / 43
constant 1891 ± 31.4
tau 0.05628 ± 0.00058



With cuts

MC truth: B Lifetime

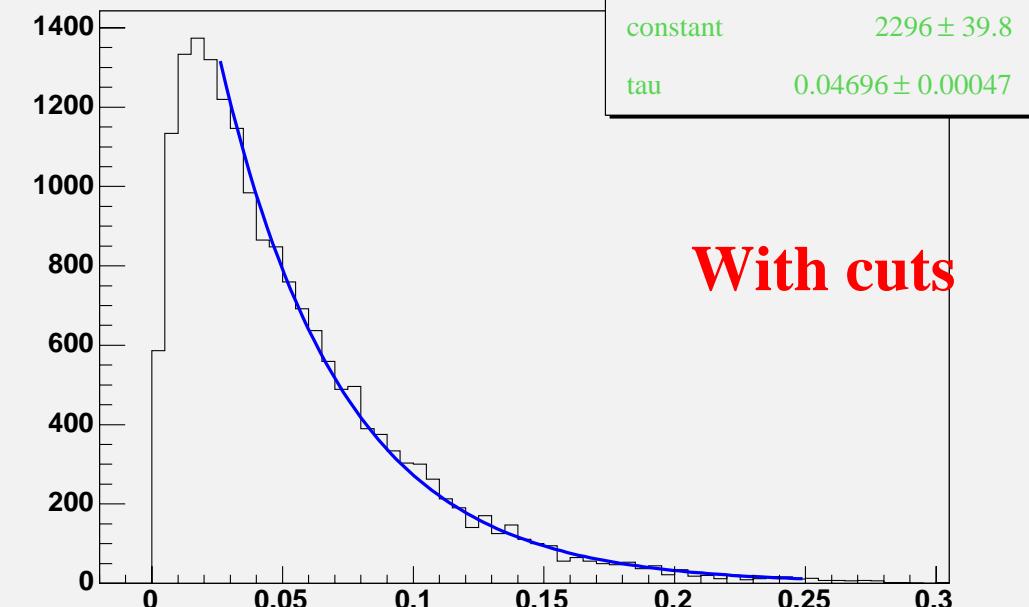


Only MC “Truth”
information

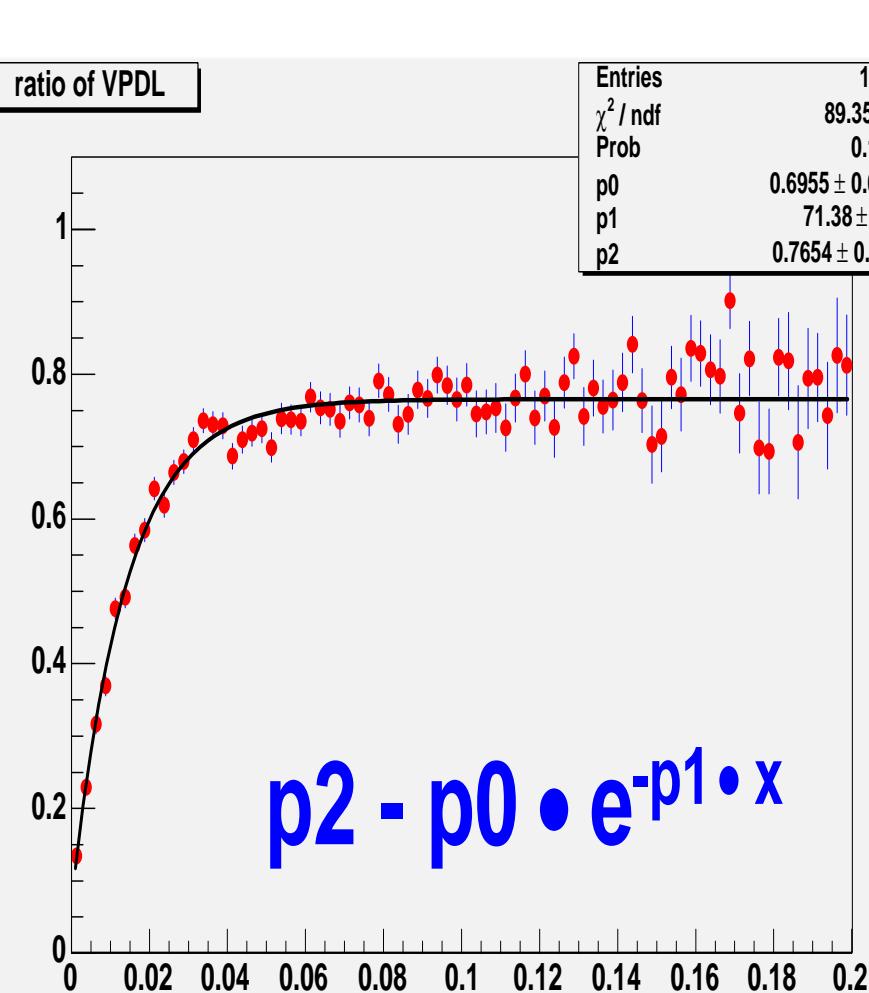
Lifetime ~
 $L_{xy}(B) * M(B) / p_T(B)$

x–axes in cm

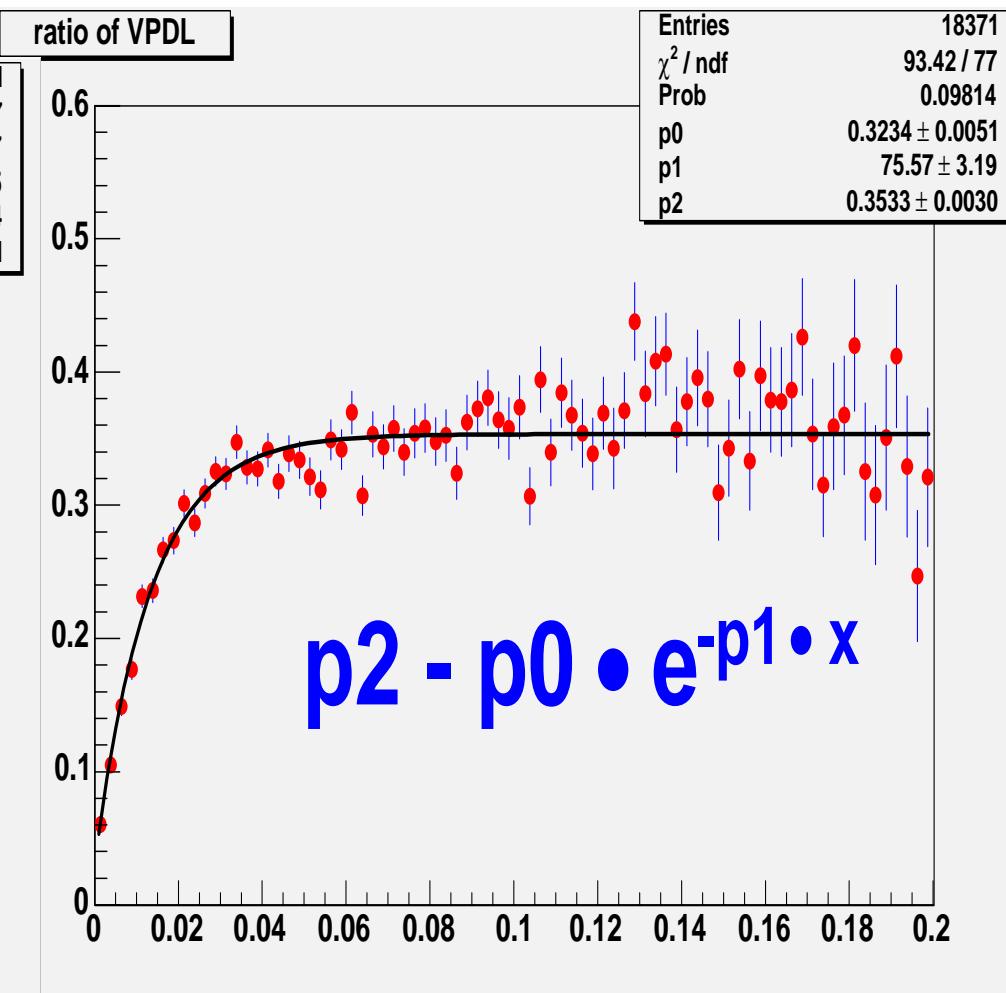
MC truth: B Lifetime



For now (at least), we consider the ratios of lifetime with and without certain cuts.

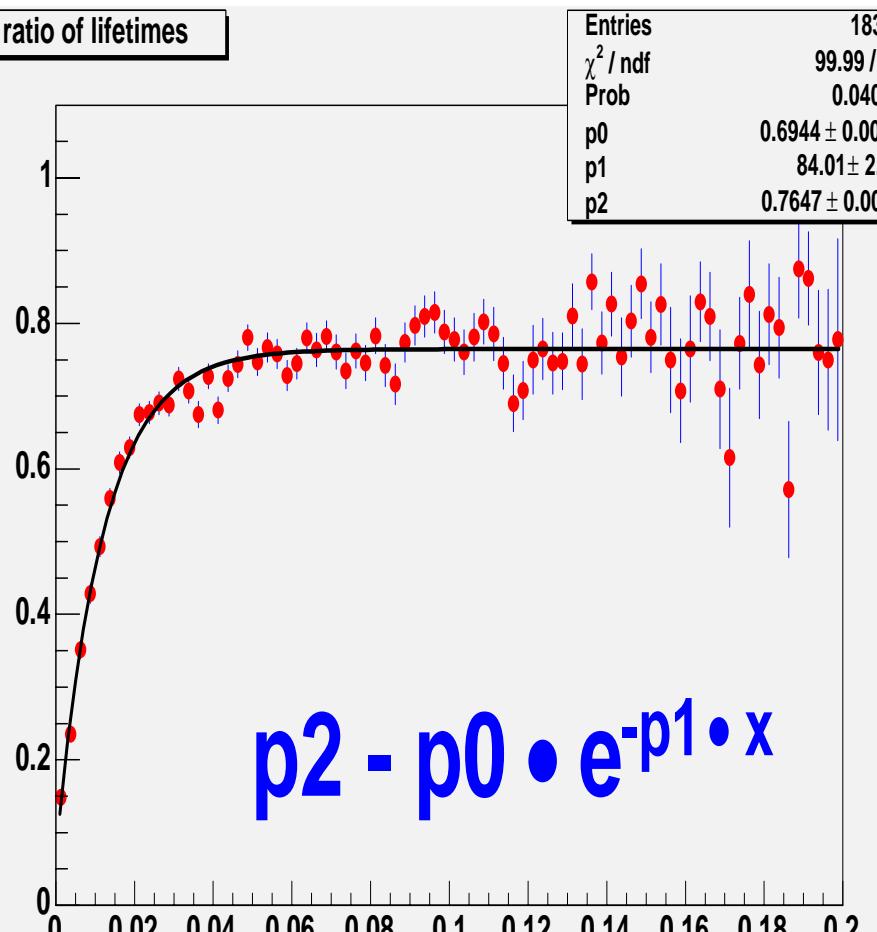


$\frac{\text{VPDL}(\text{full cuts})}{\text{VPDL}(\text{unbiased cuts})}$ x-axes in cm

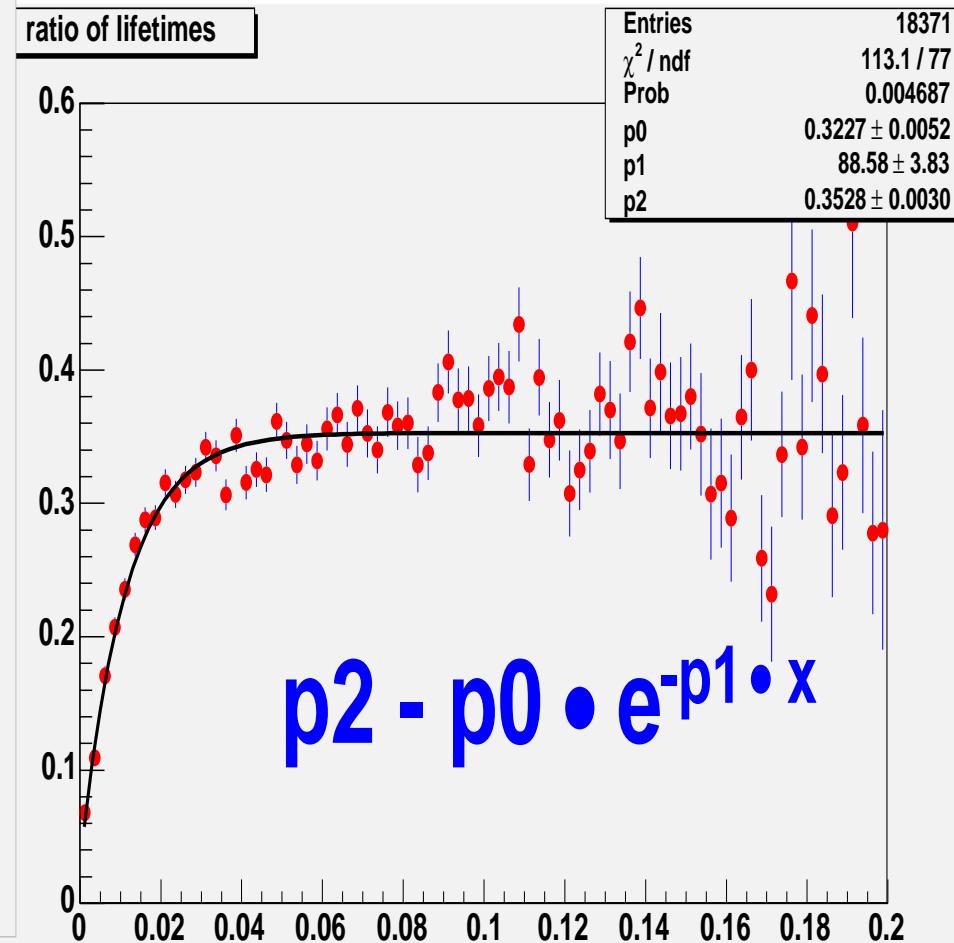


$\frac{\text{VPDL}(\text{full cuts})}{\text{VPDL}(\text{no cuts})}$

ratio of lifetimes



ratio of lifetimes



Lifetime(*full cuts*)
Lifetime(*unbiased cuts*)

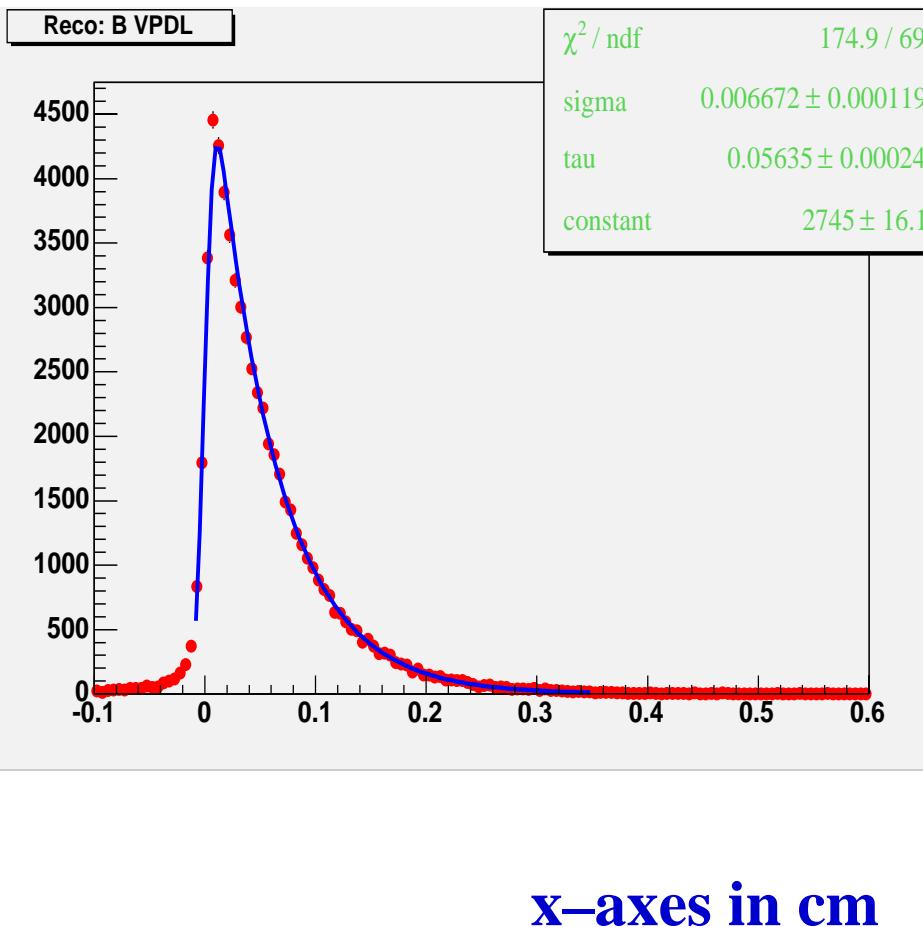
x-axes in cm

Lifetime(*full cuts*)
Lifetime(*no cuts*)

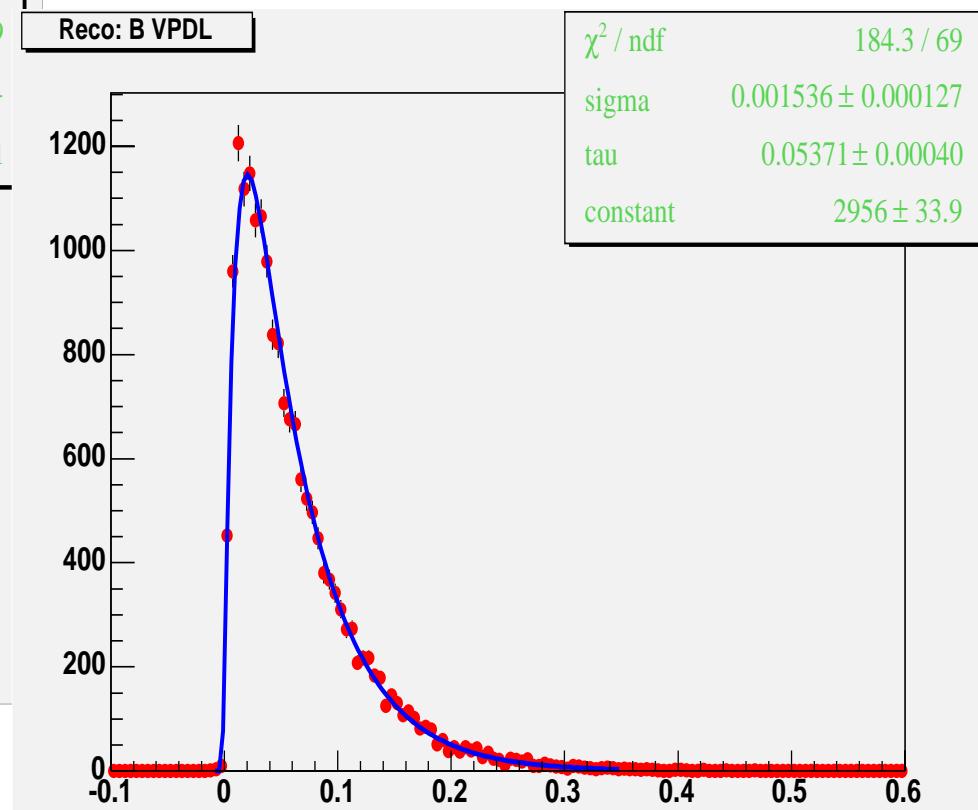
Thinking ...

- ◆ $f(t) \sim (p_2 - p_0 e^{-p_1 \cdot t}) \cdot e^{-t/\tau}$
- ◆ With no biased cuts, reconstructed lifetime distribution in data $\sim \int E \cdot G dt'$
where $E \sim e^{-t'/\tau}$ when $t \geq 0$; otherwise $E=0$;
- ◆ With biased cuts, the distribution is
 $\sim \int E \cdot (p_2 - p_0 e^{-p_1 \cdot t'}) \cdot G dt'$

Fitting $\int E \cdot G dt'$ against the reconstructed VPDL when there is no cut applied.



Fitting $\int E \cdot (p_2 - p_0 e^{-p_1 \cdot t'}) \cdot G dt'$ against the reconstructed VPDL when all the cuts are applied.



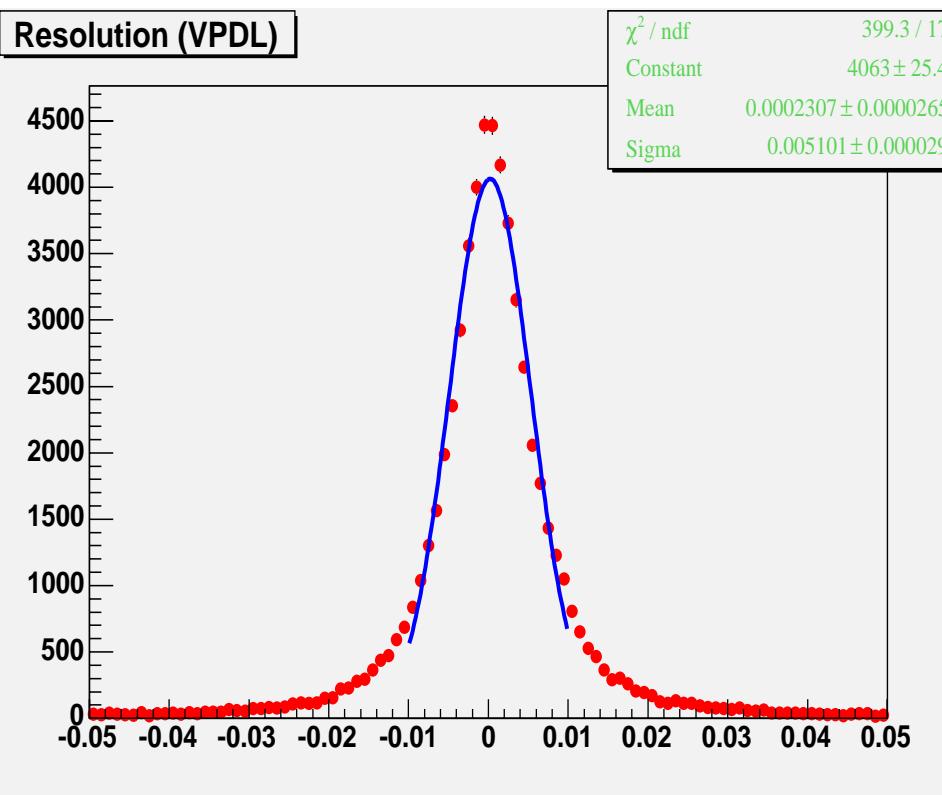
To do ...

- ◆ The 2 Gaussian σ 's are quite different in the 2 fits
- ◆ Need to understand what it is going on ...
I've checked by
 - ✖ fitting the 2 convoluted functions on the MC “Truth” lifetime and I do get very small Gaussian σ .
 - ✖ fitting the 2 convoluted on the toy MC distributions to get the right sigma that I put in.
- ◆ Tried adding mass cuts/separating events into 2 groups ... don't help

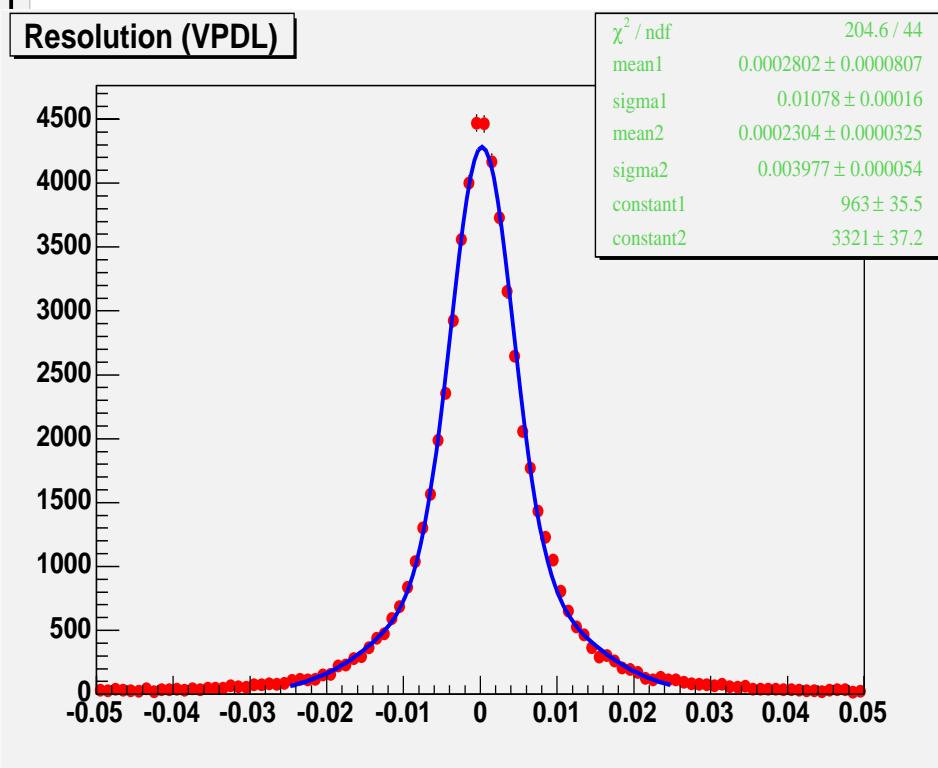
Backup Slides

VPDL resolution

One Gaussian fit



Two Gaussian fit



x-axes in cm